School		Grade Level	Grade 9
Teacher		Learning Area	Mathematics
Teaching Date and Time		Quarter	Third
I. OBJECTIVES	Objectives must be met over the week and connected to the curriculum standards. To meet the objectives, necessary procedures must be followed and if needed, additional lessons, exercises and remedial activities may be done for developing content knowledge and competencies. These are assessed using Formative Assessment Strategies. Valuing objectives support the learning of content and competencies and enable children to find significance and joy in learning the lessons. Weekly objectives shall be derived from the curriculum quides.		
A. Content Standards	The learner demonstrates understanding of key concepts of quadrilaterals (parallelogram, trapezoid, kites) and triangle similarity.		
B. Performance Standards	The learner is able to investigate, analyze and solve problems involving quadrilaterals (parallelogram, trapezoid, kites) and triangle similarity through appropriate and accurate representation.		
C. Learning Competencies/ Objectives	other quantities involving Learning Objectives:  1. Use properties of the quantities 2. Solve for the unother quantities	es properties to find the meas parallelograms (M9AL-GE-IIIb of parallelogram to find the r involving parallelograms. iknown values in finding the r involving parallelograms. on on the uses of parallelograms	measure of angles, sides and measure of angles, sides and
II. CONTENT		he Measures of Angles, Sides	
III. LEARNING RESOURCES	mvotving parametograms.		
A. Content Standards			
Teacher's Guide     pages	p.212-222		
2. Learner's Materials pages	p.305-325		
3. Textbook pages	Empowering Math 9 p.21 p.364-367	2-251, grade 9 Mathematics Pa	atterns and Practicalities
4. Additional Materials from Learning Resource (LR) portal			
B. Other Learning Resources			
IV. PROCEDURES	so that pupils/students learning by the pupils/ activities. Sustain learnin ways to learn new thing and draw conclusions ab	ne across the week. Spread or will learn well. Always be get students which you can inferge systematically by providing personantice the learning, quest out what they learned in relationate the time allotment for	guided by demonstration of from formative assessment pupils/students with multiple tion their learning processes, ation to their life experiences
A. Review previous lesson or presenting the new lesson	in common?  How or platfor as hear Why a	do these rms lift objects avy as a car? are they and this way?	g objects. What do they have

		Possible Answers: Both are platforms and its forms are parallelogram. There are			
		lines, angles and a parallel lines.			
B.	Establishing a	The teacher lets the students realize that their knowledge of congruent triangles,			
	purpose for the	parallel lines, and angles are certainly needed in the study of the properties of			
	lesson	parallelogram can be used in finding the measures of angles sides and other properties involving parallelogram and it very useful in everyday life.			
	The teacher presents the properties of parallelogram and its uses in finding measure of angles, sides and other quantities involving parallelogram. Easier will be given a copy.				
		1. The opposite sides are parallel. $\overline{AB} \parallel \overline{DC}$ and $\overline{AD} \parallel \overline{BC}$			
		2. The opposite sides are congruent. $\overline{AB} = \overline{DC} \text{ and } \overline{AD} \approx \overline{BC}$			
C.	Presenting examples/instances	3. The opposite angles are congruent. $\angle A = \angle C \text{ and } \angle B = \angle D$			
	of the new lesson	4. The consecutive angles are supplementary. $m \angle A + m \angle B = 180^{\circ}$ $m \angle D + m \angle C = 180^{\circ}$ $m \angle B + m \angle C = 180^{\circ}$			
		5. The diagonals bisect each other. Diagonal $\overline{AC}$ bisects $\overline{BD}$ , this means $\overline{BE} = \overline{DE}$ Diagonal $\overline{BD}$ bisects $\overline{AC}$ , this means $\overline{AE} = \overline{CE}$			
		6. Each diagonal bisects the parallelogram into two congruent triangles.  For diagonal $AC$ , $ABC \cong ACDA$ For diagonal $BD$ , $ABD = ACDB$			
		The teacher discusses and illustrates thoroughly to the students the process of using			
		the properties in finding its measures.			
D.	Discussing new	The teacher lets the students to use the properties to solve parallelogram. He/She calls a student for board work activity.			
	concepts and	1.LE= L			
	practicing new skills	m∠ <i>LEF</i> = 17cm			
	#1	m∠ <i>I</i> =			
		EF=F			
		$m\angle L = $ $/$ E $m\angle F = $ $/$ E			
		The teacher lets the students to discuss the given activity by using the properties of			
		parallelogram.			
E.	Discussing new	Answer Key:			
	concepts and	LE=IF=17 cm			
	practicing new skills	$m \angle LEF = 180^{\circ} - 86^{\circ} = 94^{\circ}$ EF=LI=20cm			
	#2	$m \angle L = 180^{\circ} - m \angle LEF = 86^{\circ}$			
		$m \angle F = m \angle L = 86^{\circ}$			
F.	Developing mastery				
	(leads to formative				
	assessment 3)				
G.	Finding practical				
	applications of				
	concepts and skills				
	in daily living				
н.	Making	The teacher summarizes the properties of parallelogram in finding the measures of			
	generalizations and	angles, sides and other quantities involving parallelogram. PROPERTIES OF PARALLELOGRAM:			
		I PROPERTIES OF PARALLETOGRAM!			

