# 2.01 Translations and Reflections

# Transformations Video CLICK HERE

What is a transformation?	Types of transformations
When a figure in some way. size, orientation, and/or location may	Its The four types of transformations are,,, and dilations.
How to label a shape after it has been transfor	rmed
A = B = B' C =	

Order Matters! Video CLICK HERE				
Triangle ABC is translated to create triangle DEF,				
list the parts of the triangles that correspond with each other.	A C			

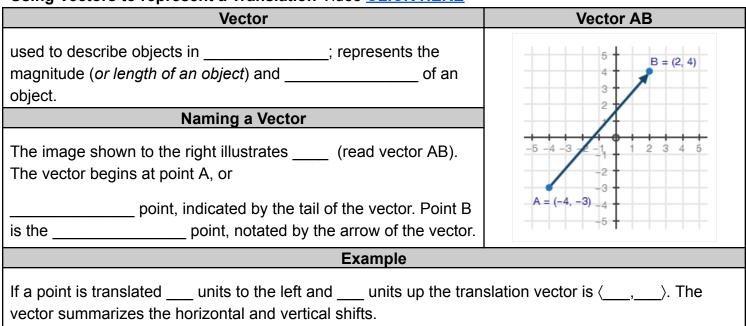
## Vocabulary Review Video CLICK HERE

Pre-image	Image			
A figure it has been transformed.	The resulting figure a pre-image has been transformed.			
Translations	Collinear			
The movement of a figure from one to another without a in shape, size, or orientation.	Points that lie on the same			
Rigid Motions				
A rigid transformation without altering its	or			
*Note: It is important to note that translations are rigid transformations. The location of the figure changes during the transformation, but the shape and size do not.that lie on the same				

### Translations as Functions Video CLICK HERE

How to write a translation	
Changes to the x-value:	YA
If a number is added to the x-coordinate, it shifts the image to the, and if a number is subtracted from the x-coordinate, it shifts the image to the	9 8 8 7 7 6 6 6 6 6 6 6 6 6 6 6 6 6 6 6 6
Changes to the <i>y-value</i> :	-9 -8 -7 -6 -5 -4 -3 -2 -1 0 1 2 3 4 5 6 7 8 9 10 X
If a number is added to the y-coordinate, it shifts the image, while subtracting a number shifts the figure	2 3 4 4 5 5 9

## Using Vectors to represent a Translation Video CLICK HERE



## Reflections Video CLICK HERE

Reflections video <u>CLICK HERE</u>	
Reflection	<b>1</b> □
A reflection is a transformation where the image	в А
of a figure is shown directly opposite its of reflection.	
Rigid Motion	
When a figure is to a different location without	<b>→</b> C
altering its shape or	<b>∠</b> C'
Line of Reflection	
The line of reflection is a unique line that is	B' A'
from the corresponding vertices of the pre-image and image. It is also	
to the line that connects these corresponding vertices.	<b>√</b> D'

#### **Rules of Reflection**

# How to reflect an image using a rule(algebraically) Across the x-axis (or line y = 0) Across the y-axis (or line x = 0) Video **CLICK HERE** Video **CLICK HERE** $(x, y) \rightarrow \underline{\hspace{1cm}}$ $(x, y) \rightarrow \underline{\hspace{1cm}}$ Across the line y = -xAcross the line y = xVideo CLICK HERE Video **CLICK HERE** $(x, y) \rightarrow \underline{\hspace{1cm}}$ $(x, y) \rightarrow \underline{\hspace{1cm}}$

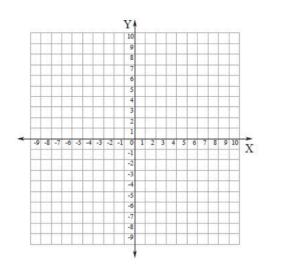
#### **Reflections across Horizontal & Vertical Lines**

# How to reflect an image without a rule

### **Reflect Across Horizontal Lines**

Video **CLICK HERE** 

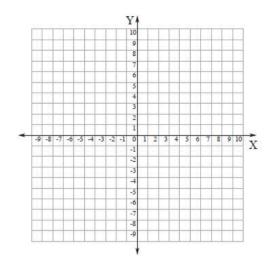
Across a **horizontal** line, Ex: y =



# Reflect Across Vertical Lines

Video CLICK HERE

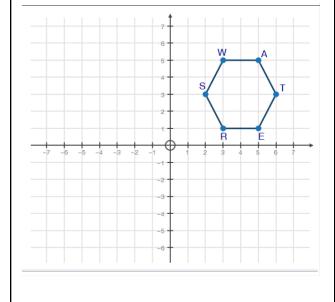
Across a **vertical** line, Ex: x = \_\_\_\_\_



#### Let's Practice!

## Question 1 Video CLICK HERE

Translate WATERS 4 units to the left and 7 units down.



\*Note: There are a variety of ways to describe a translation using coordinates. For example, the translation pictured to the left can be described 4 ways:

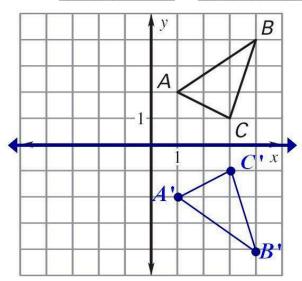
- 1. using words: 4 units to the left and 7 units down
- 2. using coordinates:  $(x, y) \rightarrow (x 4, y 7)$
- 3. symbol notation: Tx,y = (x-4, y-7)
- 4. by Vector:  $T\langle -4, -7 \rangle$ .

(x\_\_\_\_\_, y\_\_\_\_)

#### Question 2 Video CLICK HERE

What is the line of reflection between triangles ABC and A'B'C'?

Answer: \_\_\_\_\_ or \_\_\_\_



\*Note: There are multiple ways to describe a reflection using coordinates. A reflection over the x-axis can be represented as  $(x, y) \rightarrow (x, -y)$  or as rx-axis(x, y) = (x, -y).

## Question 3 Video CLICK HERE

Graph a triangle (DEF) and reflect it over the line y= x to create triangle D'E'F'. Describe the transformation using words. Draw a line segment from point D to the reflecting line and then draw a line segment from point D' to the reflecting line. What do you notice about the two line segments you drew?

\*Reflection rule for y = x:

$$(x, y) \rightarrow \underline{\hspace{1cm}}$$

Sample coordinates:

D: \_\_\_\_\_

D':

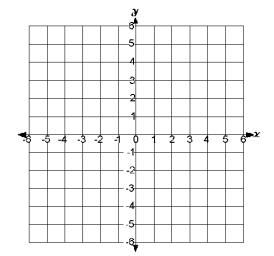
E: \_\_\_\_\_

E':\_\_\_\_\_

F: \_\_\_\_\_

F': \_\_\_\_\_

The lines are \_\_\_\_\_ and \_\_\_\_.



## Question 4 Video CLICK HERE

What reflection and translation would map  $\triangle ABC$  onto  $\triangle DEF$ ?

