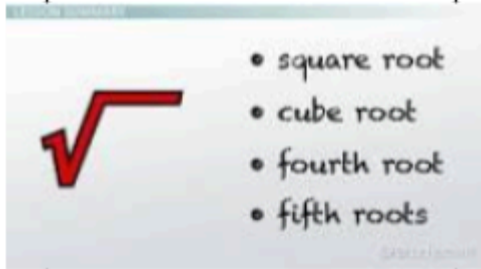


<p>Definition:</p> <p>In mathematics, a radical expression is defined as any expression containing a radical ($\sqrt{}$) symbol. Many people mistakenly call this a 'square root' symbol, and many times it is used to determine the square root of a number. However, it can also be used to describe a cube root, a fourth root, or higher.</p>	<p>Characteristics: see more....</p> <p>https://study.com/academy/lesson/radical-expression-definition-examples-quiz.html</p>
<div>Radical Expression Pg 300 20-1</div>	
<p>Examples:</p>	<p>Non-Examples:</p>
<p>Image Representation:</p> <div></div>	

<p>Definition:</p> <p>The unique nonnegative square root of a nonnegative real number. ... The concept of principal square root cannot be extended to real negative numbers since the two square roots of a negative number cannot be distinguished until one of the two is defined as the imaginary unit, at which point and can then be distinguished.</p>	<p>Characteristics:</p>
<div data-bbox="511 468 976 625" data-label="Section-Header"> <p>Principal square root Pg 300 20-1</p> </div>	
<p>Examples:</p>	<p>Image Representation:</p> <div data-bbox="544 779 954 892" data-label="Equation-Block"> $\begin{aligned} x^2 &= 25 \\ \pm\sqrt{x^2} &= \pm\sqrt{25} \\ \pm\sqrt{x^2} &= \pm\sqrt{5^2} \\ \pm(x) &= \pm(5) \\ x &= \pm 5 \end{aligned}$ <p>Take the positive and negative square root of each side by calculation: $\sqrt{25} = \sqrt{5^2}$ by definition: $\sqrt{x^2} = x$ Simplify</p> </div> <p>Non-Examples:</p>

Definition: The imaginary number "i" is the square root of negative one. An imaginary number possesses the unique property that when squared, the result is negative . Consider: The process of simplifying a radical containing a negative factor is the same as normal radical simplification.	Characteristics:
<div>Negative square root Pg 300 20-1</div>	
Examples:	Non-Examples:
Image Representation:	

<p>Definition:</p> <p>The cube root of a number, n, is the number which when used as a factor three times results in the product, n.</p>	<p>Characteristics:</p>
<p>Examples:</p> <p>$\sqrt[3]{27} = 3$ $3 \times 3 \times 3 = 27$</p>	<p>Image Representation:</p>

Cube root
Pg 301 20-1

Non-Examples:

Definition:		Characteristics:	
To make rational			
<div>Rationalize Pg 309 20-3</div>			
Examples:	Image Representation:	Non-Examples:	

<p>Definition:</p> <p>A graphic organizer for listing the possible outcomes of an experiment</p>	<p>Characteristics:</p>
<p>Examples:</p>	<p>Image Representation:</p>

Tree diagram
21-1 313

Non-Examples:

Definition: A sequence in which the ratio of consecutive terms is a constant		Characteristics:	
Examples:		Non-Examples:	
Image Representation:			

Geometric sequence
314 pg 21-1

<p>Definition:</p> <p>The ratio, typically denoted by the letter r, between consecutive terms in a geometric sequence</p>	<p>Characteristics:</p>
<p>Common ratio 314 21-1</p>	
<p>Examples:</p>	<p>Non-Examples:</p>
<p>Image Representation:</p>	

<p>Definition:</p> <p>A sequence in which the difference of consecutive terms is constant</p>	<p>Characteristics:</p>
<p>Examples:</p>	<p>Image Representation:</p>

Arithmetic sequence
21-1 315

Non-Examples:

<p>Definition:</p> <p>A formula that gives any term as a function of preceding terms-adds a common difference to the previous term</p>		<p>Characteristics:</p>	
<p>Examples:</p>		<p>Non-Examples:</p>	

Recursive formula

21-2 316

Image Representation:

<p>Definition:</p> <p>A increase in a quantity due to multiplying by the same factor during each time period. In a growth function, the constant factor is greater than 1.</p>	<p>Characteristics:</p>
<p>Examples:</p> <p>2^x</p>	<p>Image Representation:</p>

Exponential growth
Pg 326 21-2

Non-Examples:

<p>Definition:</p> <p>A function of the form $f(x)=a \cdot b^x$, Where a and b are constants, x is the domain, $f(X)$ is the range, and $a \neq 0, b > 0, b \neq 1$</p>	<p>Characteristics:</p>
<p>Examples:</p>	<p>Image Representation:</p>

Exponential function
Pg 326 22-1

Non-Examples:

<p>Definition:</p> <p>A decrease in a quantity due to multiplying by the same factor during each time period. In a decay function, the constant factor is greater than 0 but less than 1.</p>	<p>Characteristics:</p>
<p>Examples:</p>	<p>Image Representation:</p>

Exponential decay
Pg 331 22-2

Non-Examples:

Definition: Interest calculated on the total principal plus the interest earned or owed during the previous time period.		Characteristics:	
<div>Compound interest Pg 341 23-1</div>			
Examples:		Non-Examples:	
		Image Representation:	

