

# UNIT-2

Abstraction from Precipitation: Evaporation – process, measurement and estimation; Evapotranspiration- measurement and estimation; Initial Losses- Interception & Depression storage; Infiltration- process, capacities, indices, measurement & estimation.

## ABSTRACTIONS FROM PRECIPITATION

All abstractions from precipitation, viz. those due to interception, evaporation, transpiration, infiltration, surface and sub-surface detention as well as storages, watershed leakages are considered as losses in the production of runoff. Evaporation from water bodies and soil masses togetherwith transpiration from vegetation is termed as Evapotranspiration.

### EVAPORATION PROCESS

As is true for other bodies, water also consists of large number of molecules, which are constantly moving with different velocities in different directions. Their average velocity represents the temperature of water. Each of these molecules is attracted to every other molecule by a force directly proportional to the product of their masses and inversely proportional to the square of the distance between them. Thus a molecule of water, which lies near the surface, will have more forces attracting it from below than from above. Therefore, this molecule is less rigidly held and can be detached from the water surface, if its own velocity is sufficient to overcome the resisting force. In the immediate vicinity of the water surface, a thin film of air does exist. The temperature of this film of air is the same as that of water. When water vapour comes out of a given body of water, they try to crowd this

film of air, and thereby quickly saturating the same with water vapour. The vapour pressure of this film of air, when it is fully saturated with vapour, is known as saturation vapour pressure. If the actual pressure of the air above this thin saturated film is less than the saturation vapour pressure, the vapour already collected in this film will disperse into the air and the evaporation will continue; but if the actual vapour pressure of the air is more than the saturation vapour pressure, then there can be no evaporation.

Although there is always continuous exchange of water molecules to and from the atmosphere, the hydrologic definition of evaporation is restricted to the net rate of vapour transport to the atmosphere i.e. net escape of water molecules from the liquid state to the gaseous state. This change in state requires an exchange of about 585 cal/gram of water evaporated. If temperature of the surface is to be maintained, these large quantities of heat must be supplied by radiation and conduction from the overlying air or at the expense of energy stored below the surface. It may be noted that only fast moving molecules can escape into air as vapour and when this fast moving molecule goes out of water body, the average velocity of the remaining molecules will fall down, and thus, reducing the temperature of water and that is the reason why cooling is produced by evaporation.

## **FACTORS CONTROLLING EVAPORATION PROCESS**

The rate of evaporation is influenced by meteorological factors like solar radiation, air and wind temperatures, vapour pressure at the water surface and air above, wind speed, humidity and minimally by atmospheric pressure and also by the nature of the evaporating surface like area of

water surface, depth of water in the water body and quality of water. Since solar radiation is an important factor, evaporation also varies with latitude, season, time of day, and sky conditions.

## **VAPOUR PRESSURE**

The rate of evaporation is proportional to the difference between the saturation vapour pressure at the water temperature,  $e_w$  and the actual vapour pressure in the air,  $e_a$ . Thus  $E_L = C (e_w - e_a)$ . This equation is known as Dalton's law of evaporation. Evaporation continues till  $e_w = e_a$ . If  $e_w > e_a$  condensation takes place.

## **TEMPERATURE**

Other factors remaining the same, the rate of evaporation increases with increase in the water temperature. Regarding air temperature, although there is a general increase in the evaporation rate with increasing temperature, a high correlation between evaporation rate and air temperature does not exist. Thus for the same mean monthly temperature it is possible to have evaporation to different degree in a lake in different months.

## **HUMIDITY**

If the humidity of the atmosphere is more, the evaporation will be less. During the process of evaporation, water vapour move from the point of higher moisture content to the point of lower moisture content and the rate of this movement is governed by the difference of their moisture gradient existing in the air. Therefore, if the humidity is more, the evaporation will be less.

## **WIND**

Wind aids in removing the evaporated water vapour from the zone of evaporation and consequently creates greater scope for evaporation. However, if the wind velocity is large enough to remove all the evaporated water vapour, any further increase in wind velocity does not influence evaporation. Thus the rate of evaporation increases with the wind speed upto a critical speed beyond which any further increase in the wind speed has no influence on the evaporation rate. This critical speed is a function of the size of the water surface.

## **ATMOSPHERIC PRESSURE**

Other factors remaining same, a decrease in the barometric pressure, as in high altitudes, increases evaporation. However, this is not exactly so, because of the decrease of temperature at higher altitudes evaporation rate decreases.

## **QUALITY OF WATER**

The effect of salinity, or dissolved salts, is brought about by the reduced vapour pressure of the solution. The vapour pressure of seawater (35,000ppm dissolved salts) is about 2% less than that of pure water at the same temperature. The presence of any dissolved salts in water reduces the saturated vapour pressure, which consequently reduces the rate of evaporation. For this reason, usually, the evaporation decreases by 1% for every 1% increase in the salinity of a water body. Turbidity may also affect the rate of evaporation by affecting the heat transfer within the depth of the water body. Any foreign material which tends to seal the water surface or change its vapour pressure will affect the evaporation.

## **HEAT STORAGE IN WATER BODIES**

Deep water bodies have more heat storage than shallow ones. A deep lake may store radiation energy received in summer and release it in winter causing less evaporation in summer and more evaporation in winter compared to a shallow lake exposed to a similar situation. However, the effect of heat storage is essentially to change the seasonal evaporation rates and the annual evaporation rate is seldom affected.

## **AREA OF WATER SURFACE**

The amount of evaporation is directly proportional to the area of evaporation. If the exposed area is large, the evaporation will be more, and vice-versa.

## **MEASUREMENT AND ESTIMATION OF EVAPORATION**

The rate of evaporation from large water surfaces, such as lakes, reservoirs, ponds, rivers, etc. can be measured and estimated by the following four methods:

(a) Pan measurement method

(b) Using empirical formulae

(c) Storage equation method

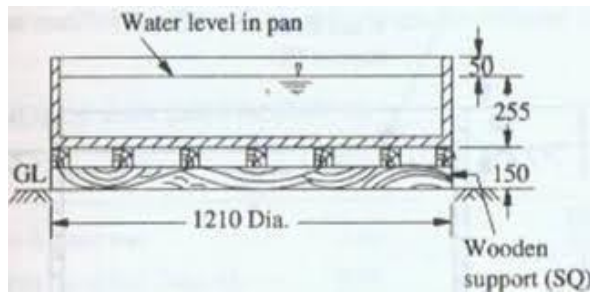
(d) Energy budget method

## **(a) MEASUREMENT OF EVAPORATION**

Evaporimeters are water containing pans of specified sizes exposed to the atmosphere and the loss of water by evaporation is measured in them at regular intervals. The more important types of these pans are mentioned below:

