

UNIT-I: Overview of AI & Search Techniques

Complete Study Notes with Examples, Code, Diagrams & Resources

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1. OVERVIEW OF AI

Introduction to AI

Artificial Intelligence (AI) is the simulation of human intelligence by machines, especially computer systems. It involves creating systems that can perform tasks requiring human-like thinking.

Key Definition:

"AI is the science and engineering of making intelligent machines that can act rationally."^[1]

Core Capabilities:

- Learning from experience
- Reasoning and problem-solving
- Perception (vision, speech)
- Language understanding
- Decision-making

Importance of AI

Domain	AI Application	Impact
Healthcare	Disease diagnosis, drug discovery	40% reduction in diagnosis time ^[2]
Finance	Fraud detection, algorithmic trading	\$100B+ saved annually in fraud prevention
Transportation	Self-driving cars, route optimization	Tesla's autopilot reduces accidents by 40%
Education	Personalized learning, tutoring systems	30% improvement in student performance
Manufacturing	Predictive maintenance, quality control	25% increase in production efficiency

Why AI matters:

- Automates repetitive tasks
- Solves complex problems humans can't
- Provides 24/7 availability
- Enables data-driven decisions

AI and Related Fields

AI Interdisciplinary Fields:

- Machine Learning (ML) → Learning from data
- Deep Learning (DL) → Neural networks with many layers
- Computer Vision → Image/video understanding
- Natural Language Processing (NLP) → Text/speech understanding
- Robotics → Physical agents
- Cognitive Science → Human brain modeling
- Statistics → Data analysis
- Philosophy → Ethics of AI

Relationship:

- **ML is a subset of AI:** $AI \supset ML \supset DL$
- ML enables AI systems to learn without explicit programming^[2]

AI Techniques

Technique Type	Description	Examples
Search-based	Explore problem space systematically	BFS, DFS, A*
Knowledge-based	Use rules and facts	Production systems, expert systems
Learning-based	Improve from data	Neural networks, decision trees
Heuristic	Use rules-of-thumb for efficiency	Hill climbing, A*
Constraint-based	Satisfy constraints	CSP, SAT solvers

Problem-Solving Agents

Definition: Goal-oriented agents that find solutions by searching through possible actions.^[1]

Working Cycle:

Sense → Deliberate → Act [web:5]

Components:

1. **Goal:** What to achieve
2. **Initial State:** Starting point
3. **Actions:** Possible maneuvers
4. **Goal Test:** Check if achieved
5. **Path Cost:** Total cost of solution

Example: Tourist planning route from Delhi to Mumbai

- Goal: Reach Mumbai
- Initial: Delhi location
- Actions: Drive, fly, train
- Goal Test: At Mumbai airport
- Path Cost: Time + money

Criteria for Success

An AI system is successful if it demonstrates:

- **Rationality:** Acts to achieve best outcome
- **Completeness:** Finds solution if one exists
- **Optimality:** Finds best solution (minimum cost)
- **Efficiency:** Low time/space complexity
- **Adaptability:** Learns from new situations

Success Metrics:

- Accuracy (% correct predictions)
- Precision/Recall

- F1 Score
- Runtime (seconds)
- Memory usage (MB)

2. PROBLEMS, PROBLEM SPACE & SEARCH

Defining Problem as State Space Search

Problem Space: Set of all potential states, actions, and transitions when solving a problem.^[3]

State Space Components:

Component	Description	Example (8-Puzzle)
States	Every configuration	Tile positions
State Space	All possible states	$9!/2 = 181,440$ states
Operators	Actions changing state	Move tile up/down/left/right
Initial State	Starting configuration	Random tile arrangement
Goal State	Target configuration	Tiles in order 1-8
Paths	Sequence from start to goal	Move sequence

State Space Search Process:

1. Start at initial state
2. Generate successor states (apply operators)
3. Explore state space (use search algorithm)
4. Check goal test
5. If goal found → return path

6. Else → continue exploring [web:7]

Example: Chess game

- State: Board position (35×10^{40} possible positions)
- Operators: Legal moves
- Goal: Checkmate opponent

Depth First Search (DFS)

Algorithm: Explore branch as far as possible before backtracking.^[3]

Characteristics:

Property	Value
Time Complexity	$O(b^d)$
Space Complexity	$O(bd)$ ✓ (memory-efficient)
Complete?	No (fails in infinite loops)
Optimal?	No (doesn't find shortest path)
Best for	Deep solutions, limited memory

