

MARKING SCHEME

Class- XI Session Ending Exam 2022-23 Subject – Physics

Sr.No	Answer / Description	Marks allotted
1	c	c
2	b	t
3	M	d
4	L	i
5	2	m
6	T	e
7	-	n
	1	s
	c	i
	b) $M L^{-1} T^{-1}$	o
8	a $V_a = \tan 60$	n
9	and $V_b = \tan 30$	T
10	$V_a/V_b = 3:1$ B	h
11	$f_r = mgs \sin 30 =$	e
12	$0.1 \times 9.8 \times 0.5 = 0.49$	o
13	b) $p_2 = 80/100 p_1 = 8/10 p_1$	r
	$mv_2 = 8/10 mv_1$ squaring both	e
14	side $V_2^2 = 64/100 v_1^2$ $1/2 m V_2^2$	m
15	$= 64/100 \cdot 1/2 m v_1^2$	proof
16	$K_2 = 64/100 K_1$ $\Delta k = k_1 - k_2 =$	Law of orbit with dig
17	36%	Law of Area or Law of Periods
18	a) $F/4$	$Y = FL/A\Delta L$ $\Delta L =$
	c) $1:8$	FL/YA $A =$
	b)	$1 \text{ mm}^2 = 10^{-6} \text{ m}^2$ $F =$
19	7	$3 \times 9.8 = 29.4 \text{ N}$
	0	$\Delta L =$
	J	$29.4 \times 1.5 / 2 \times$
20	a	$10^{11} \times 10^{-6} =$
21	)	0.22 mm OR
22	a) 10J work done = area of triangle ABC	$F = 1 \text{ KG WT} = 1000 \times 980 \text{ dyne} =$
23	$= \frac{1}{2} \times 80 \times 10^3 \times 250 \times 10^{-6} = 10 \text{ J}$	$9.8 \times 10^5 \text{ dyne}$
	b	$A = \pi d^2/4 = 0.03 \text{ cm}^2$
	)	$Y = FL/A\Delta L$
	5	$\Delta L / l \times 100 = F \times 100 / A Y = 0.0021\%$
	/	State
	3	ment
	a	of
24	)	Berno
	a)	ulli's
	a)	theore
25	d)	m
	$M_1 = 1000 \text{ kg}, m_2 = 8000 \text{ kg}, u_1 = 32 \text{ m/s}, u_2 = 4 \text{ m/s}, v_1 = -8 \text{ m/s}, v_2 = ?$	explan
	$m_1 u_1 + m_2 u_2 = m_1 v_1 + m_2 v_2$	ation
	$V_2 = 72000/8000 = 9 \text{ m/s}$	The factors pressure , temp, density and moisture affects
	C	
	o	
	r	
	r	
	e	

1

1

1

1

1

1

1

1

1

1

1

1

1

1

1

1

1

1

1

1

1 Mark each

$\frac{1}{2}$ M 1+1/2 M

1 M

1M

1+1 FORMULA

CONVERSION +

CALCULATION

1+1

1 M+1M

$\frac{1}{2}$ each x 4 = 2 M

the speed of in gases $V \propto \sqrt{T}$ $V \propto 1/\text{density}$ Pressure has no effect on speed of sound Sound travels faster in moist air		
26	Def $\frac{1}{2} + \frac{1}{2} M$	2 M
27	bankin g, dig Correct derivati	1 M 2 M
28	on Def and dig derivati on Coordinates of geometrical centers C1 C2	1M 1M
	C3 X $\frac{1}{2}$ $\frac{3}{2}$ $\frac{1}{2}$ Y $\frac{1}{2}$ $\frac{1}{2}$ $\frac{3}{2}$ X $x_{cm} = m_1x_1 + m_2x_2 + m_3x_3 / m_1 + m_2 + m_3 = 5/6m$ Y $y_{cm} = m_1y_1 + m_2y_2 + m_3y_3 / m_1 + m_2 + m_3 = 5/6m$	
29 Derivation The minimum speed with which a body must be projected in order that it will escape from the earth gravitational field is called as escape velocity. the escape velocity can be easily formulated which is: Putting the value of $g = GM/R^2$, the value of escape velocity becomes: From these two equations, it can be said that the escape velocity depends on the planet's radius and the planet's mass only and not on the body's mass.	Def. + diagram	1 M 2 M
30 $Y = a \sin (kx - \omega t)$ $Y = a \sin 2\pi(x/\lambda - \nu t)$ i) ii) Wavelength $\lambda = 1/0.4 = 2.5 \text{ m}$ iii) $K = 2\pi / \text{wavelength} = 2 \times 3.14 / 2.5 = 2.512 \text{ rad/m}$	$Y = 0.05 \sin 2\pi(0.4x - 5t)$ compare it with standard equation i) Amplitude = 0.05 m ii) $1/\lambda = 0.4$	$= 2.5/20 = 0.125 \text{ Kg/m}$ Velocity (v) = $\sqrt{T/m} = \sqrt{200/0.125} = 40 \text{ m/s}$ Time taken by disturbance to reach the other end $t = L/v = 20/40 = 0.5 \text{ s}$

