

# Today's Materials

- pencil
- notebook
- glue





# Combining Like Terms

(part 3)

## Lesson 22

CCSS Standards: Building on	<ul style="list-style-type: none"><li>• 6.EE.A.4</li></ul>
CCSS Standards: Addressing	<ul style="list-style-type: none"><li>• 7.EE.A.1</li></ul>
CCSS Standards: Building towards	<ul style="list-style-type: none"><li>• 7.EE.A.1</li></ul>



2019 Open Up Resources | Download for free at [openupresources.org](https://openupresources.org).

Google Slides template from SlidesCarnival at <https://www.slidescarnival.com>.

**Let's see how we can  
combine terms in an  
expression to write it  
with less terms!**

# Today's Goals

- When I look at an expression, I can notice if some parts have common factors and make the expression shorter by combining those parts.
- Given an expression, I can use various strategies to write an equivalent expression.

# Are They Equal?

Warm Up

Select all expressions that are equal to

$$8 - 12 - (6 + 4).$$

a.  $8 - 6 - 12 + 4$

b.  $8 - 12 - 6 - 4$

c.  $8 - 12 + (6 + 4)$

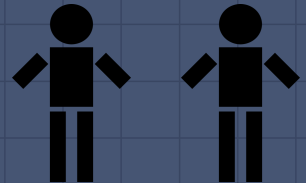
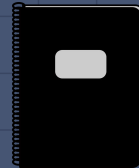
d.  $8 - 12 - 6 + 4$

e.  $8 - 4 - 12 - 6$

# X's and Y's

## Activity 1

- Taking Turns



# For each expression in column A...

- one partner finds an equivalent expression in column B and explain why they are equivalent
- the other partner listens for if they agree or disagree
- If the partners don't agree, they should discuss until they come to an agreement.



Match each expression in column A with an equivalent expression from column B. Be prepared to explain your reasoning.

