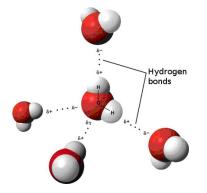
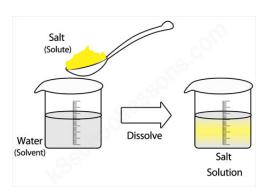
# 1. Unique properties of water

- Polarity The water molecule is very polar. Very strong IMAs between molecules, leading to the other properties below.
- Cohesion/Adhesion Attractive forces between water molecules (cohesion) and between water and other substances (adhesion)
- Capillary action Water climbs thin tubes called capillaries
- Surface tension A "skin" over the surface of water.
- Heat capacity Specific heat of water is 4.18 J/g°C, unusually high
- Density Water becomes less dense as it freezes
- Universal solvent Strong polar bonds means water is a very good solvent



#### 2. Solutions

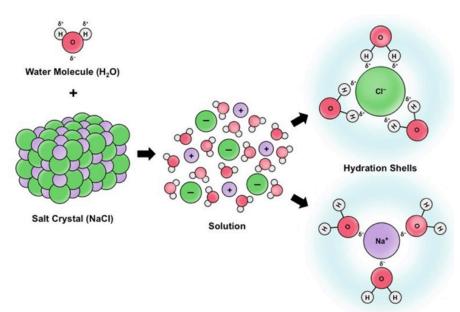
- A. Composition of a solution
  - a. Solvent "dissolver." Can be polar/nonpolar, solid/liquid or gas.
  - b. Solute "dissolvee." Can be polar/nonpolar/ionic. Can be solid/liquid or gas.
  - Solutions vs suspensions vs colloids Differ in terms of particle size. Suspensions large particle size, settle over time. Solution small particle size, does not settle.
    - Tyndall effect Beam of light or laser reflects off of colloid particles.



# B. Solvation (dissolution) process

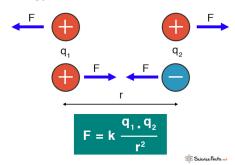
- Dissociation Particles are pulled apart from one another due to their attractions to water molecules
  - i. IMA's & sphere of hydration positive and negative ends of water molecules (solvent) attract to the opposite charges on the solute, surrounding and dividing them.
  - ii. "Like dissolves like" Solutes with charges (ionic/polar) dissolve in polar solvents.

    Nonpolar solutes dissolve in nonpolar solvents

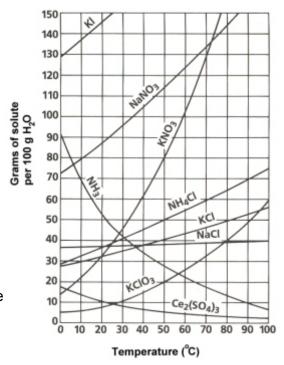


# C. Solubility

a. Lattice energy & Coulomb's law



- Saturation point Max amount of solute is dissolved.
   Less than this is "unsaturated."
- c. Supersaturation Can manipulate temperature to get above saturation point
- d. Effects on solubility
  - i. Temperature Higher temps allow more solute to dissolve (reverse for gasses)
  - ii. Pressure Higher pressure causes more solubility of gas solutes



### D. Concentration

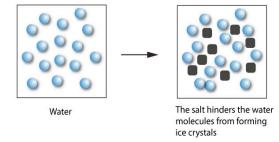
- a. % by mass/volume mass solute/mass solution \* 100 (or volume)
- b. PPT/PPM/PPB Parts per thousand, per million, per billion
- c. Molarity (M) Moles solute / Liter solution
- d. Molality (m) Moles solute / kg solvent

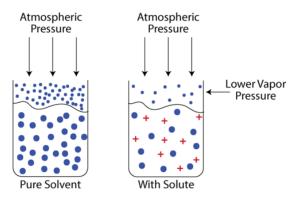
#### E. Dilutions

- a. Stock solution Highly concentration solutions meant for storage. Diluted to the desired concentration
- b. Dilution equation (Rodrigo's Law): M<sub>1</sub>V<sub>1</sub>=M<sub>2</sub>V<sub>2</sub>