## DAILY LESSON LOG OF M9-GE-IIIb-1(Day 7)

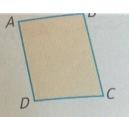
abstractions about the lesson	<ul> <li>Opposite side of a parallelogram are parallel (definition of parallelogram).</li> <li>Opposite angles of a parallelogram are congruent.</li> <li>Opposite side of a parallelogram are congruent.</li> <li>The diagonal of a parallelogram bisect each other.</li> <li>Each diagonal divides a parallelogram into to congruent triangles.</li> </ul>
I. Evaluating Learning	The teacher lets the students answer individually the formative assessment. Quadrilateral LOVE is a parallelogram. If $m\angle LEV=140^{\circ}$ , find;  a. $m\angle OLE=$ b. $m\angle LOV=$ c. $m\angle OVE=$ Answer key: a. $m\angle OLE=40^{\circ}$ b. $m\angle LOV=140^{\circ}$ c. $m\angle OVE=40^{\circ}$
J. Additional activities or remediation	Study the properties of Paralleogram
V. REMARKS	
VI. REFLECTION	Reflect on your teaching and assess yourself as a teacher. Think about your students' progress. What works? What else needs to be done to help the pupils/students learn? Identify what help your instructional supervisors can provide for you so when you meet them, you can ask them relevant questions.
A. No. of learners who earned 80% of the evaluation	
B. No. of learners who require additional activities for remediation who scored below 80%	
C. Did the remedial lesson work? No. of learners who have caught up with the lesson.	
D. No. of learners who continue to require remediation	
E. Which of my teaching strategies worked well? Why did these work?	
F. What difficulties did I encounter which my principal or supervisor can help me solve?	

## DAILY LESSON LOG OF M9-GE-IIIb-1(Day 7)

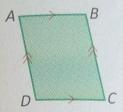
G.	What innovation or
	localized materials
	did I use/ discover
	which I wish to share
	with other teachers

Prepared by:

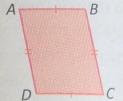
MA. CRISTINA C. LAMPARAS BANILAD NHS **EXAMPLE 1** ABCD is a parallelogram.



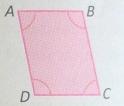
1. The opposite sides are parallel.  $\overline{AB} \parallel \overline{DC}$  and  $\overline{AD} \parallel \overline{BC}$ 



2. The opposite sides are congruent.  $\overline{AB} \cong \overline{DC}$  and  $\overline{AD} \cong \overline{BC}$ 



3. The opposite angles are congruent.  $\angle A \cong \angle C$  and  $\angle B \cong \angle D$ 



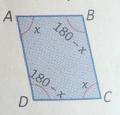
4. The consecutive angles are supplementary.

$$m\angle A + m\angle B = 180^{\circ}$$

$$m \angle D + m \angle C = 180^{\circ}$$

$$m\angle A + m\angle D = 180^{\circ}$$

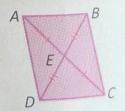
$$m \angle B + m \angle C = 180^{\circ}$$



5. The diagonals bisect each other.

Diagonal  $\overline{AC}$  bisects  $\overline{BD}$ , this means  $\overline{BE} \cong \overline{DE}$ 

Diagonal  $\overline{BD}$  bisects  $\overline{AC}$ , this means  $\overline{AE} \cong \overline{CE}$ 

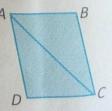


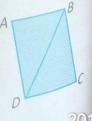
6. Each diagonal bisects the parallelogram into two congruent triangles.

For diagonal  $\overline{AC}$ ,  $\triangle ABC \cong \triangle CDA$ 

For diagonal BD,

 $\triangle ABD = \triangle CDB$ 





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