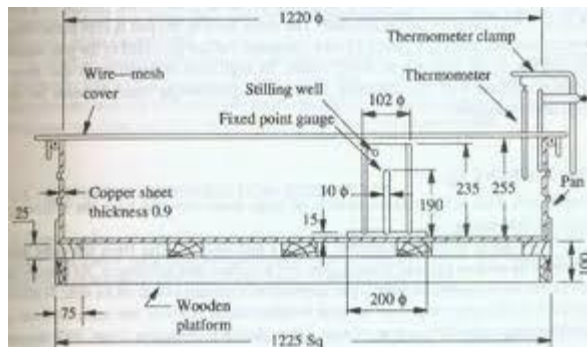
### **(i) USWB CLASS 'A' PAN**

It is a standard pan of unpainted galvanized iron used by National Weather Bureau Service of United States 1210mm in diameter, 255mm deep, and it is placed 15cm above ground surface on a wooden frame to let air circulate beneath the pan. The depth of water is to be kept in a fixed range, such that the water surface is at least 5 cm and never more than 7.5 cm below the top of pan. Water surface level is measured daily with a hook gauge in a stilling basin, and evaporation is computed as the difference between observed levels, adjusted for any precipitation measured in a standard rain gauge. Alternately, water is added each day to bring the level up to a fixed point in the stilling basin. This method assures proper level at all times. Pan coefficient is about 0.6 to 0.8, generally taken as 0.7.



## (ii) ISI STANDARD (Modified Class A) PAN

Details of this type of pan, used in India, are specified in IS: 5973-1970. It consists of a pan 1220mm in diameter with 255mm of depth. The pan is made of copper sheet of 0.9mm thickness, tinned inside and painted white outside. A fixed point gauge indicates the level of water. A calibrated cylindrical measure is used to add or remove water maintaining the water level in the pan to a fixed mark. The top of the pan is covered fully with a hexagonal wire netting of galvanized iron to protect the water in the pan from birds, and also to make the water temperature more uniform during day and night. The pan is placed over a square wooden platform of 1225mm width and 100mm height to enable circulation of air underneath the pan. The evaporation from this pan is found to be less by about 14% compared to that from unscreened pan. The pan coefficient is around 0.8.



## (iii) COLORADO SUNKEN PAN

This pan, 920 mm square and 460 mm deep is made up of unpainted galvanized iron sheet and buried into the ground within 100 mm of the top. The advantage of the sunken pan is that radiation and aerodynamic characteristics are similar to those of a lake. The disadvantages are: (i) difficult to detect leaks, (ii) extra care is needed to keep the surrounding area free from tall grass, dust, etc., and (iii) expensive to install.

#### **(iv) USGS FLOATING PAN**

With a view to simulate the characteristics of a large body of water, this square pan (900 mm side x 450 mm depth) supported by drum supports in the middle of a raft (4.25 m x 4.87 m) is set afloat in a lake. The water level in the pan is kept at the same level as the lake leaving a rim of 75 mm. Diagonal baffles provided in the pan reduce the surging in the pan due to wave action. Its high cost of installation and maintenance together with the difficulty involved in performing measurements are its main disadvantages.

## **PAN COEFFICIENTS**

Evaporation pans are not exact models of large reservoirs and have the following principal drawbacks:

(i) They differ in the heat-storing capacity and heat transfer from the sides and bottom. The sunken pan and floating pan aim to reduce this deficiency. As a result of this this factor the evaporation from a pan depends to a certain extent on its size. While a pan of 3m diameter is known to give a value which is about the same as from a neighbouring large lake, a pan of size 1m diameter indicates about 20% excess evaporation than that of the 3m diameter pan.

(ii) The height of the rim in an evaporation pan affects the wind action over the surface. Also, it casts a shadow of variable magnitude over the water surface.

(iii) The heat-transfer characteristics of the pan material is different from that of the reservoir.

In view of the above, Lake evaporation =  $C_p \times$  pan evaporation, in which  $C_p$  = pan coefficient.

The values of  $C_p$  in use for different pans are given below:

#### **VALUES OF PAN COEFFICIENTS, $C_p$**

<b>Sr. No.</b>	<b>Type of Pan</b>	<b>Average Value</b>	<b>Range</b>
1.	Class A Land Pan	0.70	0.60-0.80
2.	Madified Class A Pan (ISI Pan )	0.80	0.65-1.10
3.	Colorado Sunken Pan	0.78	0.75-0.86
4.	USGS Floating Pan	0.80	0.70-0.82

## **(b) USING EMPIRICAL FORMULAE**

Most formulae to estimate lake evaporation using meteorological data are based on the Dalton's equation  $E_L = Kf(u)(e_w - e_a)$ , where  $E_L$  = lake evaporation in mm/day,  $e_w$  = saturated vapour pressure at the water-surface temperature in mm of mercury,  $e_a$  = actual vapour pressure of over-lying air at a specified height in mm of mercury,  $f(u)$  = wind-speed correction factor and  $K$  = a coefficient. The term  $e_a$  is measured at the same height at which wind speed is measured. Two commonly used formulae are :

### **MEYER'S FORMULA (1915)**

$E_L = K_M(e_w - e_a)[1 + (u_9/16)]$  In this equation  $E_L, e_w, e_a$  are as defined earlier, whereas  $u_9$  = monthly mean wind velocity in km/hr at about 9m above ground and  $K_M$  = coefficient accounting for various other factors with a value of 0.36 for large deep waters and 0.50 for small shallow waters.

### **ROHWER'S FORMULA (1931)**

Rohwer's formula considers a correction for the effect of pressure in addition to the wind-speed effect and is given by

$$E_L = 0.771(1.465 - 0.000732p_a)(0.44 + 0.0733u_0)(e_w - e_a)$$

In which  $p_a$  = mean barometric reading in mm of mercury and  $u_0$  = mean wind velocity in km/hr at ground level, which can be taken at 0.6m above ground. In the lower part of atmosphere, upto a height of about 500m above the ground level, the wind velocity can be assumed to follow the 1/7 power law as  $u_h = C h^{1/7}$

### (c) ANALYTICAL METHODS OF ESTIMATION OF EVAPORATION

**(i) Water budget method**  $E_L = P + (V_{is} - V_{os}) + (V_{ig} - V_{og}) - T_L - \Delta S$  where  $P$ =daily precipitation,  $V_{is}$ =daily surface inflow into the lake,  $V_{ig}$ =daily groundwater inflow,  $V_{os}$ =daily surface outflow from the lake,  $V_{og}$ =daily surface outflow,  $E_L$ =daily lake evaporation,  $\Delta S$ =increase in lake storage in a day, and  $T_L$ =daily transpiration loss.

In the above equation  $P$ ,  $V_{is}$ ,  $V_{os}$  and  $\Delta S$  can be measured. However, it is not possible to measure  $V_{ig}$ ,  $V_{og}$  and  $T_L$  and therefore these quantities can only be estimated. Transpiration losses can be considered to be insignificant to some reservoirs.