**A**

A.  $(9x + 5y) + (3x + 7y)$

B.  $(9x + 5y) - (3x + 7y)$

C.  $(9x + 5y) - (3x - 7y)$

D.  $9x - 7y + 3x + 5y$

E.  $9x - 7y + 3x - 5y$

F.  $9x - 7y - 3x - 5y$

**B**

1.  $12(x + y)$

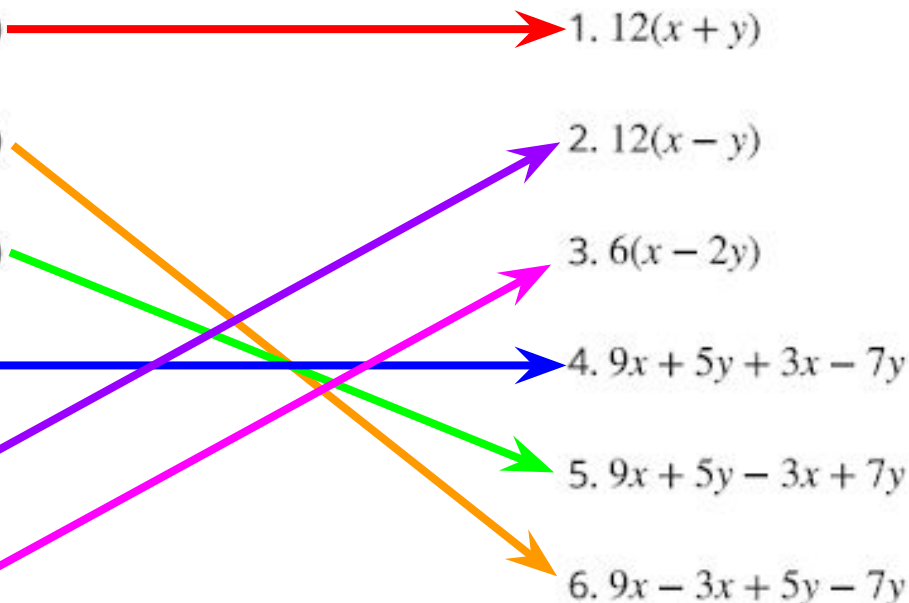
2.  $12(x - y)$

3.  $6(x - 2y)$

4.  $9x + 5y + 3x - 7y$

5.  $9x + 5y - 3x + 7y$

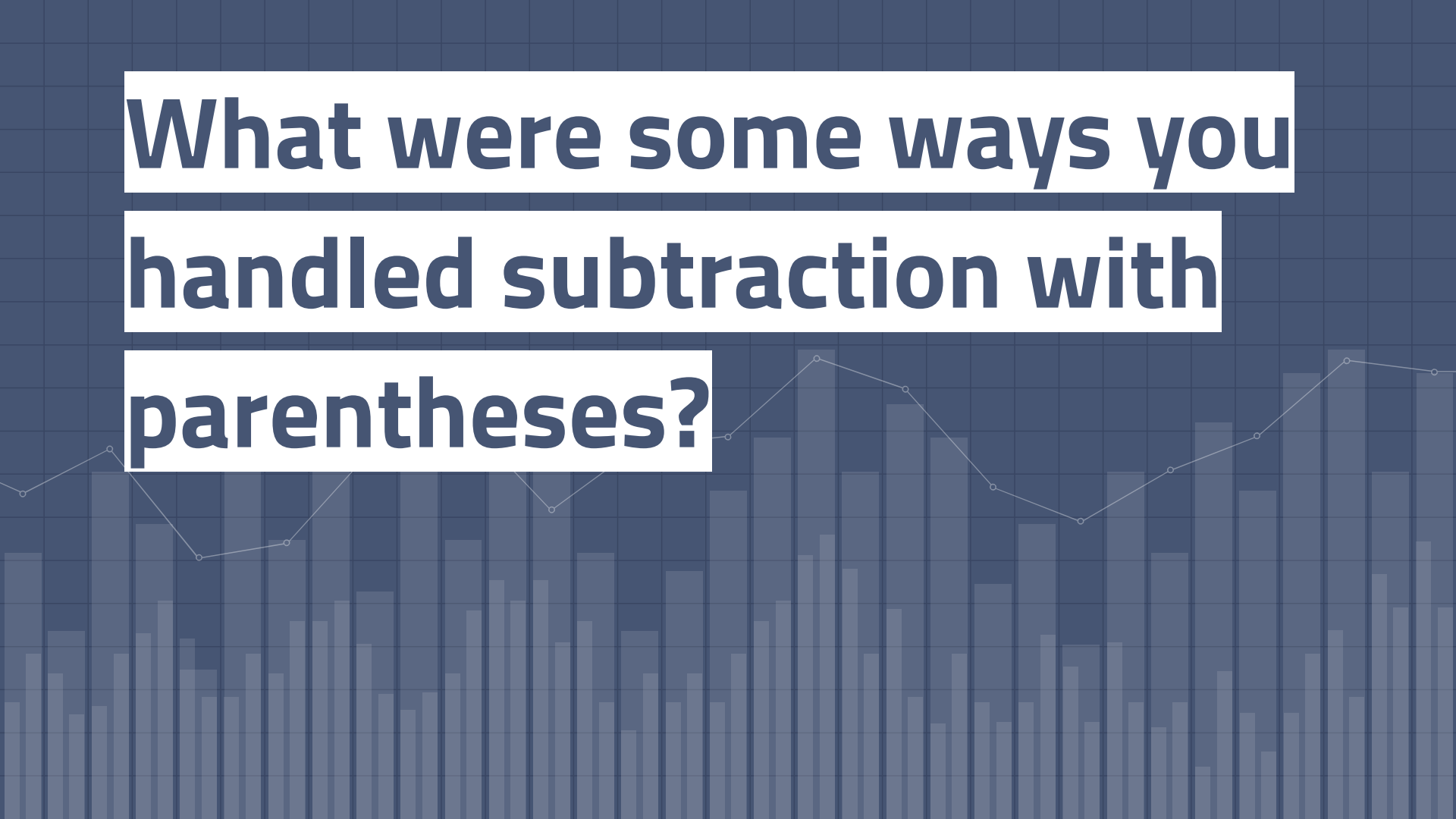
6.  $9x - 3x + 5y - 7y$



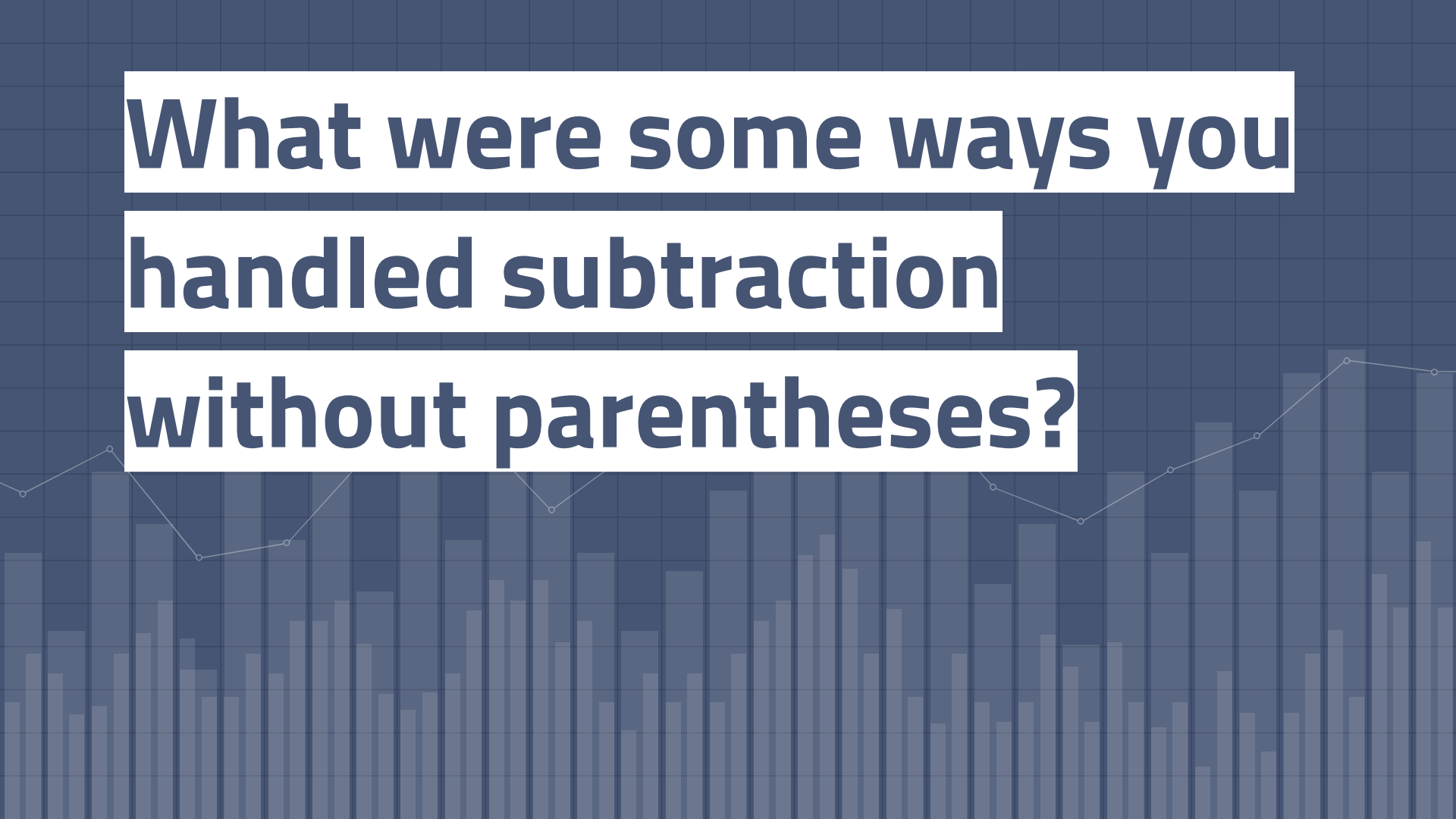
**Which terms does the subtraction sign apply to in each expression?  
How do you know?**

**Were there any expressions from column A that you wrote with fewer terms but were unable to find a match for in column B?**

**If yes, why do you think this happened?**

The background features a dark blue grid pattern. A white line graph with small circular markers is overlaid on the grid, showing a fluctuating trend across the width of the image. The text is presented in three stacked white rectangular boxes.

**What were some ways you  
handled subtraction with  
parentheses?**

The background features a dark blue grid pattern. A white line graph with small circular markers is overlaid on the grid, showing a fluctuating trend that generally increases from left to right. The text is presented in three stacked white rectangular boxes.

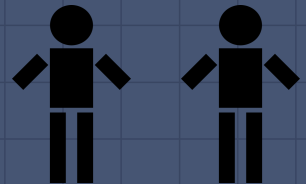
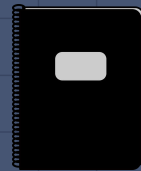
**What were some ways you  
handled subtraction  
without parentheses?**

