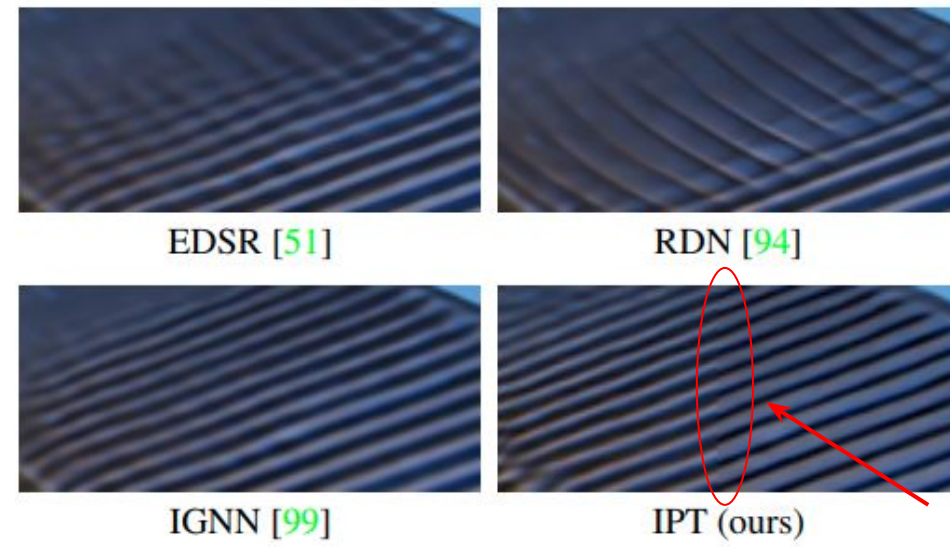


## Problem Statement

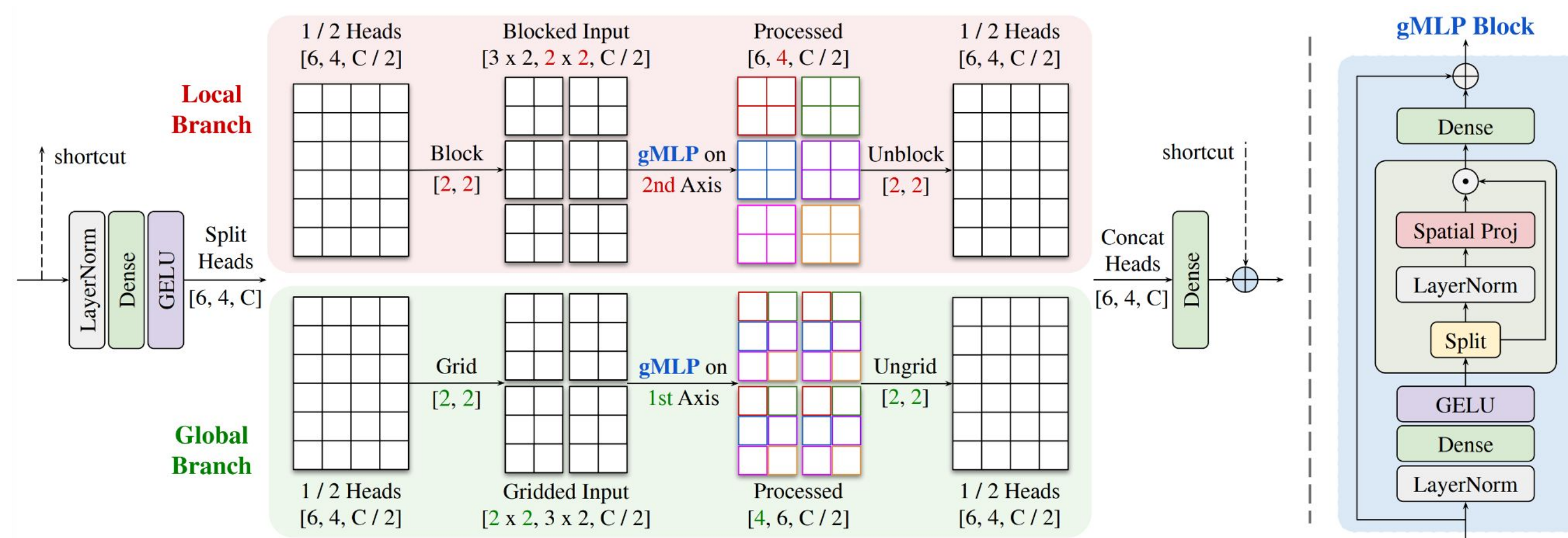
Develop efficient Transformer/MLPs for low-level vision