**(ii) Energy balance method**  $E_L = [(H_n - H_g - H_s - H_i) / p_w L (1 + \beta)]$  where  $H_n$ =net incoming energy,  $H_g$ =heat lost to ground,  $H_s$ =heat stored in the water body,  $H_i$ =net heat conducted out of the system by water flow (advected energy),  $p_w$ =density of water,  $L$ =latent heat of vaporization of water,  $\beta = 6.1 \times 10^{-4} P_a [(T_w - T_a) / (e_s - e_a)]$

## EVAPOTRANSPIRATION

In studying the hydrologic balance for a catchment area, one is concerned with the evaporation from all water, soil, snow, ice, vegetation, and other surfaces plus transpiration; the total of these processes are known as Evapotranspiration.

Transpiration is the process by which water leaves the body of a living plant and reaches the atmosphere as water vapour. The difference in concentration between the sap in the root cells of a plant and the soil water causes an osmotic pressure which moves soil water through the root membrane into the root cells. High salinity of the soil solution and/or high moisture tension in the soil may prevent or greatly reduce the osmotic transfer. Once inside the root, the water is transferred through the plant to the intercellular space within the leaves. Air enters the leaf through the stomata, openings in the leaf surface, and the chloroplasts within the leaf use carbon dioxide from the air and a small portion of the available water to manufacture carbohydrates for plant growth (photosynthesis). As air enters the leaf, water escapes through the open stomata; this is the process of transpiration. The ratio of the water transpired to that used in forming plant matter is very large (up to 800% or more). Consumptive Use is the total evaporation from an area plus the water used directly in building plant tissues.

While transpiration takes place, the land area in which plants stand also lose moisture by the evaporation of water from soil and water bodies. Since in the process of vegetation growth, it is generally not feasible to separate the transpiration and its connected evaporation from the plants surroundings, a combined measure is obtained and this is called Evapotranspiration. If sufficient water is always available to completely meet the needs of vegetation, fully covering the area, the resulting

evapotranspiration is called Potential Evapotranspiration (PET). It essentially depends on the climatic factors. The real evapotranspiration occurring in a specific situation is called Actual Evapotranspiration.

## **MEASUREMENT OF EVAPOTRANSPIRATION**

The measurement of evapotranspiration for a given vegetation type can be carried out in two ways; either by using lysimeters or by the use of field plots.

### **LYSIMETERS**

A lysimeter is a special watertight tank containing a block of soil and set in a field of growing plants. The plants grown in the lysimeter are the same as in the surrounding field. Evapotranspiration is estimated in terms of the amount of water required to maintain constant moisture conditions within the tank measured either volumetrically or gravimetrically through an arrangement made in the lysimeter. It should be designed to accurately reproduce the soil conditions, moisture content, type and size of the vegetation of the surrounding area. They should be so buried that the soil is at the same level inside and outside the container. Lysimeter studies are time-consuming and expensive.

### **FIELD PLOTS**

In field plots all the elements of the water budget in a known interval of time are measured and the evapotranspiration determined as:

$$\text{Evapotranspiration} = [\text{Precipitation} + \text{Irrigation input} - \text{Runoff} - \text{Increase in soil storage} - \text{Ground water loss}]$$

Measurements are usually confined to precipitation, irrigation input, surface runoff, and soil moisture. Ground water loss due to deep percolation is difficult to measure and can be minimised by keeping the moisture condition of the plot at the field capacity. This method provides fairly reliable results.

## **ESTIMATION OF EVAPOTRANSPIRATION**

Most simple and commonly used methods of estimation of evapotranspiration are:

(i) Blaney- Criddle Equation

(ii) Thornthwaite Formula

(iii) Penman's equation

### **(i) Blaney- Criddle Equation**

The potential evapotranspiration in a crop-growing season is given by  $E_T = 2.54KF$  and  $F = P_h T_f / 100$

Where  $E_T$  = PET in a crop season in cm,  $K$  = an empirical coefficient depending on the type of the crop and stage of growth,  $F$  = sum of monthly consumptive factors for the period,  $P_h$  = monthly percent of annual day-time hours depending on the latitude of the place, and  $T_f$  = mean monthly temperature  $^{\circ}\text{F}$ .

### **(ii) THORNTHWAITE FORMULA**

This formula was developed from data of eastern USA and uses only the mean monthly temperature together with an adjustment for day-lengths. The PET is given by this formula as

$$E_T = 1.6 L_a [10T/I_t]^a$$

Where  $E_T$  = mean PET in cm,  $L_a$  = adjustment for the number of hours of daylight and days in the month, related to the latitude of the place,  $T$  = mean monthly air temperature  $^{\circ}\text{C}$ ,  $I_t$  = the total of 12 monthly values of heat index =  $E_i^{12}$ , where  $i = (T/5)^{1.514}$ ,  $a$  = an empirical constant =  $6.75 \times 10^{-7} I_t^3 - 7.71 \times 10^{-5} I_t^2 + 1.792 \times 10^{-2} I_t + 0.49239$

### (iii) PENMAN'S EQUATION

Penman's equation is based on sound theoretical reasoning and is obtained by a combination of the energy balance and mass transfer approach. Penman's equation, incorporating some of the modifications suggested by other investigators is

$PET = \frac{AH_n + E_a \gamma}{A + \gamma}$  where PET = daily potential evapotranspiration in mm per day,  $A$  = slope of the saturation vapour pressure vs temperature curve at the mean air temperature, in mm of mercury per  $^{\circ}\text{C}$ ,  $H_n$  = net radiation in mm of evaporable water per day,  $E_a$  = parameter including wind velocity and saturation deficit,  $\gamma$  = psychrometric constant = 0.49 mm of mercury/ $^{\circ}\text{C}$ .

The net radiation is the same as used in the energy budget and is estimated by the following equation:

$H_n = H_a (1 - r) \left[ a + b \frac{n}{N} \right] - 6 T_a^4 (0.56 - 0.092 \sqrt{ea}) \left[ 0.10 + 0.90 \frac{n}{N} \right]$  where  $H_a$  = incident solar radiation outside the atmosphere on a horizontal surface, expressed in mm of evaporable water per day,  $a$  = a constant

depending upon the latitude  $\phi$  and is given by  $a=0.29\cos\phi$ ,  $b=a$  constant with an average value of 0.52,  $n$ =actual duration of bright sunshine in hours,  $N$ =maximum possible hours of bright sunshine,  $r$ =reflection coefficient whose values are given below:

Surface	Range of $r$ values
Close ground crops	0.15-0.25
Bare lands	0.05-0.45
Water surface	0.05
Snow	0.45-0.95

$B$ =Stefan-Boltzman constant= $2.01 \times 10^{-9}$  mm/day,  $T_a$ =mean air temperature in degrees kelvin= $273+^{\circ}\text{C}$ ,  $e_a$ =actual mean vapour pressure in the air in mm of mercury.