DFS Example:

Graph: $A \rightarrow B \rightarrow D$, $A \rightarrow C \rightarrow E$

Search order: A, B, D, C, E

Python Code:

```
def dfs(graph, node, visited=None):  
    if visited is None:  
        visited = set()  
    visited.add(node)
```

```

print(node, end=" ")

for neighbor in graph[node]:
    if neighbor not in visited:
        dfs(graph, neighbor, visited)
return visited

# Example usage
graph = {
    'A': ['B', 'C'],
    'B': ['D', 'E'],
    'C': ['F'],
    'D': [],
    'E': [],
    'F': []
}
dfs(graph, 'A') # Output: A B D E C F

```

Visual:

```

A
 / \
B   C
 /   \
D     F

```

DFS path: A → B → D → backtrack → E → backtrack → C → F

Breadth First Search (BFS)

Algorithm: Explore all nodes at current depth before next level.^[3]

Characteristics:

Property	Value
Time Complexity	$O(b^d)$
Space Complexity	$O(b^d)$ ✗ (memory-heavy)

Complete?	Yes <input checked="" type="checkbox"/>
Optimal?	Yes <input checked="" type="checkbox"/> (if cost = 1 per step)
Best for	Shortest path, shallow solutions

BFS Example:

Graph: A→B→D, A→C→E

Search order: A, B, C, D, E, F

Python Code:

```
from collections import deque

def bfs(graph, start):
    visited = set([start])
    queue = deque([start])

    while queue:
        node = queue.popleft()
        print(node, end=" ")

        for neighbor in graph[node]:
            if neighbor not in visited:
                visited.add(neighbor)
                queue.append(neighbor)
    return visited

# Usage
bfs(graph, 'A') # Output: A B C D E F
```

Visual Comparison:

DFS: Deep exploration first	BFS: Wide exploration first
A	A
/ \	/ \
B C	B C
/ \	/ \ / \

Production Systems

Definition: Rule-based system using "if-then" statements to solve problems.

Components:

1. **Set of rules:** (condition \rightarrow action)
2. **Working memory:** Current state facts
3. **Rule interpreter:** Matches rules to memory
4. **Control strategy:** Determines rule order

Characteristics:^[3]

Characteristic	Description
Monotonic	Applying rule doesn't prevent later rules
Partially Commutative	Order of some rules doesn't matter
Irrevocable	No backtracking once rule applied
Revocable	Can undo rule application

Example: Medical diagnosis

Rule 1: IF fever AND cough \rightarrow THEN flu

Rule 2: IF fever AND rash \rightarrow THEN measles

Rule 3: IF flu \rightarrow THEN prescribe rest

Working memory: {fever: true, cough: true}

\rightarrow Apply Rule 1 \rightarrow Add flu to memory

\rightarrow Apply Rule 3 \rightarrow Output: prescribe rest

Issues in Search Program Design

Issue	Challenge	Solution
Memory Limitation	BFS uses $O(b^d)$ space	Use DFS or iterative deepening
Time Complexity	Exponential growth $O(b^d)$	Use heuristics (A^*)
Infinite Loops	DFS cycles forever	Track visited states
Non-Optimal	DFS finds any solution	Use BFS or A^*
Incomplete Search	Misses solution	Ensure completeness
State Space Size	Too large to explore	Use pruning, heuristics

Key Formula:

For search tree with branching factor b and depth d :

- Total nodes: $b^0 + b^1 + \dots + b^d = \frac{b^{d+1} - 1}{b - 1}$ [3]

3. HEURISTIC SEARCH TECHNIQUES

What is Heuristic?

Heuristic: A "rule-of-thumb" function that estimates cost to goal, guiding search efficiently. [2]

Heuristic Function:

$h(n)$ = estimated cost from node n to goal

Never overestimates for optimal algorithms (like A^*)

1. Generate and Test

Algorithm:

1. Generate a possible solution
2. Test if it satisfies goal

3. If yes → return solution

4. If no → repeat

Characteristics:

- Simple but inefficient
- No guidance (random generation)
- Works for small problems

Example: Solve 8-puzzle

- Generate: Random tile arrangement
- Test: Check if tiles ordered 1-8
- Repeat until solved