- low-level vision like **denoising, deblurring, dehazing**, etc. requires **high-resolution** image-to-image processing
- Vision Transformers/MLPs are promising on high-level tasks, but it is **non-trivial to adapt** them to low-level (image processing) problems
- The model needs to be **'fully-convolutional'**, i.e., train on small patches and **inference on full resolution**. Otherwise, the model will cause patch-boundary artifacts [R1]:



[R1] Pre-Trained Image Processing Transformer, CVPR 21, [arxiv.org/abs/2012.00364](https://arxiv.org/abs/2012.00364)

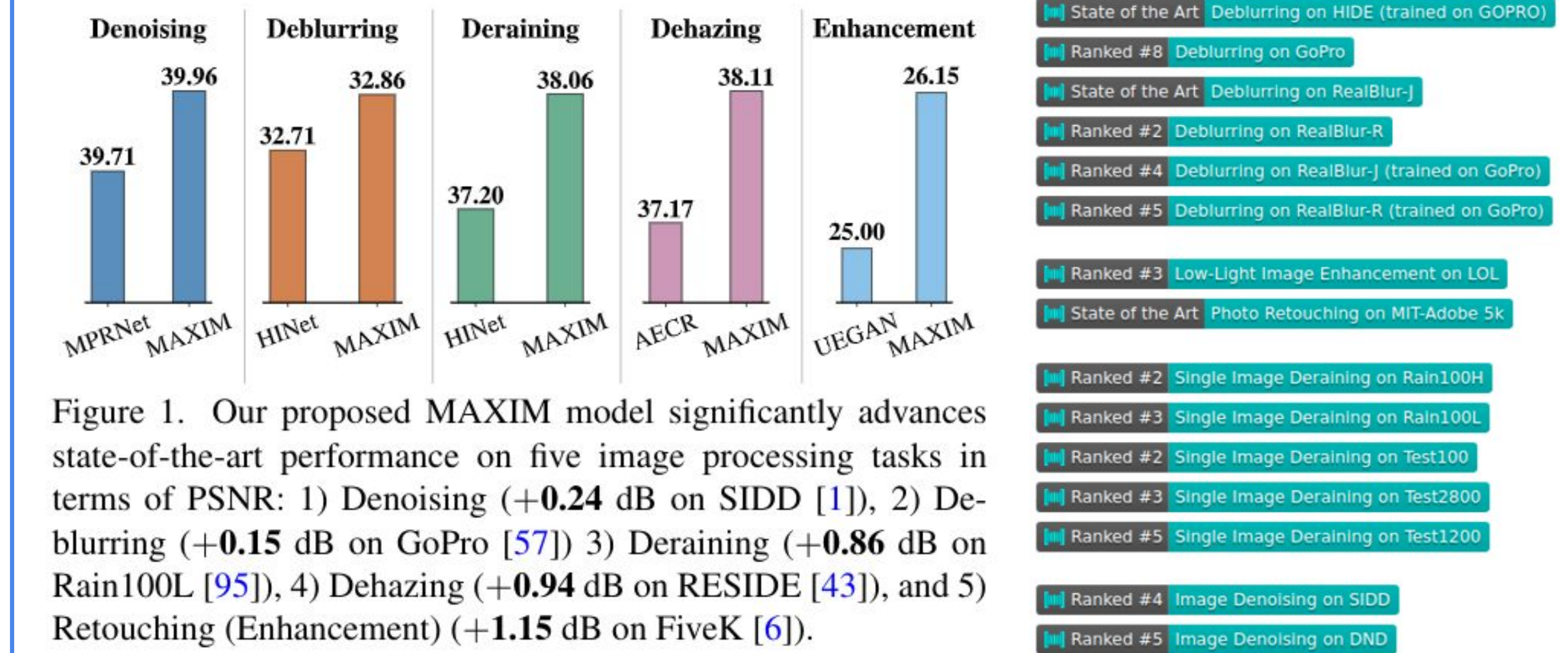
## Core Module 1: Multi-Axis Gated MLP Nlock