The parameter  $E_a$  is estimated as  $E_a=0.35[1+\frac{u_2}{160}] (e_w-e_a)$  in which  $u_2$ =mean wind speed at 2 m above ground in km/day,  $e_w$ =saturation vapour pressure at mean air temperature in mm of mercury,  $e_a$ =actual vapour pressure.

For the computation of PET, data on  $n, e_a, u_2$ , mean air temperature and nature of surface ( $r$ ) are needed which can be obtained from actual observations or through available meteorological data of the region.

## INITIAL LOSSES:

## INTERCEPTION

Interception is that amount of precipitation water which is intercepted by vegetative foliage, buildings, and other objects lying over the land surface. Various factors that affect interception are (i) storm factor, (ii) plant factor, (iii) season of the year, and (iv) prevailing wind.

## DEPRESSION STORAGE

A catchment area generally has many depressions of shallow depth and of varying size and shape. When precipitation takes place, water runs towards these depressions and fill them before actual overland flow or runoff towards a stream takes place. The water retained in these depressions is called depression storage and these depressions form miniature reservoirs detaining water temporarily. The water stored in these depressions partly evaporates and partly infiltrates into the ground. The following relationship may be used for computing the depression storage:

$V_{ds} = K [1 - e^{-P_e/K}]$  where  $V_{ds}$  = Volume of water stored in surface depression,  $P_e$  = Rainfall excess (volume of water in excess of infiltration and interception),  $K$  = Depression storage capacity of the basin.

Depression storage depends on following factors: (i) Land form, (ii) Soil characteristics, (iii) Topography, (iv) Antecedent precipitation index, and (v) man made disturbance like terrace forming etc.

## WATERSHED LEAKAGE

It is the flow of water from one basin to another, or from one basin to sea through major faults, fissures or other geographical and geological features. It is different than the man-made inter-basin transfer of surface water.

### **INFILTRATION-Process:**

Infiltration is the movement of water through the soil surface into the soil as distinguished from percolation, the movement of water through the soil. Although a distinction is made between infiltration and percolation, these two phenomena are closely related since infiltration can not continue unimpeded unless percolation removes infiltrated water from the surface soil. When water is first applied to the soil surface, gravity water moves down through the larger soil openings following the path of least resistance, while the smaller surface pores take in water by capillarity. The down-ward moving gravity water is also taken in by capillary pores. The capillary forces continuously divert gravity water into capillary-pore space, so that the quantity of gravity water passing successively lower horizons is steadily diminished. As capillary pores at the surface are filled and intake capacity is reduced, the infiltration rate decreases. In homogeneous soil, infiltration decreases gradually until the zone of aeration is saturated. Normally, the soil is stratified and sub-soil layers are often less permeable than the surface soil. In this case, the infiltration rate is eventually limited to the rate of percolation through the least pervious subsoil stratum.

When water is applied at the surface of the soil, following four moisture zones in the soil are identified: (i) saturation zone, (ii) transition zone, (iii) transmission zone, and (iv) wetting zone.

## INFILTRATION CAPACITY:

The maximum rate at which water can enter the soil at a point in a given set of conditions is called the infiltration capacity;  $f_p$ . The actual infiltration rate  $f_i$  equals the infiltration capacity  $f_p$  only when the supply  $i_s$  (rainfall intensity less rate of retention) equals or exceeds  $f_p$ . The value of  $f_p$  is at a maximum  $f_o$  at the beginning of a storm and approaches a low, constant rate  $f_c$  as the soil profile becomes saturated. The limiting value is controlled by subsoil permeability. Horton found the infiltration-capacity curves approximate the form:

$f_p = f_c + (f_o - f_c) e^{-kt}$ , where  $k$  is an empirical constant, and  $t$  is time from beginning of rainfall. The equation is applicable only when  $i_s > f_p$  through out the storm. Philip suggested the equation

$f_p = [(bt^{-1/2})/2] + a$  Integrating this equation with respect to time gives the cumulative infiltration  $F$  at time  $t$  as :  $F = b t^{1/2} + at$

Infiltration capacity depends on many factors such as soil type including compaction due to rain, soil moisture content, organic matter, vegetative cover, and temperature. Of the soil characteristics affecting infiltration, non-capillary porosity is perhaps the most important.

## INFILTRATION INDICES

The infiltration approach to runoff estimates assumes that the surface runoff from a given storm is equal to that portion of the rainfall which is not disposed of through (i) interception and depression storage, (ii) evaporation during storm, and (iii) infiltration. If items (i) and (ii) are invariable or insignificant or can be assigned reasonable values, one need be concerned only with rainfall, infiltration, and runoff. Therefore in hydrological calculations involving floods it is found convenient to use a constant value of infiltration rate for the duration of the storm. The defined average infiltration rate is called infiltration index. Two types of indices are in common use, namely  $\phi$  index and **W**-index.

### $\Phi$ index:

It is defined as that rate of rainfall above which the rainfall volume equals runoff volume. It is derived from the rainfall hyetograph with knowledge of the resulting runoff volume. The initial loss is also considered as infiltration. If the infiltration intensity is less than  $\phi$ , then the infiltration rate is equal to the rainfall intensity; however, if the rainfall intensity is larger than  $\phi$  the difference the rainfall and the infiltration in an interval of time represent the runoff volume. The amount of rainfall in excess of the index is called rainfall excess or effective rainfall.

On the basis of rainfall and runoff correlations, CWC has found the following relationships for estimation of  $\phi$  index for flood producing storms and soil conditions in India:

$R = \alpha I^{1.2}$  and  $\phi = (I - R)/24$ , where  $R$  = runoff in cm from a 24-hour rainfall of intensity of  $I$  cm/hour and  $\alpha$  = a coefficient which depends upon soil type as detailed below:

<b>Sr. No.</b>	<b>Type of soil</b>	<b>Coefficient <math>\alpha</math></b>
1	Sandy soil and sandy loam	0.17 to 0.25
2	Coastal alluvium and silty loam	0.25 to 0.34
3	Red soils, clayey loam, grey and brown alluvium	0.42
4	Black-cotton and clayey soils	0.42 to 0.46
5	Hilly soils	0.46 to 0.50

In absence of any other data, a  $\phi$  – index value of 0.10 cm/hour can be assumed.

**W-index:**

The W index is the average infiltration rate during the time rainfall intensity exceeds capacity rate. It is essentially equal to the  $\phi$  index minus the average rate of retention by interception and depression storage.

