

# Strategic Instructional Periods for Mathematics





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**Transforming Math Instruction for Every Student in District 13** 

Di Leo - CSD 13 DAIS Math





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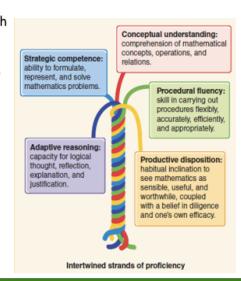
### What is Strategic Math Instruction?

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Strategic Mathematics Instruction is a teaching approach that equips students with the tools to think critically, reason mathematically, and solve problems effectively. It moves beyond rote memorization by emphasizing the use of specific evidence-based strategies to help students develop a deep understanding of concepts, promote flexible thinking and build strong problem-solving skills. Educators play a central role in actively engaging students in learning, focusing on the process of mathematical thinking and developing students' ability to think critically, reason mathematically, and apply appropriate methods to different situations. Ongoing assessment is used not just to measure learning, but to inform and adapt instruction to meet students' evolving needs. These are based on the Five Interdependent Strands of Mathematical Proficiency (see diagram below).

The National Research Council (2002) describes five interdependent strands of mathematical proficiency:

- conceptual understanding comprehension of math concepts, operations, and relationships
- procedural fluency skill in carrying out procedures flexibly and accurately
- strategic competence ability to formulate, represent, and solve problems
- adaptive reasoning capacity for logical thought, explanation, and justification
- productive disposition inclination to see mathematics as worthwhile and view oneself as mathematically capable







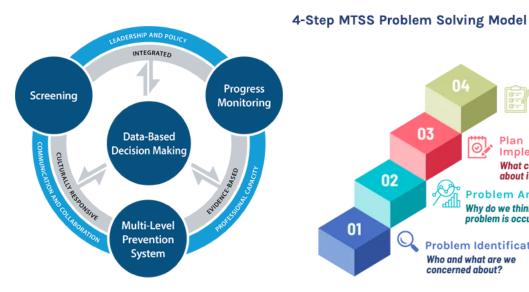
### SIP Math Framework

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### What are Strategic Instructional Periods - Mathematics?

Strategic Instructional Periods for Mathematics (SIP Math) are dedicated times during the school day when students in grades 3 to 8 receive targeted support to address specific learning gaps or difficulties in mathematics while utilizing their assets and things they know. These interventions are an important part of strategic mathematics instruction, especially within a Multi-Tiered System of Support (MTSS) framework.

Strategic Instructional Periods for Mathematics should be aligned with and supplemental to Tier 1 instruction. Tier 1 represents core curriculum and instruction for all grade 3 to 8 students, while strategic interventions (Tier 2) and intensive interventions (Tier 3) provide targeted support for students needing additional help. These interventions should be data-driven, directly address identified skill gaps, and should be integrated with Tier 1 instruction to ensure a coherent learning experience.







## SIP Math Framework Strategic Instructional Periods for Mathematics are:

**Regularly Scheduled:** SIP Math periods are scheduled at least two times per week for all students in grades 3 to 8. Each SIP Math should be at least one period in length.

### **Aligned and Supplementary:**

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SIP Math periods should be intentionally aligned with Tier I instruction to ensure students engage with the same essential concepts and skills in a more individualized and focused setting. These periods are not intended to function independently of the core curriculum, but rather to provide targeted support that enables all students in grades 3 to 8 to access and master grade-level content. SIP Math periods are designed to supplement, not replace, core mathematics instruction.

**Targeted:** SIP Math periods are focused on the specific skills or concepts a student is struggling with based on assessment data (D13 A.I.M. and Curricular-based Unit Assessments) while utilizing and building on their strengths and assets.

**Evidence-based:** SIP Math periods should be designed to use effective routines and strategies rooted in research and proven practices.

Monitored and Adjusted: Student progress is regularly monitored to ensure the focus of SIP Math is effective with adjustments to be made as needed. Individual, Small Group or One-on-One: SIP Math periods often take place in smaller settings to allow for more individualized attention and instruction tailored to the student's pace and learning style. Station teaching is a model that may be utilized for the format of a SIP Math period.





based on the 4-Step MTSS Problem Solving Model



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### **Problem Identification**

**Screeners and Assessments:** Unit Assessments and D13 A.I.M. after each administration to utilize as part of this process.



**Data Analysis for Grouping:** Use LASW Protocol (D13 D.A.T.A. sheet) to form Student Instructional Groups based on analysis of assessment data including student work products.