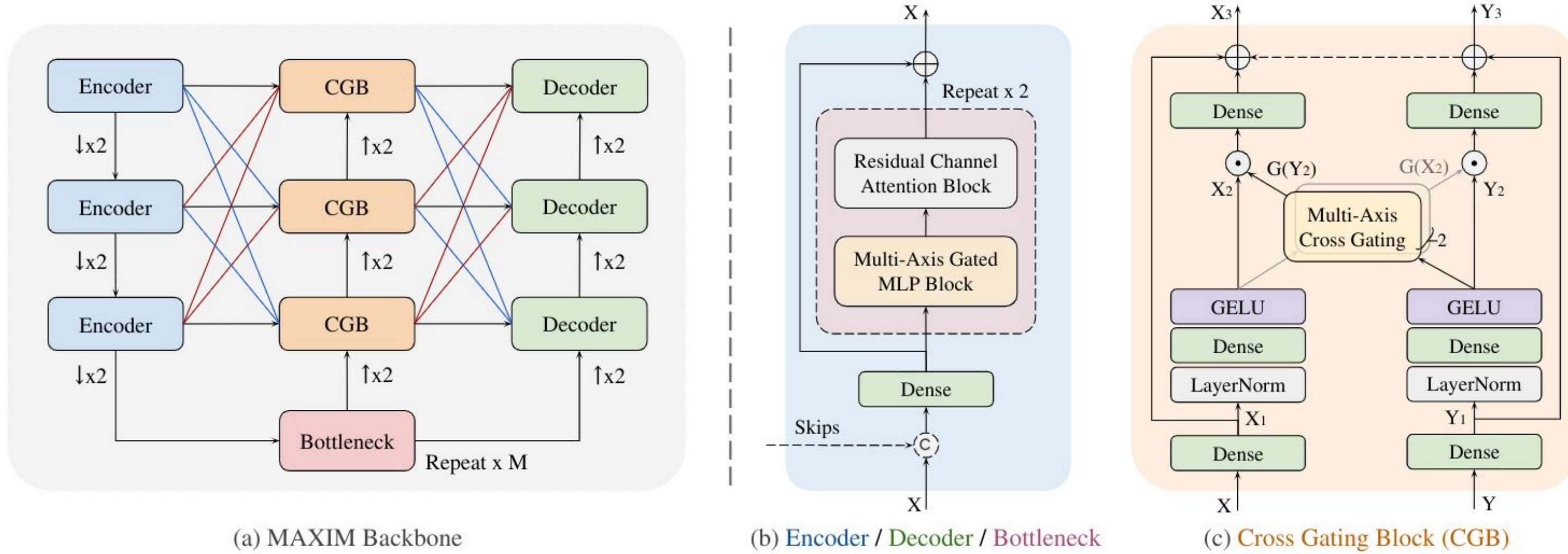
- Contains local branch (2nd Axis) and global branch (1st Axis)
- Apply **gMLP** on one axis each time in either one branch
- Global and 'fully-convolutional' with linear complexity
- Standalone module that can be plugged-in in many networks