## **MEASUREMENT OF INFILTRATION**

Infiltration characteristics of a soil at a given location can be estimated by (i) using flooding type infiltrometers, (ii) measurement of subsidence of free water in a large basin or pond, (iii) rainfall simulator, and (iv) hydrograph analysis.

### **DOUBLE-RING INFILTROMETER**

Two sets of concentric rings with diameters of 30cm and 60cm and of a minimum length of 25cm are used. The two rings are inserted into the ground and water is applied into both the rings to maintain a constant depth of about 5cm. The outer ring provides water jacket to the infiltrating water from the inner ring and hence prevents the spreading out of the infiltrating water of the inner ring. The water depths in the inner and outer rings are kept the same during the observation period. The measurement of water volume is done on the inner ring only. The experiment is carried out till a constant infiltration rate is obtained. A perforated disc is provided on the surface of the soil in the inner ring as well as in the annular space to prevent formation of turbidity and settling of fine silt on the soil surface.

The chief disadvantages of flooding-type infiltrometers are: (i) the raindrop impact effect is not simulated, (ii) the driving of the tube or rings disturbs the soil structure, and (iv) the results of

infiltrimeters depend to some extent on their size with the larger meters giving less rates than the smaller ones due to border effects.

## **RAINFALL SIMULATORS**

In this a small plot of land, of about 2mx4m size, is provided with a series of nozzles on the longer side with arrangements to collect and measure the surface runoff rate. The specially designed nozzles produce raindrops falling from a height of 2m and are capable of producing various intensities of rainfall. Experiments are conducted under controlled conditions with various combinations of intensities and durations and the surface runoff rates and volumes are measured in each case. Using the water budget equation involving the volume of rainfall, infiltration and runoff, the infiltration rate and its variation with time are estimated. If the rainfall intensity is higher than the infiltration rate, infiltration capacity values are obtained.

Rainfall simulator type infiltrimeters give lower values than flooding type infiltrimeters due to effect of rainfall impact and turbidity of the surface water present in the former.

## **HYDROGRAPH ANALYSIS**

Reasonable estimation of the infiltration capacity of a small watershed can be obtained by analysing measured runoff hydrographs and corresponding rainfall records. Water budget equations can be used to estimate the abstraction by infiltration. Evaporation losses are estimated by knowing the land cover/use of the watershed.

## **UNIT-3**

Runoff and Hydrographs: Hydrograph, runoff characteristics of stream, Yield, Rainfall-runoff correlations, flow duration curve, mass curve, droughts and floods. Factors affecting flood hydrographs, unit hydrograph and its analysis, S-curve hydrograph, synthetic and instantaneous unit hydrographs.

## RUNOFF AND HYDROGRAPH

Runoff means the draining or flowing off of precipitation water from a catchment area through a surface channel. Engineering Hydrology is concerned primarily with three characteristics of streamflow: monthly and annual volumes available for storage and use, ten-daily low flow rates for in-stream uses of water through canal diversion works, hourly and daily flows and river water levels for flood mitigation.

### COMPONENTS OF RUNOFF

The route followed by a water particle from the time it reaches the ground surface until it enters a stream channel is devious. It is convenient to visualize three main routes of travel: **overland flow or surface runoff, interflow or subsurface storm flow, and groundwater flow or base flow or dry-weather flow.**

**Overland flow** is that water which travels over the ground surface to a channel. **Surface runoff** includes precipitation falling on the stream system whereas overland flow does not.

A part of the precipitation water that infiltrates the soil surface moves laterally through the upper soil layers and returns to the surface at some location away from the point of entry into the soil. This component of runoff is known as **inter flow or storm seepage or subsurface storm flow or quick return flow.** The proportion of total runoff which occurs as interflow depends on the physical features

of the catchment. A thin soil cover overlying rock, hardpan, or plowbed a short distance below the soil surface favours substantial quantities of interflow, whereas uniformly permeable soil encourages downward percolation to groundwater. Depending upon the time delay between the infiltration and the outflow, the interflow is sometimes classified into **prompt interflow**, i.e. the interflow with least timelag and **delayed interflow**.

Some part of precipitation water may percolate downward until it reaches the water table. This groundwater accretion may eventually discharge into the streams as **groundwater flow (also called base flow and dry-weather flow)** if the water table intersects the stream channels of the basin.

The distinctions drawn between the above three components of runoff are arbitrary. Water may start out as overland flow, infiltrate, and complete its trip to the stream as subsurface storm flow; or infiltrated water may surface where a relatively impervious stratum intersects a hillside, and finish its journey to the stream as overland flow.

For convenience it has been customary to consider the total flow to be divided into only two parts: **storm, or direct, runoff and base flow**. The distinction is actually on the basis of time of arrival of water in the stream rather than on the path followed. **Direct runoff** is presumed to consist of surface runoff and a substantial portion of the interflow; whereas **base flow** is considered to be largely groundwater. The direct runoff includes rainfall on the surface of the stream and the snow-melt also.

## **NATURAL FLOW**

Runoff representing the response of a catchment to precipitation reflects the integrated effects of a wide range of catchment, climate and rainfall characteristics. True runoff is therefore streamflow in its

natural condition, i.e. without human intervention. Such a stream flow unaffected by works of men, such as reservoirs and diversion structures on a stream, is called natural flow or virgin flow. The natural flow volume in time  $\Delta t$  at the terminal point of a catchment is expressed by water balance equation as

$$R_N = (R_o - V_r) + V_d + E + E_x + \Delta S$$

Where  $R_N$  = Natural runoff volume in time  $\Delta t$

$R_o$  = Observed flow volume in time  $\Delta t$  at the terminal site

$V_r$  = Volume of return flow from irrigation, domestic water supply and industrial use

$V_d$  = Volume diverted out of the stream for irrigation, domestic water supply and industrial use

$E$  = net evaporation losses from reservoirs on the stream

$E_x$  = Net export of water from the basin

$\Delta S$  = Change in storage volumes of water storage bodies on the stream

The natural flows have to be derived based on observed flows and data on abstractions from the stream. Always, it is the natural flow that is used in all hydrological correlations.

## **HYDROGRAPH**

A plot of the discharge in a stream plotted against time chronologically is called a hydrograph.

Depending upon the unit of time involved, we have

- (i) Annual hydrographs showing the variation of daily or weekly or 10 daily mean flows over a year.
- (ii) Monthly hydrographs showing the variation of daily mean flows over a month.
- (iii) Seasonal hydrographs depicting the variation of the discharge in a particular season such as the monsoon season or dry season.
- (iv) Hourly Flood hydrographs or hydrographs due to a storm representing stream flow due to a storm over a catchment.

## COMPONENTS OF HYDROGRAPH

**(i) Overland flow or Surface Runoff:** It is that water which travels over the ground surface to a channel or depression which may carry a small rivulet of water in turbulent flow during a rain and after a short while after. Such channels are numerous, and the distance water must as overland flow is relatively short, rarely more than a hundred meters. Therefore overland flow soon reaches a channel, and if it occurs in sufficient quantity, is an important element in the formation of flood peaks.