### **Plan Implementation**

**Instructional Planning:** Teachers/Teacher teams plan and design SIP Math activities based on assessment data aligned to Tier I instruction.



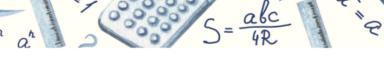
**Student Engagement:** Student Instructional Groups participate in SIP Math as a support and as a supplement for Tier I instruction.

### Plan Evaluation

**Progress Monitoring:** Monitor, reflect and adjust, if needed, at least every 4 to 6 weeks



Fall activities should address having teachers spend time using the LASW protocol, looking at assessments, and planning for SIP Math. School administrators should think about the systems and structures that need to be in place for this.



### Planning SIP Math - Sample Design for a SIP Math Period\*

using a "Stations" format

\*based on Using The Station Rotation Model in Math - Dr. Catlin Tucker

#### **Teacher-led Station**

Small group instruction that follows a structured, sequential progression, with the teacher delivering differentiated and explicit guidance on skills, concepts and standards in alignment with Tier I instruction.

#### **Independent Station(s)**

Students engage in targeted review by revisiting and completing practice problems aligned to standards introduced in recent lessons to reinforce and/or extend the learning and mathematical understanding necessary for success in Tier I instruction.

Focused on addressing common misconceptions and errors.

Systems should be in place to actively monitor and ensure students are on-task and engaged. Teachers may provide additional guidance and teaching to students if needed.

Progresses linearly
Designed to address needs of students based on
assessment data
(D13 A.I.M. and Unit Assessments)

### Explicit Teaching Model

- Explain and model
- Run through an example collaboratively
- Pair students to engage with another problem
- Continue to practice & apply individually

### **Explicit Teaching Model Adaptive Lessons**

(IXL/iReady/ILC-IM Math, etc.)

- Skill-based lessons facilitated by the teacher based on assessment data and student profiles from adaptive learning academic software.
- Can be designated to focus on skills, concepts and standards aligned to curriculum lesson(s) addressed in Tier I instruction by the teacher through the online platform.

Allows students to revisit and review concepts or apply mathematical thinking

Based on assessment data

(D13 A.I.M. and Unit Assessments)

#### **Problem Sets**

Illustrative Mathematics (IM v360)

 Provide students with a set of problems that revisit earlier processes, formulas, and mathematical concepts - Problems could be "Are you ready for more?", Problem set questions or Activities truncated from Tier I lessons.

#### **Math Tasks**

**Illustrative Mathematics** 

(Original website)

• Standards-aligned math tasks designed to challenge learners to think critically to solve math problems.

#### **Inside Mathematics**

• Problem of the Day - Standards-aligned math tasks, and problems to challenge learners to think critically.

#### **Exemplars**

 Performance tasks that support rigorous, standards-based instruction by developing students' problem-solving, inquiry, and communication skills through collaborative learning.

#### Skill-based Practice Problems - Strategically Assigned/Adaptive Learning

Academic Software - Interactive (IXL/iReady/ILC-IM Math, etc.)

- Practice problems focused on skills and concepts needed to meet standards aligned to curriculum and current lessons as selected and assigned by the teacher through an online platform and may be based on student assessment profiles and suggested instructional groups.
  - Personalized practice that adapts based on the student's performance
  - May be aligned to current lessons, standards, concepts and skills as assigned by teacher through online platform
  - Present students with next-level problems

### Data Analysis Template for Assessment (D.A.T.A. sheet) LASW Protocol

Based on D13 A.I.M. D.A.T.A. using a "Stations" format

#### Data Analysis Template for Assessment (D.A.T.A.) Sheet

School: District 13 Grade: 3 Class: 399 Teacher/Teacher Team: Di Leo, 3rd Grade TT

Date: 11/14/25 Data Source: D13 A.I.M. October 2025 - Question #1

#### **Section 1: Expectations in Student Performance**

1. Four situations are described below.

In one situation, the number of chocolate bars is equal to  $9 \times 3$ . Which situation is it? (3.0A.1)

- A. Emma makes 9 goodie bags with 3 chocolate bars in each bag.
- 3. Sophie makes 3 goodies bags with 9 chocolate bars in each.
- C. Joseph has 9 chocolate bars and gives 3 chocolate bars to each friend.
- D. Vince has 9 chocolate bars and Kathy has 3 more chocolate bars than Vince.