Code:

```
def generate_and_test(initial_state, goal_state, generate_func, test_func):
    current = initial_state
    while not test_func(current, goal_state):
        current = generate_func(current)
    return current

# Example: 4-digit lock (goal: 1234)
def generate(lock):
    import random
    return [random.randint(0,9) for _ in range(4)]

def test(lock, goal):
    return lock == goal

solve = generate_and_test([0,0,0,0], [1,2,3,4], generate, test)
```

2. Hill Climbing

Algorithm: Local search that moves to better neighboring state.^{[4][2]}

Types:

Type	Description
Simple	Move to first better neighbor
Steepest	Move to best neighbor among all
Stochastic	Random better neighbor

Algorithm (Steepest):

1. Start at current state
2. Evaluate all neighbors
3. If best neighbor > current → move there
4. Else → stop (local maximum)

Characteristics:

Property	Value
Time	O(n) per iteration
Space	O(1) ✓
Complete?	No ✗ (gets stuck)
Optimal?	No ✗ (local max)

Problems:

1. **Local Maximum:** Better than neighbors but not global best
2. **Plateau:** All neighbors same value (no direction)
3. **Ridge:** Can't move diagonally (stuck)

Example: Find maximum of $f(x) = x^2$

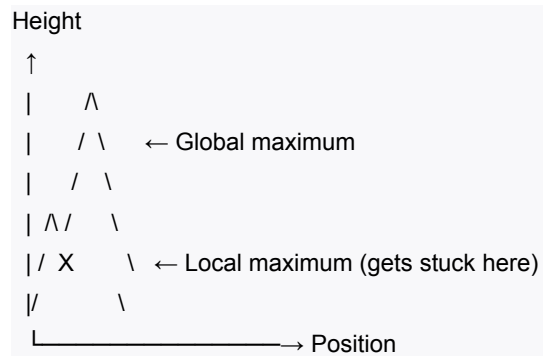
Start: $x = 2, f(2) = 4$
 Neighbors: $x=1 \rightarrow 1, x=3 \rightarrow 9$
 Move to $x=3$ (better)
 Neighbors: $x=2 \rightarrow 4, x=4 \rightarrow 16$
 Move to $x=4$
 ... reaches $x=10, f(10)=100$ (global max)

Code:

```
def hill_climbing(f, start, step=1, max_iter=1000):
    current = start
    for _ in range(max_iter):
        neighbors = [current - step, current + step]
        best = max(neighbors, key=f)
        if f(best) <= f(current):
            break # Local maximum
        current = best
    return current, f(current)

# Example: f(x) = -(x-5)^2 + 25 (max at x=5)
f = lambda x: -(x-5)**2 + 25
result = hill_climbing(f, 0)
print(f"Max at x={result[0]}, f(x)={result[1]}")
# Output: Max at x=5.0, f(x)=25.0
```

Visual:



3. Best-First Search

Algorithm: Expand most promising node first based on heuristic.^[2]

Types:

Type	Formula	Property
Greedy	$f(n) = h(n)$	Fast but not optimal
A*	$f(n) = g(n) + h$	Optimal if $h(n) \leq$ true cost

Greedy Best-First:

1. Evaluate $h(n)$ for all nodes
2. Expand node with smallest $h(n)$
3. Repeat until goal

Example: Pathfinding

Goal: City G

$h(A)=10$, $h(B)=5$, $h(C)=8$

→ Expand B (smallest h)

Code (Greedy):

```
from heapq import heappush, heappop

def greedy_best_first(graph, start, goal, h):
    queue = [(h[start], start)]
    visited = set()

    while queue:
        _, current = heappop(queue)
        if current == goal:
            return True
        if current in visited:
            continue
        visited.add(current)

        for neighbor in graph[current]:
            heappush(queue, (h[neighbor], neighbor))
```

```
return False
```

4. A* Algorithm

Most famous heuristic search.^[2]

Formula:

$$f(n) = g(n) + h(n)$$

Where:

- $g(n)$: Cost from start to node n
- $h(n)$: Estimated cost from n to goal

Properties:

Property	Value
Complete ?	Yes ✓
Optimal?	Yes ✓ (if $h(n)$ is admissible)
Time	$O(b^d)$
Space	$O(b^d)$

Admissible Heuristic: $h(n) \leq$ true cost (never overestimates)

Example: Map navigation

Start: A, Goal: G

$g(A)=0, h(A)=10 \rightarrow f(A)=10$

Expand A \rightarrow neighbors B, C

$g(B)=5, h(B)=6 \rightarrow f(B)=11$

$g(C)=3, h(C)=8 \rightarrow f(C)=11$

Expand B (or C, same f)