**(ii) Interflow or Sub-surface flow:** It is the water that infiltrates the soil surface and moves laterally through the upper soil layers until it enters a stream channel. It moves more slowly than surface runoff and reaches the streams later. The proportion of total runoff which occurs as interflow depends upon the physical features of the basin.

**(iii) Baseflow or Groundwater flow or Dry-weather flow:** It is the water that percolates downward until it reaches the water table leading to rise in groundwater table which may eventually discharge into the streams if the water table intersects the stream channels of the basin.

## **Hydrograph Separation**

### **WATER YEAR**

In annual runoff studies it is advantageous to consider a water year beginning from time when precipitation exceeds the average evaporation losses. In India, June 1<sup>st</sup> is the beginning of a water year which ends on May 31<sup>st</sup> of the following calendar year. In a water year a complete cycle of climate changes is expected and hence the water budget will have the least amount of carry over.

## **RUNOFF CHARACTERISTICS OF STREAMS**

The flow characteristics of a stream depend upon:

- (i) Rainfall characteristics, such as magnitude, intensity, distribution according to time and space, and its variability
- (ii) Catchment characteristics such as soil, land use/cover, slope, geology, shape and drainage density.

(iii) Climatic factors which influence evapotranspiration.

The interrelationship of these factors is quite difficult. In India the streams can be classified as:

(i) Perennial, (ii) Intermittent, and (iii) Ephemeral streams

## **YIELD**

The total quantity of surface water that can be expected in a given period from a stream at the outlet of its catchment is known as **yield** of that catchment in that period. Depending upon the period chosen we have annual yield and seasonal yield signifying yield of the catchment in a year and in a specified season respectively. A list of values of annual yield in a number of years constitutes an annual time series which can be analyzed to assign probabilities of occurrences of various events. A common practice is to assign a dependability value (say 75% dependable yield) to the yield. Thus, 75% dependable annual yield is the value that can be expected to be equalled to or exceeded 75% times (i.e. on an average 15 times in a span of 20 years). Similarly, 50% dependable yield is the annual yield value that is likely to be equalled or exceeded 50% of times (i.e. on an average 10 times in 20 years).

It should be remembered that the yield of a stream is always related to the natural flow in the river. The annual yield of a basin at a site is thus taken as the annual natural water flow in the river at the site plus the return flow to the stream from different uses such as irrigation, domestic water supply and industries.

## **RAINFALL-RUNOFF CORRELATION**

The relationship between rainfall in a period and the corresponding runoff is quite complex and is influenced by a host of factors relating to catchment and climate. The most common method is to fit a linear regression line between R and P and to accept the result if the correlation coefficient is nearer unity. For large catchments, sometimes it is found advantageous to have exponential relationship as  $R = \beta P^m$  where  $\beta$  and  $m$  are constants.

Many improvements of the above basic rainfall-runoff correlation by considering additional parameters such as soil moisture and antecedent rainfall have been attempted. For calculation of the annual runoff from the annual rainfall a commonly used antecedent precipitation index  $P_a$  is given by

$P_a = a P_i + b P_{i-1} + c P_{i-2}$  where  $P_i, P_{i-1}$  AND  $P_{i-2}$  are the annual precipitation in the  $i$ th,  $(i-1)$ th  $(i-2)$ th year and  $i$ =current year,  $a, b$  and  $c$  are the coefficients with their sum equal to unity.

**EMPIRICAL EQUATIONS : ( Binnie's percentages, Barlow's tables, Strange's tables, Inglis and Desuza formula, Khosla's formula) and Watershed simulation, SCS-CN method of estimating runoff volume.**

## **FLOW-DURATION CURVE**

A flow-duration curve of a stream is a plot of discharge against the per cent of time the flow was equalled or exceeded. This curve is also known as discharge-frequency curve. The streamflow data is arranged in descending order of discharges, using class intervals if the number of individual values is very large. If  $N$  number of data points are used in this listing, the plotting position of any discharge (or class value)  $Q$  is:  $P_p = m / (N+1) \times 100$

Where,  $m$  is the order number of the discharge (or class value),  $P_p$ =percentage probability of the flow magnitude being equalled or exceeded. The plot of discharge  $Q$  against  $P_p$  is the flow-duration curve. Arithmetic, semi-log, log-log scale paper is used depending upon the range of data and use of the plot. The flow-duration curve represents the cumulative frequency distribution and can be considered to represent the streamflow variation of an average year. The following characteristics of the flow-duration curve are of interest:

- (i) The slope of a flow-duration curve depends upon the interval of the data selected. For example, a daily streamflow data gives a steeper curve than a curve based on monthly data for the same stream. This is due to the smoothening of small peaks in the monthly data.
- (ii) The presence of a reservoir in a stream considerably modifies the virgin flow duration curve depending on the nature of flow regulation.
- (iii) The virgin-flow duration curve when plotted on a log probability paper plots as a straight line at least over the central region. From this property, various coefficients expressing the variability of the flow in a stream can be developed for the description and comparison of different streams.
- (iv) The chronological sequence of occurrence of the flow is masked in the flow-duration curve. A discharge of say 1000 cumec in a stream will have the same percentage  $P_p$  whether it has occurred in January or June. This aspect, a serious handicap, must be kept in mind while interpreting a flow-duration curve.
- (v) The flow-duration curve plotted on a log-log paper is useful in comparing the flow characteristics of different streams. A steep slope of curve indicates a stream with a highly variable discharge. On the

other hand, a flat slope indicates a slow response of the catchment to the rainfall and also indicates small variability. At lower end of the curve, a flat portion indicates considerable base flow. A flat curve on the upper portion is typical of river basins having large flood plains and also of rivers having large snowfall during a wet season.

## **USES OF FLOW-DURATION CURVES**

- (i) Evaluating various dependable flows in the planning of water resources engineering projects.
- (ii) Evaluating the characteristics of the hydropower potential of a river.
- (iii) Designing of drainage system
- (iv) Conducting flood control studies
- (v) Computing the sediment load and dissolved solids load of a stream.
- (vi) Comparison of the adjacent catchments with a view to extend the stream flow data.

## **FLOW-MASS CURVE**

The flow-mass curve is a plot of the cumulative discharge volume against time plotted in chronological order. The ordinate of the mass curve,  $V$  at any time  $t$  is thus  $V = \int_{t_0}^t Q \, dt$  where  $t_0$  is the time at the beginning of the curve and  $Q$  is the discharge rate.