NY-3.OA.1 Interpret products of whole numbers. e.g., Interpret 5 × 7 as the total number of objects in 5 groups of 7 objects each. Describe a context in which a total number of objects can be expressed as 5 × 7.

Need #1: Answer B	Need #2: Answer C	Need #3: Answer D	Met Expectations: Answer A
The student is confused and reversed	The student misinterpreted the	The student interpreted the situation	Students understand that a
the roles of groups and group size,	operation as division (partitioning 9	as an additive comparison instead of	multiplication expression represents
interpreting the problem as 3 × 9	into groups of 3) instead of	a multiplication problem.	groups x how many in each group (9
instead of 9 × 3.	multiplication.	Possible Asset: Recognizes	bags with 3 chocolate bars each)
Possible Asset: Correct understanding	Possible Asset: Shows understanding	relationships between numbers,	
of multiplication as repeated	of grouping concept	though addition rather than	
addition.		multiplication is applied.	
Section 3: Instructional Student	Groups (based on Section 2)		
Group 1	Group 2	Group 3	Group 4
Section 4: Strategies/Scaffolds t	o Address Needs or Extend Learn	ing	
Independent Station	Independent Station	Teacher-led Station	Independent (Online) Station
Strategy/Scaffold - Need #1	Strategy/Scaffold - Need #2	Strategy/Scaffold - Need #3	Students Who Met Standard

Academic Software - IXL

'GET" Method Sca	ffold hand
Groups x Each = Total	
$G \times E = T$	
- O -	

 $T \div E = G$ 

 $T \div G = E$ 

#### **Sentence Frames Scaffold handout**

The first number tells me , and the second number tells me ." Fill in: "Sophie has \_\_\_\_ groups with \_ chocolates in each group."

#### Act It Out

Students role-play each scenario. Students ask questions to identify which scenario best represents the problem to select Emma's scenario which matches the "grouping" format of multiplication.

#### **Illustrative Mathematics**

"Are You Ready for More?"/Truncated Activity and/or Problem Set question(s)

#### Academic Software - IXL

Students engage with questions aligned to standards 3.OA.1 and the related 3.OA cluster.

maps, and brainstorming techniques to help students represent ideas and organize information. (Graphic organizer of the "G.E.T. Method"

#### **Act It Out with Counters**

Students role-play each scenario using counters to manipulate. Students ask questions to identify which scenario best represents the problem to select Emma's scenario which matches the "grouping" format of multiplication.

#### **Illustrative Mathematics**

"Are You Ready for More?"/Truncated Activity and/or Problem Set question(s)

#### Academic Software - IXL

Students engage with questions and activities aligned to 3.OA.1 and the related 3.OA cluster.

#### **Demonstrate and Model**

Demonstrate how to create a model that tells "The Story of the Problem" and represents the "groups", the "number in each group" and the "total amount". (i.e. Circle drawings, arrays and/or bar models are appropriate here).

#### **Draw the Scenario**

Draw each scenario using an appropriate model. Compare each scenario model and discuss which represents the structure of multiplication. (see "Demonstrate and Model" above).

#### **Numberless Version of Problem**

Create, share and discuss a "numberless" version of the problem - to focus on what the math of the problem is without an initial focus on the actual numbers in the problem..

#### **IXL Skill-based Lesson**

based on standard 3.OA.1 and related 3.OA cluster.

Students engage in adaptive learning online platform - aligned to skills and concepts that focus on standards 3.OA.1 and the related 3.OA cluster.

#### Student-created Problems

Have students come up with their own scenarios. Students can share with each other and offer peer feedback.

#### **Extension Tasks**

Additional problem tasks to engage and extend learning

#### Illustrative Mathematics

(Original Website)

Illustrative Math 3.OA.Tasks

#### **Inside Mathematics**

Problem of the Day:

The Wheel Shop | 3.OA.1, 3.OA.2 | **Inside Mathematics** 

#### Teacher Reference Coherence Map Link:

3.OA.A.1 - Operations And Algebraic Thinking - Coherence Map

### **Scheduling SIP Math**

### Elementary School Sample Teacher Schedule – Dynamic SIP Math

(5 Tier I Math, 2 or 3 SIP Math – as part of Math "blocks")

Periods	Times	Monday	Tuesday	Wednesday	Thursday	Friday
Arrival	8:20 – 8:30	Arrival	Arrival	Arrival	Arrival	Arrival
1	8:30 - 9:20					
2	9:20 – 10:10	Math		Math		
3	10:10 - 11:00					
4	11:00 - 11:50	LUNCH	LUNCH	LUNCH	LUNCH	LUNCH
5	11:50 - 12:40		Math		Math	Math
6	12:40 - 1:30		SIP Math		SIP Math (if possible)	SIP Math
7	1:30 - 2:20					
Dismissal	2:25 - 2:30	Dismissal	Dismissal	Dismissal	Dismissal	Dismissal











Monday PD Math meeting - Data analysis of SIP Math from the previous Friday and planning for the current week.

