

Powerplay Wicket Analysis

Sample:

IPL Powerplay Data:  **IPL Matches**

Model : Number of wickets fall in an inning of a powerplay..

Total number of innings = 1512

The following table shows the frequency and probability distribution of the number of wickets taken during the powerplay:

<u>Number of Wickets</u>	<u>Number of Innings</u>	<u>Probability</u>
0	329	0.2176
1	528	0.3492
2	416	0.2751
3	174	0.1151
4	55	0.0364
5	8	0.0053
6	1	0.0007
7	1	0.0007

Define X: Number of wickets fall in the first 36 legal deliveries (powerplay) of an inning.

$$P(X=0) = 329/1512 = 0.2176$$

$$P(X=1) = 528/1512 = 0.3492$$

$$P(X=2) = 416/1512 = 0.2751$$

$$P(X=3) = 174/1512 = 0.1151$$

$$P(X=4) = 55/1512 = 0.0364$$

$$P(X=5) = 8/1512 = 0.0053$$

$$P(X=6) = 1/1512 = 0.0007$$

$$P(X=7) = 1/1512 = 0.0007$$

Now, check whether this follows the Binomial distribution.

Let p be the probability of success.

$p = P(\text{fall of wicket in a ball})$

$= \frac{\text{number of wickets fall in all the legal deliveries during powerplay of an inning}}{\text{total number of balls}}$

$$= 2155 / (1512 \times 36) = 2155 / 54432 = 0.03959 \approx 0.040$$

Using the Binomial distribution: $n = 36$, $x : \{0, 1, \dots, 36\}$, $p = 0.040$

$$P(X = k) = \binom{n}{k} p^k (1-p)^{n-k}$$

$$P(X=0) = 0.2300$$

$$P(X=1) = 0.3450$$

$$P(X=2) = 0.2515$$

$$P(X=3) = 0.1188$$

$$P(X=4) = 0.0408$$

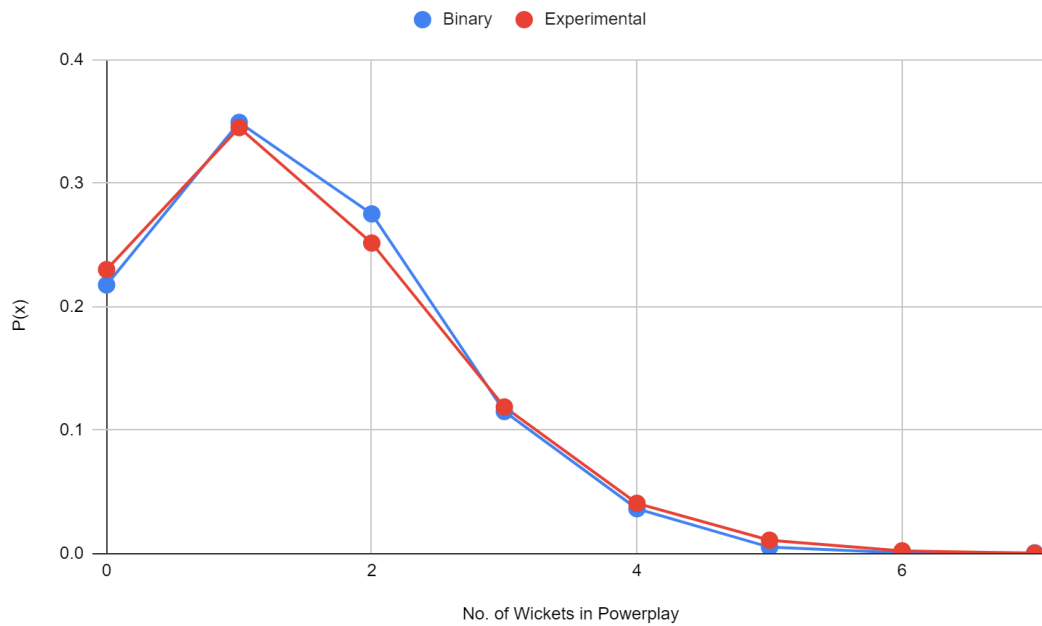
$$P(X=5) = 0.0109$$

$$P(X=6) = 0.0023$$

$$P(X=7) = 0.0004$$

For $x > 7$, $P(X=x)$ is approximately 0.

Hence, the random variable X (number of fours in first 36 legal deliveries) follows the Binomial distribution.



Conclusion:

The analysis indicates that most innings have either 1 or 2 wickets taken during the powerplay. The distribution suggests that taking 1 or 2 wickets in the powerplay is quite common, while taking 4 or more wickets is rare.