

HC Verma Solutions Centre of Mass, Linear Momentum, Collision

<http://www.learncbse.in/centre-mass-linear-momentum-collision-hc-verma-concepts-physics-solutions/>
<https://goo.gl/Wm3pyK>
<http://cbsetuts.blogspot.in/2018/01/hc-verma-solutions-centre-of-mass.html>
<https://goo.gl/AKZZcV>
<https://sites.google.com/site/aplustoppertnotes/hc-verma-solutions-centre-of-mass-linear-momentum-collision>
<https://goo.gl/Vf5Ro1>
<https://docs.google.com/document/d/e/2PACX-1vODMzPqC2ChZwsc0XBmTMO6EyYNY-4KINRwLwCwRSf0qnLyPSg9fParHg-X9IR7QIFksXo3azERYTyC/pub>
<https://goo.gl/pt6QFh>
https://docs.google.com/presentation/d/e/2PACX-1vSZKZctKYjxOBfcjNta2s3VdYpBI_Qi-_x6lwX3GTrvJyrlOnKSntFKv7BnFn0wmBWYl15S4gLvxhRI/pub?start=true&loop=true&delayms=3000
<https://goo.gl/nyTWGh>

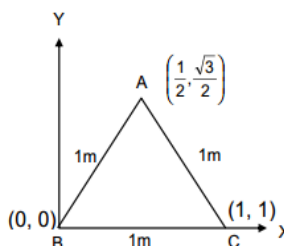
Centre of Mass, Linear Momentum, Collision HC Verma Concepts of Physics Solutions

Centre of Mass, Linear Momentum, Collision HC Verma Concepts of Physics Solutions Chapter 9

1. $m_1 = 1\text{kg}, m_2 = 2\text{kg}, m_3 = 3\text{kg},$
 $x_1 = 0, x_2 = 1, x_3 = 1/2$
 $y_1 = 0, y_2 = 0, y_3 = \sqrt{3}/2$

The position of centre of mass is

$$\begin{aligned}
 \text{C.M} &= \left(\frac{m_1x_1 + m_2x_2 + m_3x_3}{m_1 + m_2 + m_3}, \frac{m_1y_1 + m_2y_2 + m_3y_3}{m_1 + m_2 + m_3} \right) \\
 &= \left(\frac{(1 \times 0) + (2 \times 1) + (3 \times 1/2)}{1 + 2 + 3}, \frac{(1 \times 0) + (2 \times 0) + (3 \times (\sqrt{3}/2))}{1 + 2 + 3} \right) \\
 &= \left(\frac{7}{12}, \frac{3\sqrt{3}}{12} \right) \text{ from the point B.}
 \end{aligned}$$



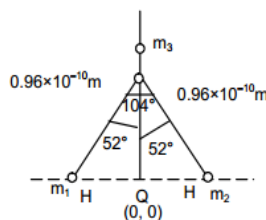
2. Let θ be the origin of the system

In the above figure

$$\begin{aligned}
 m_1 &= 1\text{gm}, & x_1 &= -(0.96 \times 10^{-10}) \sin 52^\circ & y_1 &= 0 \\
 m_2 &= 1\text{gm}, & x_2 &= -(0.96 \times 10^{-10}) \sin 52^\circ & y_2 &= 0 \\
 & & x_3 &= 0 & y_3 &= (0.96 \times 10^{-10}) \cos 52^\circ
 \end{aligned}$$

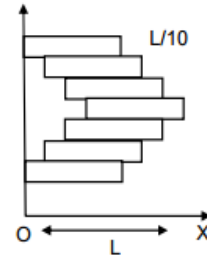
The position of centre of mass

$$\begin{aligned}
 &\left(\frac{m_1x_1 + m_2x_2 + m_3x_3}{m_1 + m_2 + m_3}, \frac{m_1y_1 + m_2y_2 + m_3y_3}{m_1 + m_2 + m_3} \right) \\
 &= \left(\frac{-(0.96 \times 10^{-10}) \times \sin 52^\circ + (0.96 \times 10^{-10}) \sin 52^\circ + 16 \times 0}{1 + 1 + 16}, \frac{0 + 0 + 16y_3}{18} \right)
 \end{aligned}$$



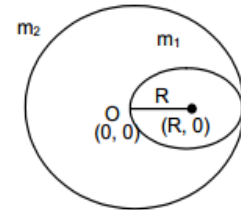
$$= (0, (8/9)0.96 \times 10^{-10} \cos 52^\circ)$$

3. Let 'O' (0,0) be the origin of the system.
 Each brick is mass 'M' & length 'L'.
 Each brick is displaced w.r.t. one in contact by 'L/10'
 $\therefore$ The X coordinate of the centre of mass



$$\begin{aligned} \bar{X}_{cm} &= \frac{m\left(\frac{L}{2}\right) + m\left(\frac{L}{2} + \frac{L}{10}\right) + m\left(\frac{L}{2} + \frac{2L}{10}\right) + m\left(\frac{L}{2} + \frac{3L}{10}\right) + m\left(\frac{L}{2} + \frac{3L}{10} - \frac{L}{10}\right) + m\left(\frac{L}{2} + \frac{L}{10}\right) + m\left(\frac{L}{2}\right)}{7m} \\ &= \frac{\frac{L}{2} + \frac{L}{2} + \frac{L}{10} + \frac{L}{2} + \frac{L}{5} + \frac{L}{2} + \frac{3L}{10} + \frac{L}{2} + \frac{L}{5} + \frac{L}{2} + \frac{L}{10} + \frac{L}{2}}{7} \\ &= \frac{\frac{7L}{2} + \frac{5L}{10} + \frac{2L}{5}}{7} = \frac{35L + 5L + 4L}{10 \times 7} = \frac{44L}{70} = \frac{11}{35}L \end{aligned}$$

4. Let the centre of the bigger disc be the origin.
 $2R$ = Radius of bigger disc
 R = Radius of smaller disc
 $m_1 = \pi R^2 \times T \times \rho$
 $m_2 = \pi (2R)^2 \times T \times \rho$
 where T = Thickness of the two discs
 ρ = Density of the two discs
 $\therefore$ The position of the centre of mass



- HC Verma Solutions,
- HC Verma,
- Solution of HC Verma Concept of Physics,
- Concepts of Physics Part 1 - HC Verma Solutions,
- HC Verma Concepts of Physics Solutions part 1 and part 2,
- HC Verma Solutions For Physics,
- hc verma part 1 pdf,
- h.c verma solutions free download full book,
- hc verma part 2 pdf,
- hc verma objective solutions,
- hc verma short answer solutions pdf,
- Physics HC Verma 1 - Solutions,
- Chapter wise solutions to HC Verma's Concepts of Physics,
- HC Verma Solutions Both Parts,
- HC VERMA SOLUTIONS (CHAPTERWISE)

Read more about [HC Verma Solutions Centre of Mass, Linear Momentum, Collision](#)