## **DROUGHTS**

Drought is a climatic anomaly characterized by deficit supply of moisture resulting from either sub-normal rainfall, erratic rainfall distribution or more demand of water from crops. Further, during

droughts the quality of available water is generally highly degraded resulting in serious environmental and health problems. Drought is classified as (i) Meteorological drought, (ii) Hydrological drought, (iii) Agricultural drought.

The causes of drought are essentially due to temporal and spatial aberrations in the rainfall, improper management of available water and lack of conservation of runoff in surface and sub-surface storages. Strategies for making drought prone areas less vulnerable to drought are as follows:

- (i) Creation of storages through minor, medium and major projects.
- (ii) Inter-basin transfer of waters from surplus water areas to drought prone areas.
- (iii) Development of ground water potential.
- (iv) Development of appropriate water harvesting practices.
- (v) Soil moisture conservation measures.
- (vi) Minimization of evaporation losses from water bodies.
- (vii) Encouraging pastures, forestry and other modes of development which is less water demanding.

#### **FACTORS AFFECTING HYDROGRAPH:**

<b>Physiographic Factors</b>	<b>Climatic Factors</b>
1. Basin characteristics : Shape, Size, Slope, Nature of valley, Elevation, Drainage density	1. Storm characteristics: Precipitation, Intensity, Duration, Magnitude and movement of storm

2.Infiltration characteristics: Land use and cover,soil type and geologicalconditions,lakes,swamp and other storages	2.Initial losses
3.Channel characteristic:cross –section,roughness and storage capacity	3.Evapotranspiration

## UNIT HYDROGRAPH & ITS ANALYSES

The hydrograph of outflows from a small basin is the sum of the elemental hydrographs from all the subareas of the basin modified by the effect of transit time through the basin and storage in the stream channel.Since the physical characteristics of the basin-shape, size, slope, etc.-are constant, one might expect considerable similarity in the shape of hydrographs from storms of similar rainfall characteristics. This is the essence and concept of unit hydrograph introduced by Sherman in 1932 as a tool for estimating hydrograph shape.The unit hydrograph is a typical hydrograph for the basin.It is called unit hydrograph because, for convenience, the runoff volume under the hydrograph is commonly adjusted to 1 cm equivalent depth over the catchment.

It would be wrong to imply that one typical hydrograph would suffice for any basin.Although the physical characteristics of the basin remain comparatively constant,the variable characteristics of storms such as duration of rainfall,time-intensity pattern,areal distribution of rainfall, and amount of rainfall cause variations in the shape of the resulting hydrograph.

A unit hydrograph is defined as the hydrograph of direct runoff resulting from one unit depth (1 cm, or 1 mm, or 1 inch) of rainfall excess occurring uniformly over the basin and at a uniform rate for a specified duration. The duration assigned to a unit hydrograph should be the duration of rainfall producing significant runoff, determined by inspection of hourly rainfall data.

### **Basic Assumptions:**

(i) **Time invariance:** The direct –runoff response to a given effective rainfall in a catchment is a time-invariant. It implies that the DRH for a given effective rainfall in a catchment is always the same irrespective of when it occurs.

(ii) **Linear response:** The direct-runoff response to the rainfall excess is assumed to be linear i.e. ordinates of flow are proportional to volume of runoff for all storms of a given duration.

(iii) **Time Base:** For a storm of same duration but with a different amount of runoff, the hydrograph of direct runoff is assumed to have the same time base as the unit hydrograph.

### **Derivation of Unit Hydrograph:**

The unit hydrograph is best derived from the hydrograph of a storm of reasonably uniform intensity, duration of desired length, and a relatively large runoff volume. The first step is to separate the base flow from direct runoff. The volume of direct runoff is determined, and the ordinates of the direct runoff hydrograph are divided by observed runoff depth. The adjusted ordinates form a unit hydrograph.

A unit hydrograph derived from a single storm may not be representative, and it is therefore desirable to average unit hydrographs from several storms of about the same duration. Compute the average peak flow and time to peak and unit hydrograph is then sketched to conform to the shape of other graphs, passing through the computed average peak, and having the required unit volume.

## **CONVERSION OF UNIT HYDROGRAPH DURATION**

### **Method of Superposition**

There is frequently a need to convert an existing unit hydrograph for one storm duration to another—shorter to better cope with spatial and intensity variations, or longer to reduce required computations and possibly in recognition of the coarseness of the available data. If two  $t_R$ -hr (duration) unit hydrographs, one lagged by  $t_R$  hr with respect to the other, are added, the result is the characteristic hydrograph for 2 units of rainfall excess and  $2 \cdot t_R$ -hr duration. Dividing the ordinates by 2 yields the  $2 \cdot t_R$ -hr unit hydrographs. In other words, the  $n \cdot t_R$ -hr unit hydrograph is the average of  $n$   $t_R$ -hr unit hydrographs, each lagged  $t_R$  hr with respect to the previous one.

### **S-Curve or Summation Curve Method**

The S-curve is the hydrograph that would result from an infinite series of unit runoff increments. Each S-curve applies to a specific duration within which each unit of runoff is generated. The S-curve is constructed by adding together a series of unit hydrographs, each lagged  $t_R$  hr with respect to the preceding one. If the time base of the unit hydrograph is  $T$  hr, then a continuous rainfall producing one unit of runoff every period would develop a constant outflow at the end of  $T$  hr. Thus only  $T/t_R$  unit hydrographs need be combined to produce an S-curve which should reach equilibrium at flow

$q_e = 2.78A/t_R$  where  $q_e$  is in cumec,  $A$  is drainage area in sq. km., the runoff in cm and  $t_R$  is again the unit duration. Commonly, the S curve tends to fluctuate about equilibrium flow. This means that the initial unit hydrograph does not actually represent runoff at a uniform rate over time  $t_R$ . Thus S curve serves as an approximate check on the assumed duration of effective rainfall for the unit hydrograph.

The difference between two S curves with initial points displaced by  $t'_R$  hr gives a hydrograph for the new duration  $t'_R$ . Since the S curve represents runoff production at a rate of one unit in  $t_R$  hr, the runoff volume represented by this new hydrograph will be  $t'_R/t_R$  units. Thus the ordinates of the unit hydrograph for  $t'_R$  hr are computed by multiplying the S curve differences by the ratio  $t_R/t'_R$ .

## SYNTHETIC UNIT HYDROGRAPH

Synthetic unit hydrographs are derived for ungauged catchments. This requires a relation between the physical geometry of the area and the resulting hydrographs. Three approaches have been used:

(i) Formulas relating hydrograph features to basin characteristics (time of peak, peak flow, and time base of the unit hydrograph), (ii) Transposition of unit hydrographs, (iii) Storage Routing.