## Numerical results

Evaluated on 5 low-level tasks, SoTA on 15 out of 20 datasets



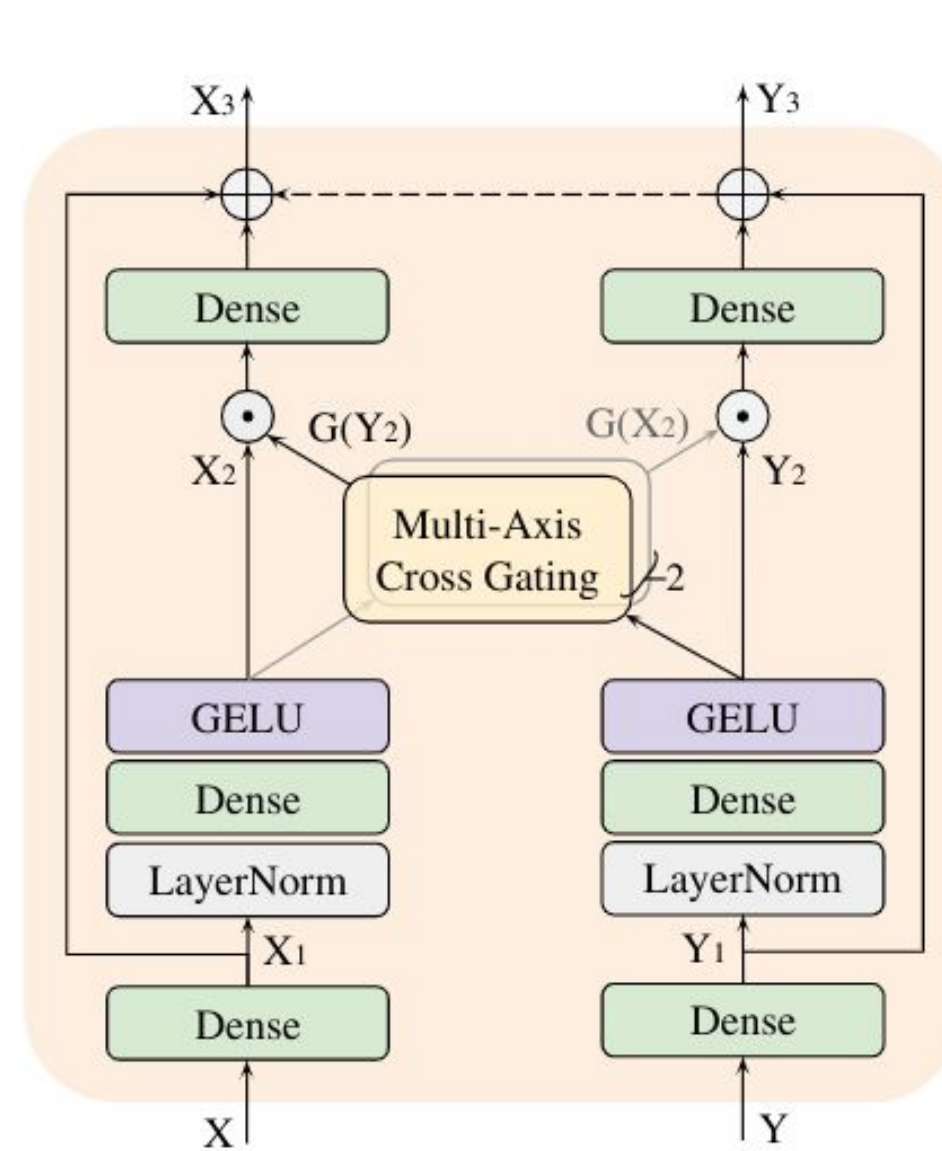
## Our Method: MAXIM Architecture



Our proposed MAXIM model is:

- A global **UNet-like** architecture, with multi-stage stacks
- **Every** block enjoys **global-local spatial interaction**
- 'Fully-convolutional', i.e., can be trained on small patches and **directly applied on any high resolution** (w/o causing patch-boundary effects)
- scales linearly w.r.t. input image size, unlike other MLP models

## Core Module 2: Cross-Gating MLP Block



- Same design to core module 1, but extending to interact two features
- $G(\cdot)$  function obtains multi-axis gating signals only, and gating is applied reciprocally with two features:  

$$\hat{X} = X_2 \odot G(Y_2), \hat{Y} = Y_2 \odot G(X_2)$$
- Can be used as a conditioning layer or fusion module
- Also global and 'fully-convolutional' with linear complexity

Model	Complexity	Fully-conv	Global
MLP-Mixer [36]	$\mathcal{O}(N^2)$	$\times$	$\checkmark$
gMLP [19]	$\mathcal{O}(N^2)$	$\times$	$\checkmark$
Swin-Mixer [22]	$\mathcal{O}(N)$	$\checkmark$	$\times$
MAXIM (ours)	$\mathcal{O}(N)$	$\checkmark$	$\checkmark$

## Visual results → check more @arxiv.org/abs/2201.02973



Check out **Web demo!** @replicate

Paper Code Tweet 知 Zhihu