# F. Colligative properties

- a. Freezing point depression Adding solute to a solution lowers the freezing point temperature by disrupting crystal formation
  - i.  $\Delta T = iK_f m$ 
    - 1. K<sub>f</sub> for water = 1.86 °C kg/mol
    - 2. m = molality
    - 3. i = van't hoff factor. # of dissolved particles in solution
- Boiling point elevation Adding solute to a solution raises the boiling point temperature by making it more difficult for particles to vaporize
  - i.  $\Delta T = iK_h m$ 
    - 1.  $K_b$  for water = 0.512 °C kg/mol,
    - 2. m = molality
    - 3. i = van't hoff





#### 3. Acids/Bases

# A. Properties/Uses

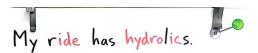
Acids	Base	
Taste sour	Taste bitter	
Feels like a burn	Feels slippery	
Turns litmus red	Turns litmus blue	
Corrosive to metals/stone	Corrosive to organic tissues	
Electrolyte	Electrolyte	
Neutralize bases	Neutralize acids	
pH < 7	pH > 7	
Increase H <sub>3</sub> O⁺ in aqueous solution	Increase OH- in aqueous solution	
Uses: Stomach acid, citrus, carbonic acid, acid rain	Uses: Cleaners, soaps, drain opener, antacids	

# B. Naming Acids

- a. Binary: Hydro (root) -ic acid
  - i. Ex: HF<sub>(aq)</sub> Hydrofluoric acid
- b. Ternary:
  - i. -ite: (root) -ous acid
    - 1. Ex: H<sub>2</sub>SO<sub>3(aq)</sub> Sulfurous acid
  - ii. -ate: (root) -ic acid
    - 1. Ex: H<sub>2</sub>SO<sub>4(aq)</sub> Sulfuric acid

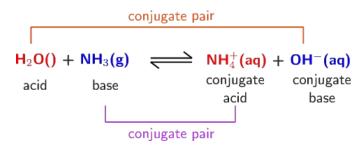
### C. Definitions

- a. Svante Arrhenius
  - i. Acids: Donate H<sup>+</sup> (proton)
    - 1. Ex: HCl, H<sub>2</sub>SO<sub>4</sub>, H<sub>2</sub>CO<sub>3</sub>
  - ii. Bases: Donate OH-
    - 1. Ex: NaOH, KOH, Ca(OH)<sub>2</sub>
- b. Bronsted-Lowry
  - i. Acids: Donate H<sup>+</sup>
    - 1. Same examples
  - ii. Bases: Take H<sup>+</sup>
    - 1. Ex: NH<sub>3</sub>
  - iii. Conjugate acid/base pairs
    - 1. Ex: Pictured at right
- c. Lewis
  - i. Acids: Take electron pairs. Electrophile
  - ii. Bases: Donate electron pairs. Nucleophile
- D. Self ionization of water Acid/base interactions happen naturally in water
  - a.  $H_2O + H_2O \longleftrightarrow H_3O^+ + OH^-$
  - b.  $K_w = [H_3O^+] \times [OH^-] = [10^{-7}] \times [10^{-7}] = 10^{-14}$



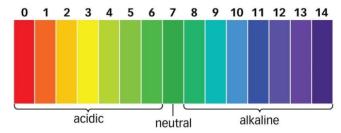
I ate something icky





# E. pH scale

a. Logarithmic scales - pH is base 10, meaning each step on the scale is 10x more acidic/basic than the previous. Ex: pH 5 is 10x more acidic than pH 6.