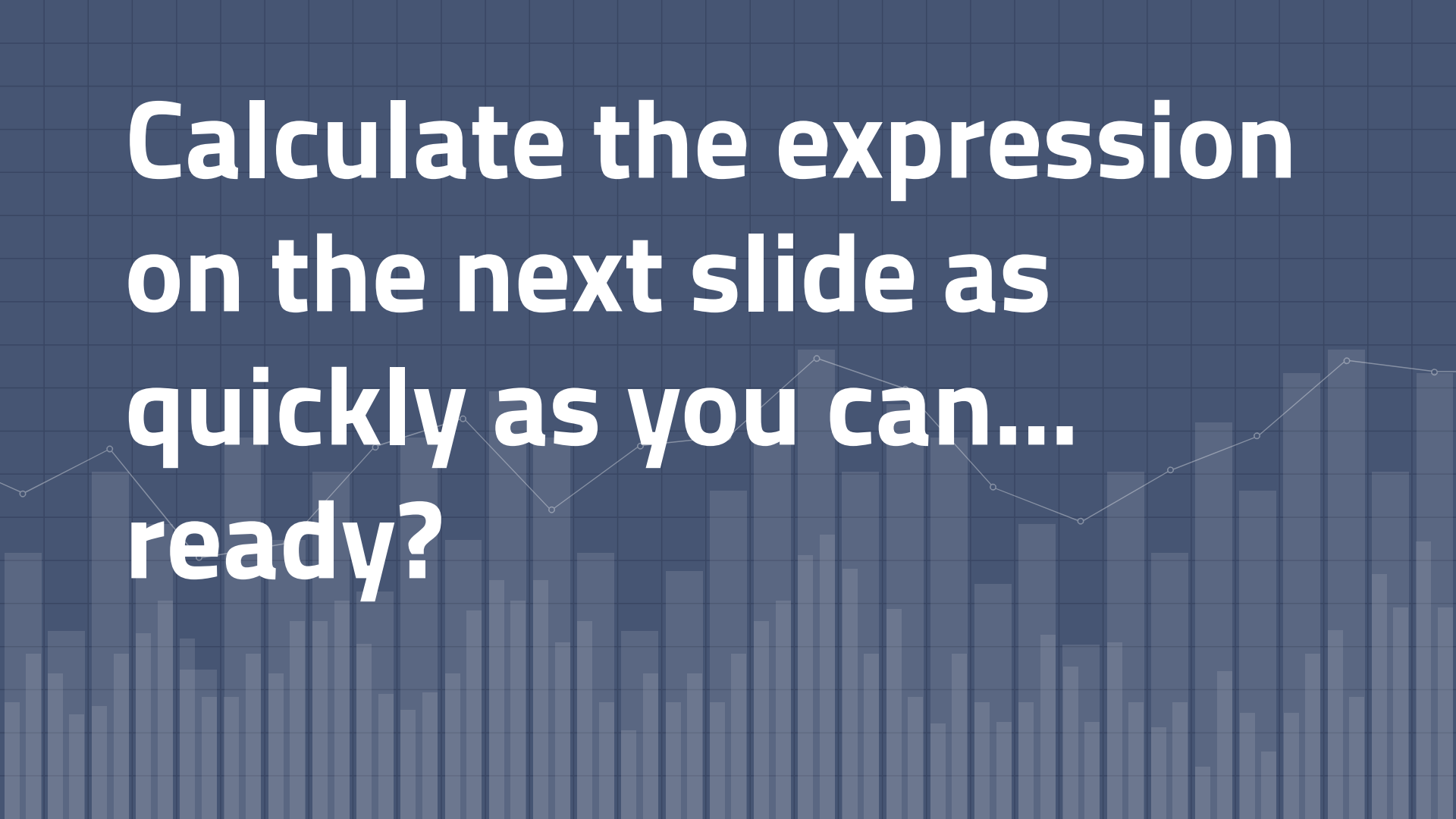
**Describe any difficulties  
you experienced and  
how you resolved them.**

# Seeing Structure and Factoring

## Activity 2

- Think Pair Share





**Calculate the expression  
on the next slide as  
quickly as you can...  
ready?**



$$18 - 45 + 27$$

What was your strategy in solving?

$$18 - 45 + 27$$

I noticed...

$$2 \cdot 9 - 5 \cdot 9 + 3 \cdot 9$$

$$= (2 - 5 + 3) \cdot 9$$

$$= (0) \cdot 9$$

Noticing **common factors** in expressions can help us write them with fewer terms or more simply.

**Begin with Quiet Work Time. (5 min.)**

**Share your expressions  
with your partner.**

Write each expression with fewer terms.  
Show or explain your reasoning.

**a**

$$3 \cdot 15 + 4 \cdot 15 - 5 \cdot 15$$

Write each expression with fewer terms.  
Show or explain your reasoning.

**b**

$$3x + 4x - 5x$$

Write each expression with fewer terms.  
Show or explain your reasoning.

**C**

$$3(x - 2) + 4(x - 2) - 5(x - 2)$$

Write each expression with fewer terms.  
Show or explain your reasoning.

d

$$3 \left( \frac{5}{2}x + 6\frac{1}{2} \right) + 4 \left( \frac{5}{2}x + 6\frac{1}{2} \right) - 5 \left( \frac{5}{2}x + 6\frac{1}{2} \right)$$

# Today's Goals

- When I look at an expression, I can notice if some parts have common factors and make the expression shorter by combining those parts.
- Given an expression, I can use various strategies to write an equivalent expression.



# Let's reflect on Unit 6...



- ❑ Describe something that you found confusing at first that you now understand well.
- ❑ Think of a story problem that you would not have been able to solve before this unit that you can solve now.
  - ❑ Put a star by a notebook example or write about it.
- ❑ What is a tool or strategy that you learned that was particularly useful?

- ❑ Describe a common mistake that people make when using the ideas we studied in this unit and how they can avoid that mistake.
- ❑ Which is your favorite, and why?
  - the distributive property
  - rewriting subtraction as adding the opposite
  - the commutative property

# R's and T's

Cool Down

