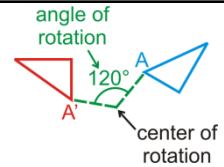


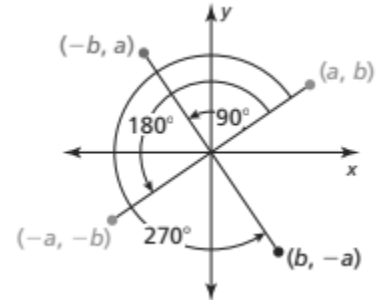
NOTES

- A **rotation** uses a fixed point to turn a figure around, or about.
- The fixed point is called the **center of rotation**, or *pivot point*.
- The **angle of rotation** is the angle formed by lines connecting the *pre-image* to the center and the *image* to the center.



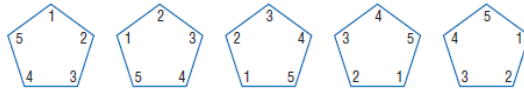
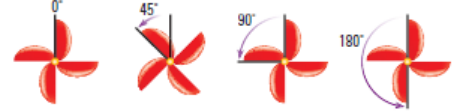
★ Rotations in the coordinate plane

- Rotation **90° counter-clockwise about the origin**
 - Switch coordinates and make the point fit the quadrant.
 $(x, y) \rightarrow (-y, x)$
- Rotation **90° clockwise about the origin** [or 270° CCW]
 - Switch coordinates and make the point fit the quadrant.
 $(x, y) \rightarrow (y, -x)$
- Rotation **180° about the origin**
 - Leave coordinate order alone, but make both of them the opposite sign.
 $(x, y) \rightarrow (-x, -y)$



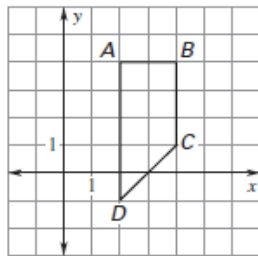
☀ IF YOU ARE NOT GIVEN A DIRECTION, ASSUME TO GO **COUNTER-CLOCKWISE**.

- A figure has **rotational symmetry** if it can be rotated onto itself, using its center as the center of rotation, in **180° or less** in either direction.

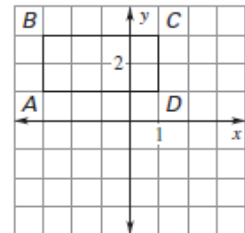


EXAMPLE 1 – Name the coordinates of the vertices of the image after the given rotation.

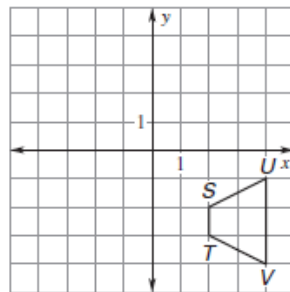
1. 90° clockwise



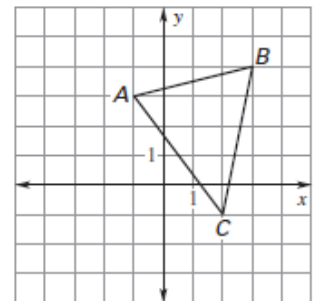
2. 90° counter-clockwise



3. 180°



4. 270° clockwise

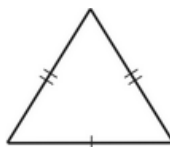


EXAMPLE 2 – Determine whether the figure has rotational symmetry. IF SO, DESCRIBE THE ROTATIONS THAT MAP THE FIGURE ONTO ITSELF.

1.



2.



3.