### Elementary School Sample Teacher Schedule – Static SIP Math

(5 Tier I Math periods each class 2 SIP Math by grade)

Periods	Times	Monday	Tuesday	Wednesday	Thursday	Friday
Arrival	8:20 – 8:30	Arrival	Arrival	Arrival	Arrival	Arrival
1	8:30 - 9:20		301 Math			
2	9:20 – 10:10	301 Math	SIP Math 3 <sup>rd</sup> Grade			
3	10:10 - 11:00				301 Math	
4	11:00 - 11:50	LUNCH	LUNCH	LUNCH	LUNCH	LUNCH
5	11:50 - 12:40					301 Math
6	12:40 - 1:30			301 Math		SIP Math 3 <sup>rd</sup> Grade
7	1:30 - 2:20					
Dismissal	2:25 - 2:30	Dismissal	Dismissal	Dismissal	Dismissal	Dismissal

### **Scheduling SIP Math**

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### Middle/High School Sample Teacher Schedule – Dynamic SIP Math

(Three Classes - 5 Tier I, 3 SIP Math each, 1 "extra")

11								
2	Period	Times	Monday	Tuesday	Wednesday	Thursday	Friday	
F	Arrival	8:00 – 8:10	Arrival	Arrival	Arrival	Arrival	Arrival	
	1	8:10 - 8:55	601	602			603	
	2	9:00 – 9:45	601 SIP Math	602 SIP Math	603	601	602	
14	3	9:50 - 10:35			603 SIP Math	601 SIP Math	602 SIP Math	
	4	10:40 - 11:25		"Extra" Period	601	602		
00	5	11:30 - 12:15	LUNCH	LUNCH	LUNCH	LUNCH	LUNCH	1
000	6	12:20 - 1:05	602	603		603	601	
(D)	7	1:10 - 1:55	603		602	603 SIP Math	601 SIP Math	)
M	8	2:00 - 2:45	603 SIP Math	601	602 SIP Math			
مرا	Dismissal	2:50 - 3:00	Dismissal	Dismissal	Dismissal	Dismissal	Dismissal	7
(ab)	Monday PD	Math meeting -	Data analysis of Si	P Math from the	previous Friday a	nd planning for t	he current week.	K
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(Five Classes – 5 Tier I with Math teacher, 2 SIP Math by grade)

	, , , , ,								
Pe	eriod	Times	Monday	Tuesday	Wednesday	Thursday	Friday		
Ar	rival	8:00 – 8:10	Arrival	Arrival	Arrival	Arrival	Arrival		
	1	8:10 - 8:55	601		603	604	605		
	2	9:00 – 9:45	602	SIP Math 6 <sup>th</sup> Grade	604	605	601		
	3	9:50 - 10:35	603	602					
	4	10:40 - 11:25		603		601	602		
	5	11:30 - 12:15	LUNCH	LUNCH	LUNCH	LUNCH	LUNCH		
	6	12:20 - 1:05		604	605	602	603		
	7	1:10 - 1:55	604	605	601	603	604		
	8	2:00 - 2:45	605	601	602		SIP Math 6 <sup>th</sup> Grade		
Disr	missal	2:50 - 3:00	Dismissal	Dismissal	Dismissal	Dismissal	Dismissal		
Mon	day PD	Math meeting -	Data analysis of S	SIP Math from the	previous Friday (	and planning for t	he current week		

### Scheduling SIP Math

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### Middle/High School Sample Class Schedule - Dynamic SIP Math

(5 Tier I Math periods, 3 SIP Math - based on a teacher with a three class schedule)