- b.  $pH = -log[H_3O^+]$
- c.  $pOH = -log[OH^{-}]$
- d. pH + pOH = 14

# F. Strong vs weak acids/bases

- a. Strong acids Assume the following reaction:  $HA + H_2O \rightarrow H_3O^+ + A^$ 
  - i. Dissociation constant  $K_a = [products]/[reactants] = [H_3O^+][A^-] / [HA][H_2O]$
  - ii. For strong acids,  $K_a >> 1$ . Assume that all HA becomes  $H_3O^+$ , so [HA] = [ $H_3O^+$ ]. May use [HA] in calculating pH values.
  - iii. 7 common strong acids: HCl, HBr, Hl, HNO<sub>3</sub>, HClO<sub>3</sub>, HClO<sub>4</sub> and H<sub>2</sub>SO<sub>4</sub>

### b. Strong bases

- i. Exact same assumption as for strong acids. Kb >> 1
- ii. Assume that all base dissociates into OH-. [Base] = [OH-]. Use [base] to calculate pOH.

# c. Weak acids/bases

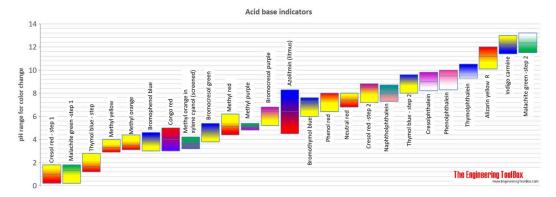
- i. Dissociation constants Ka & Kb > 1 (quite small).
- ii. Cannot assume that all acid/base dissociates, therefore cannot directly calculate pH or pOH. (i.e. [HA] does not equal [H<sub>3</sub>O<sup>+</sup>] )
- iii. ICE tables & 5% rule: Stands for Initial concentration, change, equilibrium concentration

	HCN(aq) <del>—</del> H <sup>+</sup> (aq) + CN <sup>-</sup> (aq)		
Initial concentration (M)	0.15	0	0
Change (M)	-x	+ <i>x</i>	+x
Equilibrium concentration (M)	0.15 – <i>x</i>	X	Х

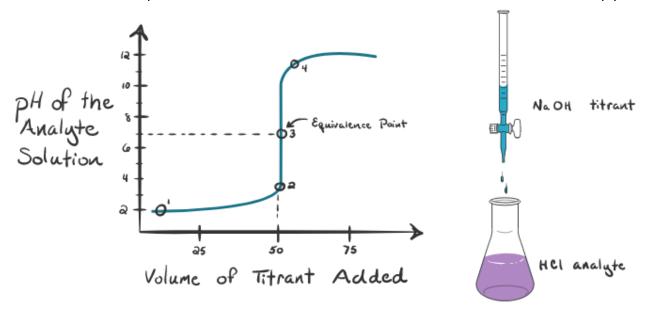
 $K_a$  for HCN = 3.5x10<sup>-4</sup> Solve for [H+] (x in table above)

- d. Relationship between  $K_a$  &  $K_b$  for an acid and its conjugate base pair
  - i.  $K_a \times K_b = K_w$
  - ii.  $pK_a + pK_b = 14$
- e. Buffers Once again assume the following reaction:  $HA + H_2O \rightarrow H_3O^+ + A^$ 
  - i. Solutions of weak acids / weak bases with one of their salts contain species of both reactants and products. Some acid does not ionize and remains in solution.
    - 1. Example: A solution of acetic acid  $(HC_2H_3O_2)$  contains mostly the acid, very little of the conjugate base (acetate ion  $C_2H_3O_2^{-1}$ ). The solution can be "buffered" by adding another source of acetate, like sodium acetate  $NaC_2H_3O_2$
  - ii. Buffered solutions resist changes to changes in pH.
    - 1. Addition of an acid reacts with A-, pushes equilibrium left.
    - 2. Addition of a base reacts with HA
  - iii. Henderson Hasselbach Equation

f. <u>pH indicators</u> - Usually weak acids/bases. The acid is one color, the conjugate base another. When added to solution, turns color at a specific pH as other acids or bases are added, shifting the equilibrium.



4. Titrations - Technique used to determine the concentration of an unknown solution. Setup pictured below.



- A. At the equivalence point, moles of base titrant added = moles of acid analyte below. The equation below applies
  - a. MaVa = MbVb
- B. Equation above only works when acid and base combine in 1/1 ratio. If not, treat as any other volume solution stoichiometry problem.