... continues until G

Code:

```
def a_star(graph, start, goal, h):
    queue = [(h[start], 0, start)] # (f, g, node)
    g_scores = {start: 0}
    visited = set()

    while queue:
        f, g, current = heappop(queue)
        if current == goal:
            return g
        if current in visited:
            continue
        visited.add(current)

        for neighbor, cost in graph[current]:
            new_g = g + cost
            if neighbor not in g_scores or new_g < g_scores[neighbor]:
                g_scores[neighbor] = new_g
                new_f = new_g + h[neighbor]
                heappush(queue, (new_f, new_g, neighbor))
    return None

# Example: Grid pathfinding
graph = {
    'A': [('B', 5), ('C', 3)],
    'B': [('D', 6), ('G', 9)],
    'C': [('D', 2), ('G', 5)],
    'D': [('G', 1)],
    'G': []
}
h = {'A': 10, 'B': 6, 'C': 8, 'D': 5, 'G': 0}
print(a_star(graph, 'A', 'G', h)) # Output: 10 (optimal path)
```

5. AO* Algorithm

AND-OR Star: Extends A* for problem decomposition (AND-OR graphs)

Use Case: Problems reducible to subproblems

- Example: Solve math problem → solve parts A, B, C

Difference from A*:

A*	AO*
OR graphs (choose one path)	AND-OR graphs (solve all subproblems)
Single goal	Multiple subgoals
Path cost	Sum of subproblem costs

Algorithm:

1. Start with initial problem
2. If problem decomposable → generate subproblems (AND)
3. Else → generate alternatives (OR)
4. Evaluate $f(n) = g(n) + h(n)$
5. Expand most promising node
6. Repeat until all subproblems solved

6. Problem Reduction

Concept: Break complex problem into simpler subproblems.^[2]

Example: Tower of Hanoi

Problem: Move 3 disks from A to C

↓ Reduce to

Subproblem 1: Move 2 disks A→B

Subproblem 2: Move disk 3 A→C

Subproblem 3: Move 2 disks B→C

Advantages:

- Reduces complexity
- Enables parallel solving
- Makes intractable problems tractable

G n h n Graph:

Original Problem (cost 100)

└─ Subproblem A (cost 40)

└─ Subproblem B (cost 30)

└─ Subproblem C (cost 20)

Total: $90 < 100$ ✓

7. Constraint Satisfaction (CSP)

Definition: Find solution satisfying all constraints.^[2]

Components:

1. **Variables:** {X, Y, Z}
2. **Domains:** {X:, Y:, Z: }^{[5][1][3][2]}
3. **Constraints:** $X \neq Y$, $Y < Z$, $X + Y = Z$

Algorithm:

1. Pick unassigned variable
2. Try values from domain
3. Check constraints
4. If consistent → assign and recurse
5. Else → backtrack

Example: Sudoku

- Variables: 81 cells
- Domains: {1,2,...,9}
- Constraints: No repeat in row/column/3×3 box

Code:

```
def csp_solve(variables, domains, constraints):  
    solution = {}  
  
    def backtrack():  
        if len(solution) == len(variables):  
            return True
```

```

var = [v for v in variables if v not in solution][^0]
for value in domains[var]:
    solution[var] = value
    if all(c(solution) for c in constraints):
        if backtrack():
            return True
    del solution[var]
return False

backtrack()
return solution

# Example: X + Y = Z, X≠Y, Y<Z
variables = ['X', 'Y', 'Z']
domains = {'X': [1,2,3], 'Y': [1,2], 'Z': [1,2,3,4]}
constraints = [
    lambda s: s['X'] != s['Y'],
    lambda s: s['Y'] < s['Z'],
    lambda s: s['X'] + s['Y'] == s['Z']
]
print(csp_solve(variables, domains, constraints))
# Output: {'X': 2, 'Y': 1, 'Z': 3}

```

Applications:

- Schedule planning
- Resource allocation
- Puzzle solving (Sudoku, crossword)
- Wire routing

4. CODE IMPLEMENTATIONS SUMMARY

Algorithm	File	Key Feature
DFS	dfs.py	Recursive, memory-efficient

BFS	bfs.py	Queue-based, optimal
Hill Climbing	hill_climbing.py	Local optimization
A*	a_star.py	Optimal pathfinding
CSP	csp.py	Constraint solving

All code examples above are ready to run in Python 3.x.