Definition: A method used to find an exponential function that models a set of data		Characteristics:	
Examples: $y \sim a * b^x$		Non-Examples:	
		Image Representation:	

Exponential regression
Pg 347 23-2

<p>Definition:</p> <p>A number, a variable, or a product of a number and variable(s).</p>		<p>Characteristics:</p>	
<div>Term Pg 355 24-1</div>			
<p>Examples:</p>		<p>Image Representation:</p>	<p>Non-Examples:</p>

<p>Definition:</p> <p>A single term or the sum of two or more terms.</p>	<p>Characteristics:</p>
<p>Examples:</p>	<p>Image Representation:</p>

Polynomial
24-1 356

<p>Definition:</p> <p>A number by which a variable is multiplied</p>	<p>Characteristics:</p>
<p>Examples:</p> <p>6x- 6 is the coefficient</p>	<p>Image Representation:</p>

Coefficient
Pg 356 24-1

Non-Examples:

Definition: A term in an equation that doesn't change value		Characteristics:	
Examples: In $y=mx+b$ b $3x+8$:8		Non-Examples:	
Image Representation:			

Constant term
356 24-1

<p>Definition:</p> <p>The sum of the exponents of the variables contained in the term</p>	<p>Characteristics:</p>
<p>Examples:</p>	<p>Image Representation:</p>

Degree of a term

24-1 356

Definition: The largest degree of any term in the polynomial		Characteristics:	
Examples:		Non-Examples:	
Image Representation:			

Degree of a polynomial
357 24-1

<p>Definition:</p> <p>A way of writing a polynomial so terms are descending order of degree</p>	<p>Characteristics:</p>
<p>Examples:</p>	<p>Image Representation:</p>

Standard form of a polynomial

357 24-1

Definition: Terms are arranged in order from largest to smallest		Characteristics:	
Examples:		Non-Examples:	
<div>Descending order 357 24-1</div>			
		Image Representation:	

Definition:	Characteristics:
The coefficient of the term with the highest degree in a polynomial	
<div>Leading coefficient</div> <div>357 24-1</div>	
Examples:	Non-Examples:
	Image Representation:

Leading coefficient
357 24-1

Definition:	Characteristics:		
A number, a variable, or a product of numbers and variables with whole number exponents. 1 term while in simplest form			
<div>Monomial 357 24-1</div>			
Examples:	Image Representation:		Non-Examples:

<p>Definition:</p> <p>A sum or difference of two monomials. 2 terms when in simplest form</p>		<p>Characteristics:</p>	
<p>Examples:</p>		<p>Non-Examples:</p>	
		<p>Image Representation:</p>	

Binomial

24-1 3577

<p>Definition:</p> <p>Has 3 terms when in simplest form</p>	<p>Characteristics:</p>
<p>Examples:</p>	<p>Image Representation:</p>

Trinomial
 $3x^2 + 24x - 1$

<p>Definition:</p> <p>Terms that have the same variable raised to the same power</p>		<p>Characteristics:</p>	
<p>Like terms 24-2 361</p>			
<p>Examples:</p>	<p>Image Representation:</p>	<p>Non-Examples:</p>	

<p>Definition:</p> <p>A polynomial with the form of $a^2 - b^2$, which is the product of binomials of the form $(a+b)(a-b)$.</p>	<p>Characteristics:</p>
<p>Examples:</p>	<p>Image Representation:</p>

Difference of two squares

376 25-2

<p>Definition:</p> <p>A binomial in the form of $(a+b)^2$ or $(a-b)^2$.</p>	<p>Characteristics:</p>
<p>Examples:</p>	<p>Image Representation:</p>

Square of a binomial

25-2 377

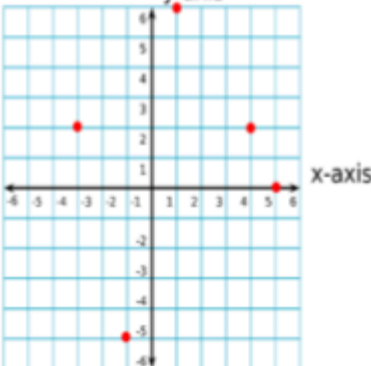
<p>Definition:</p> <p>Greatest monomial that divides into each term without a remainder</p>	<p>Characteristics:</p>
<p>Examples:</p>	<div data-bbox="511 464 976 625"> <p>Greatest common factor of a polynomial 385 26-1</p> </div> <p>Image Representation:</p> <p>Non-Examples:</p>

Definition: Trinomials that are the result of squaring binomials.		Characteristics:	
Examples:		Non-Examples:	
		Image Representation:	

Perfect square trinomial
 $26-2 \ 389$

Definition:	Characteristics:
An expression that can be written as the ratio of two polynomials.	
<div>Rational expression 28-1 403</div>	
Examples:	Non-Examples:
Image Representation:	

Rational expression
28-1 403

<p>Definition:</p> <p>A Relation is a set of ordered pairs</p>	<p>Characteristics:</p> <p>You are able to check a set of ordered pairs to see it's function.</p>
<p>Relation p.66 [5.1]</p>	
<p>Examples:</p> <p>$\{(1,4), (2,3), (6,5)\}$</p>	<p>Non-Examples:</p> <p>Image Representation:</p>  <p>The image shows a coordinate plane with a grid. The x-axis and y-axis both range from -6 to 6, with major grid lines every 1 unit. Five red points are plotted at the following coordinates: (-3, 2), (1, 6), (4, 2), (5, 0), and (-2, -5). The points are scattered across the plane, with no two points sharing the same x or y value.</p>