Period	Times	Monday	Tuesday	Wednesday	Thursday	Friday
Arrival	8:00 – 8:10	Arrival	Arrival	Arrival	Arrival	Arrival
1	8:10 - 8:55	601				
2	9:00 – 9:45	601 SIP Math			601	
3	9:50 - 10:35				601 SIP Math	
4	10:40 - 11:25			601		
5	11:30 - 12:15	LUNCH	LUNCH	LUNCH	LUNCH	LUNCH
6	12:20 - 1:05					601
7	1:10 - 1:55					601 SIP Math
8	2:00 - 2:45		601			
Dismissal	2:50 - 3:00	Dismissal	Dismissal	Dismissal	Dismissal	Dismissal

(5 Tier I periods with Math teacher, 2 SIP Math as a grade)

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8:00 – 8:10 8:10 - 8:55	<b>Monday</b> Arrival	<b>Tuesday</b> Arrival	Wednesday  Arrival	Thursday	Friday
	Arrival	Arrival	Arrival		
8:10 - 8:55		I	AITIVUI	Arrival	Arrival
			603		
9:00 – 9:45		SIP Math 6 <sup>th</sup> Grade			
9:50 - 10:35	603				
10:40 - 11:25		603			
11:30 - 12:15	LUNCH	LUNCH	LUNCH	LUNCH	LUNCH
12:20 - 1:05					603
1:10 - 1:55				603	
2:00 - 2:45					SIP Math 6 <sup>th</sup> Grade
2:50 - 3:00	Dismissal	Dismissal	Dismissal	Dismissal	Dismissal
	9:50 - 10:35 10:40 - 11:25 11:30 - 12:15 12:20 - 1:05 1:10 - 1:55 2:00 - 2:45 2:50 - 3:00	9:50 - 10:35 603  10:40 - 11:25  11:30 - 12:15 LUNCH  12:20 - 1:05  1:10 - 1:55  2:00 - 2:45	9:50 - 10:35 603  10:40 - 11:25 603  11:30 - 12:15 LUNCH LUNCH  12:20 - 1:05  1:10 - 1:55  2:00 - 2:45  Dismissal	9:50 - 10:35 603  10:40 - 11:25 603  11:30 - 12:15 LUNCH LUNCH LUNCH  12:20 - 1:05  1:10 - 1:55  2:00 - 2:45  Dismissal Dismissal	9:50 - 10:35 603 10:40 - 11:25 603 11:30 - 12:15 LUNCH LUNCH LUNCH LUNCH 12:20 - 1:05 603 603 603 603 603 603 603 603 603 603



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NYCPS NYC Solves
Mathematical Instructional Shifts

(a) a		From:	То:		
	1	Beginning with modeling	Beginning with sensemaking		
2	2	Different tasks based on prior performance	Shared, Low-floor, High-ceiling Tasks		
	3	Discourse to demonstrate understanding	Discourse to develop understanding		
	4	Deficit-based support	Asset-based support		
<u> </u>	5	Using lesson materials from a variety of sources	Shared High-Quality Instructional Materials		

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### **NYCPS K-12 MATHEMATICS SHIFTS**

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Shifts 1 and 2 are the major

focus for 2025-2026 City-wide Math

### **Resources and References**

(0812 ·	Resource								Link			
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NYCPS Instructional Mathematics Shifts	NYCPS	New York City Public Schools Instructional Mathematics Shifts
Multi Tiered System of Supports Resources Website	NYCPS	NYCPS MTSS Website
MTSS-M Implementation Guide Exploration Phase	NYCPS	MTSS in Mathematics
What Is MTSS?  Multi-Tiered System of Supports  Everything you need to know about MTSS  in education and how to implement.	Branching Minds	What Is MTSS? Multi-Tiered System or Supports
Illustrative Mathematics - Alignment to New York State Next Generation Mathematics Learning Standards	IM - Imagine Learning (ILC)	IM Alignment to NYS NGLS Math
Using The Station Rotation Model in Math	Dr. Catlin Tucker	Using The Station Rotation Model in Mat - Dr. Catlin Tucker
Mathematics: Focus by Grade Level	Achievethecore.org	Instructional Content - Mathematics: Focus by Grade Level
Coherence Map - Math Standards	Achievethecore.org	<u>Coherence Map -</u> <u>Achievethecore.org</u>
Illustrative Tasks and Resources by Content Standard	Illustrative Mathematics	Illustrative Math Tasks
Inside Problem Solving Guide and Problems	Inside Mathematics Charles A. Dana Center University of Texas at Austin	Inside Problem Solving
Performance Assessment Tasks	Inside Mathematics Charles A. Dana Center University of Texas at Austin	Performance Assessment Tasks   Inside Mathematics

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 $(ab)^n = a^n b^n$ 

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