OR

Mass per unit length(m) = M/l

1+1+1

½ Marks

½ Marks

1 Marks

1 Marks

31	(a) D i g o f p r o j e c t i l e t = x / u c o s θ $U = u \sin \theta$ $a = -g$ Vertical distance covered in time t S = $ut + \frac{1}{2} at^2$ $= u \sin \theta \times \frac{x}{u \cos \theta} - \frac{1}{2} g \frac{x^2}{u^2 \cos^2 \theta}$	Is equatio n of paraboli c motion (b) For $\theta = 45^\circ$ the horizontal range is maximum $R_{\max}$ $= \frac{u^2}{g}$ $H_{\max} = \frac{u^2 \sin^2 45^\circ}{2g} =$ $\frac{u^2}{4g} = \frac{R_{\max}}{4}$ Therefore $R_{\max} =$ $4H_{\max}$ OR (i) Time of maximum height Let t_m be the time taken by the projectile to reach maximum height $H_{\max}$ At highest point vertical component velocity zero $V = u + at$ $T_m = \frac{u \sin \theta}{g}$ T i m e o f f l

i		1/2M
g	V	
h	2	1/2M
t	-	
:	u	2M
d	2	
e	=	
f	2	
T	a	2 M
f	s	
=	$0 - (u \sin \theta)^2 = 2(-g)H_{\max}$	
2		
u	$H_{\max} = u^2 \sin^2 \theta / 2g$	
s	ii) two angle of	
i	projections for same	
n	horizontal range	1M
θ		
/		
g		
i		1M
i		
i		
)		
H		1M
m		
a		
x		
d		
e		
f		
i		
n		
i		
t		
i		
o		
n		

$R = u^2 \sin 2\theta / g$ $= u^2 \sin 2(90 - \theta) / g$ $= u^2 \sin (180 - 2\theta) / g$ $= u^2 \sin 2\theta / g$ $= R$ Hence from given velocity of projection a projectile has the same horizontal range for angle of projection θ and $(90 - \theta)$	replacing θ by $(90 - \theta)$ we get	2M
31 b) Correct proof and interpretation OR Specific heat of monoatomic gas Specific heat of diatomic gas U = $\frac{5}{2} RT$ hence Internal energy of 1g of oxygen $u = U/M = \frac{1}{32} \times \frac{5}{2} RT = \frac{5}{64} \times 8.31 \times 273 = 177.2 \text{ J}$	a) Derivation a) Def : Specific heat of monoatomic gas Specific heat of diatomic gas b) Oxygen is diatomic gas, therefore energy associated with 1 mole of oxygen U = $\frac{5}{2} RT$ hence Internal energy of 1g of oxygen $u = U/M = \frac{1}{32} \times \frac{5}{2} RT = \frac{5}{64} \times 8.31 \times 273 = 177.2 \text{ J}$	3 M 2M 1M + 1M 1 M 1M 1M 2 M
33	a)	Total Energy of SHM = K.E + P.E $X = A \cos (wt + \phi_0)$ $V = dx/dt = -wA \sin (wt + \phi_0)$ 1 M K.E = $\frac{1}{2} mV^2$ $= \frac{1}{2} m (-wA \sin (wt + \phi_0))^2$ $= \frac{1}{2} m w^2 A^2 \sin^2 (wt + \phi_0)$
		1M $K.E = \frac{1}{2} m w^2 A^2 \sin^2 (wt + \phi_0)$

$$\begin{array}{l}
 \phi_0) \\
 \text{like wise} \\
 P.E. = \frac{1}{2} m \omega^2 A^2 \cos^2(\omega t + \phi_0)
 \end{array}$$

1M

T.E = KE + PE b) $M = 1\text{ kg}$ $K = 50\text{ N/m}$, $A = 10\text{ cm}$ $y = 0.05\text{ m}$ 2M $KE = \frac{1}{2}k(A^2 - y^2) = 0.1875\text{ J}$ P.E. = $\frac{1}{2}k y^2 = 0.0625\text{ J}$ OR a) dig and normal mod of close end pipe First mode of vibration $L = \lambda_1/4$ $\lambda_1 = 4L$ $v_1 = v/\lambda_1 = v/4L$ <i>Second mode of vibration</i> $L = 3\lambda_2/4$ $\lambda_2 = 4L/3$ $v_2 = v/\lambda_2 = 3v/4L = 3v$ Third mode of vibration $L = 5\lambda_3/4$ $\lambda_3 = 4L/5$ $v_3 = v/\lambda_3 = 5v/4L = 5v$ b) freq=110Hz $v = 330\text{ m/s}$ fundamental frequency of an open end pipe $= v/2L$ $330/2 \times 110 = 1.5\text{ m}$		1 M 1m 1M 2 M
34	Section-E	Q 1 (a) $f = \mu R$ $\mu = f/R = f/mg = 49/100$ $= .49 = .5$ 1 M Q 2 (d) $\mu = \tan 30 = 1/\sqrt{3} = 0.57$ 1 M Q 3 (a) $F = \mu mg = 0.3 \times 1.5 = .45\text{ kgf}$ 1 M Q 4 (d) $F_a = 1.2\text{ kgf} = 1.2 \times 9.8\text{ N}$ $F_r = 0.45 \times 9.8\text{ N}$ 1 M
		$a = (F_a - F_r)/m = 4.9\text{ m/s}^2$
35	Q 1 b	1 M
Q 2 a		1M
Q 3-Correct defination		1M
Q 4-Correct Hook's law		1M