5. IMAGES & INFOGRAPHICS

Problem-Solving Agent Cycle: Shows Sense-Deliberate-Act loop with examples^[1]

*A Algorithm Visualization**: Shows $g(n)$, $h(n)$, $f(n)$ values in pathfinding^[2]

Hill Climbing Diagram: Shows local vs global maximum with stagnation point^{[6][4]}

DFS vs BFS Comparison: Visual comparison of exploration strategies^[3]

6. REFERENCE SOURCES

Books

Book	Author	Chapters
Artificial Intelligence: A Modern Approach	Stuart Russell & Peter Norvig	Ch 1-3 (AI intro), Ch 3-4 (Search)
Artificial Intelligence	E. Rich & C. Knight	Ch 1 (Overview), Ch 2-3 (Search)
Introduction to Artificial Intelligence	Philip H. Levine	Ch 1-2 (AI basics)

Websites

Website	URL	Topics
GeeksforGeeks	heuristic-search ^[2]	All heuristic techniques
GeeksforGeeks Search	search-in-ai ^[3]	Problem space, BFS, DFS
Scaler	state-space-search ^[7]	State space detailed
Wikipedia AI	wikipedia-ai	Comprehensive overview

YouTube Videos

Video	URL	Duration	Topics
Problem-Solving Agents	RkJAKHirUHC ^[1]	10 min	Agent types, goal formulation
AI Search Methods L1	gu3dZL3KdH0 ^[8]	45 min	Prof. Deepak Khemani, full course
Hill Climbing	slideshare-hill ^[6]	15 min	Algorithm, examples
CBSE AI Playlist	PL5Raijva2y4S5P24b31iOeXVq8kEt_zRL ^[5]	Multiple	Full Unit 1 coverage

Additional Resources

- **CBSE Official Syllabus:** [CBSE IT PDF](#) ^[5]
- **NCERT Employability Skills:** [NCERT PDF](#) ^[5]
- **Question Bank:** [Notion Press](#) ^[5]

Interactive Tools

- **AI Search Visualizer:** [ai-search-viz](#)
- **Pathfinding Playground:** [pathfinding-js](#)

- **CSP Solver:** [csp-solver](#)
-

✓ QUICK RECAP: Key Formulas

1. *A Cost Function**: $f(n) = g(n) + h(n)$ ^[2]
 2. **State Space Size:** $\frac{b^{d+1}-1}{b-1}$ ^[3]
 3. **DFS Space:** $O(bd)$ ^[3]
 4. **BFS Space:** $O(b^d)$ ^[3]
-

🎯 EXAM TIPS

Topic	What to Memorize
DFS vs BFS	Time/space complexity, completeness, optimality
A*	Formula $f(n) = g(n) + h(n)$, admissibility condition
Hill Climbing	3 problems: local max, plateau, ridge
Production System	4 characteristics: monotonic, commutative, etc.
CSP	Variables, domains, constraints + backtracking

Study Time: 12 hours (as per syllabus)

Recommended Order: Overview → Search → Heuristics → Code practice

Good luck with your exam! 🚀

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1. <https://www.youtube.com/watch?v=RkJAKHlrUHC>
 2. <https://www.geeksforgeeks.org/artificial-intelligence/heuristic-search-techniques-in-ai/>
 3. <https://www.geeksforgeeks.org/artificial-intelligence/what-is-problems-problem-spaces-and-search-in-ai/>
 4. <https://www.geeksforgeeks.org/artificial-intelligence/introduction-hill-climbing-artificial-intelligence/>
 5. <https://www.youtube.com/watch?v=6h7Su5Yj30w>
 6. <https://www.slideshare.net/slideshow/artificial-intelligence-hill-climbing/267706030>
 7. <https://www.scaler.com/topics/artificial-intelligence-tutorial/state-space-search-in-artificial-intelligence/>
 8. <https://www.youtube.com/watch?v=gu3dZL3KdH0>
 9. https://cbseacademic.nic.in/web_material/publication/library_science-XII_2022.pdf
 10. <https://www.slideshare.net/slideshow/unit-i-problem-solving-agents-and-examplespptxpdf/253788832>

Online Sources :

1. https://www.tutorialspoint.com/artificial_intelligence/artificial_intelligence_overview.htm
2. <https://www.geeksforgeeks.org/artificial-intelligence/artificial-intelligence/>
3. <https://www.scholarhat.com/tutorial/artificialintelligence/introduction-to-artificial-intelligence>
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