## SNYDER'S METHOD

Snyder developed a set of empirical equations for synthetic unit hydrographs in 1938 based on a study of a large number of catchments in the Appalachian Highlands in eastern USA. Basin lag (time interval from mid-point of unit rainfall excess to the peak of the unit hydrograph),  $t_p = C_t(LL_{ca})^{0.3}$  where  $t_p$  is in hours,  $L$  = basin length measured along the river from the basin divide to the gauging station in km,  $L_{ca}$  = distance along the main water course from the gauging station to a point opposite to the

watershed centroid in km,  $C_t$  = a regional constant representing watershed slope and storage. According to Snyder its value ranged from 1.35 to 1.65 but studies elsewhere indicate the variation as 0.3 to 6.0. Linsley et al found that the basin lag  $t_p$  is better correlated with the catchment parameter  $[LL_{ca}/\sqrt{S}]$  where  $S$  = basin slope. Hence the modified formula is  $t_p = C_{tL} [LL_{ca}/\sqrt{S}]^n$  where  $C_{tL}$  and  $n$  are basin constants. Value of  $n$  was found to be equal to 0.38. Values of  $C_{tL}$  were 1.715 for mountainous drainage areas, 1.03 for foot-hill drainage areas and 0.50 for valley drainage areas.

Snyder adopted a standard duration  $t_r$  hours of effective rainfall given by  $t_r = t_p/5.5$

The peak discharge  $Q_{ps}$  in cumec of a unit hydrograph of standard duration  $t_r$  hour is given by Snyder as  $Q_{ps} = 2.78 C_p A/t_p$

Where  $A$  = catchment area in sq.km. and  $C_p$  = a regional constant whose value ranges from 0.56 to 0.69 for Snyder's study area and is considered as an indicator of the retention and storage capacity of the watershed. Like  $C_t$ , the value of  $C_p$  also vary quite considerably depending on the characteristics of the region and they vary from 0.31 to 0.93.

Snyder adopted as the time base of the unit hydrograph (days),  $T = 3 + 3t_p/24 = (72 + 3t_p)$  hours. It gives reasonable estimates of time base for large catchments, but may give excessively large values for small catchments.

The constants adopted here are dependant on the procedure used to separate base flow from direct runoff. The above equations define the three factors necessary to construct the unit hydrograph for duration  $t_r$ , which Snyder took as  $0.18t_p$ . For any other duration  $t_R$  he used an adjusted lag

$$t_{pR} = t_p + (t_R - t_r)/4 = (21/22)t_p + t_R/4$$

The best way to apply such methods is to derive coefficients from gaged streams in the vicinity of the problem basin and use these for the ungaged stream, i.e. transposition of unit hydrographs.

To assist in the sketching of unit hydrographs, the widths of unit hydrographs in hours at 50% and 75% of peak have been found for US catchments by US Army Corps of Engineers. These are correlated to the peak discharge intensity and are given by  $W_{50} = 5.87/q^{1.08}$  and  $W_{75} = W_{50}/1.75$ .

After obtaining the values of  $Q_p$ ,  $t_R$ ,  $t'_p$ ,  $W_{75}$ ,  $W_{50}$  and  $T$  from Snyder's equations, a tentative unit hydrograph is sketched. An S-curve is then developed and plotted. As ordinates of the unit hydrograph are tentative, the S-curve thus obtained will have kinks. These are then smoothened and a logical pattern of the S-curve is sketched. Using this S-curve the  $t_R$  hour unit hydrograph is then derived back. Further, the area under the unit hydrograph is checked to see that it represents 1 cm of runoff. The procedure of adjustment through the S-curve is repeated till satisfactory results are obtained. It may be noted that out of the various parameters of the synthetic unit hydrograph the least accurate will be the time base and this can be changed to meet other requirements.

## TRANSPOSITION OF UNIT HYDROGRAPHS

One technique for transposition of unit hydrographs makes use of a dimensionless unit hydrograph which masks the effect of basin size and essentially eliminates the effect of shape, except as they are reflected in the estimate of basin lag and runoff volume. In this the ordinate is the discharge expressed as a ratio to peak discharge ( $Q/Q_p$ ) and the abscissa is the time expressed as a ratio of time to peak ( $t/t_{pk}$ ).

## INDIAN PRACTICE

The Central Water Commission after a study of a large number of catchments in India of varying sizes in the range of 25 to 500 sq.km. has recommended the following relations for developing synthetic unit hydrographs. The peak discharge of a D-hour unit hydrograph  $Q_{pd}$  in cumec is

$$Q_{pd} = 4.44A^{3/4} \quad \text{for } S_m > 0.0028$$

$$\text{And } Q_{pd} = 222A^{3/4} S_m^{2/3} \quad \text{for } S_m < 0.0028$$

Where  $A$  = catchment area in sq. km. and  $S_m$  = weighted mean slope given by

$S_m = [L_{ca} / (L_1/\sqrt{S_1} + L_2/\sqrt{S_2} + \dots + L_n/\sqrt{S_n})]^2$  in which  $L_{ca}$  = distance along the river from the gaging station to a point opposite the centre of gravity of the area.  $L_1, L_2, \dots, L_n$  = length of main channel having slopes  $S_1, S_2, \dots, S_n$  respectively obtained from topographic maps.

The lag time in hours (i.e. time interval from mid-point of the rainfall excess to the peak of 1 –hour unit hydrograph is given by

$$T_{p1} = 3.95/[Q_{pd}/A]^{0.9}$$

For design purposes the duration of rainfall excess in hours is taken as  $D = 1.1 t_{p1}$

The time to peak is determined by Snyder's equation,  $t_p = C_t(LL_{ca})^{0.3}$

## INSTANTANEOUS UNIT HYDROGRAPH

Any unit hydrograph has a particular D-hour duration. The shape of different unit hydrographs depend upon the particular value of D. As D is reduced, the intensity of rainfall excess being equal to  $1/D$  increases and the unit hydrograph becomes more skewed.

As the duration of the unit hydrograph approaches zero, the instantaneous unit hydrograph by definition, the flow sequence represents the outflow from the instantaneous application of the unit rainfall excess over the catchment. IUH is a fictitious, conceptual unit hydrograph which represents the surface runoff from the catchment due to an instantaneous precipitation of the rainfall excess volume of 1 cm.

Mathematically, the rate of direct runoff at time  $t$  is given by

$$q_t = \int_0^t f(\tau) i_e(t-\tau) d\tau$$

in which  $f(\tau)$  is the IUH ordinate at time  $\tau$ ,  $i_e$  is the intensity of rainfall excess at time  $(t-\tau)$ , and  $\tau$  is time in the past. In other words, the flow is determined by weighing the antecedent rainfall excess, where the weight applied to the rainfall occurring  $\tau$  hr ago is IUH ordinate  $\tau$  hr after the beginning of rainfall.

IUH can be derived from an S-curve or by routing the time –area diagram of the catchment.

## **UNIT-4**

Flood: Rational method, empirical formulae, unit hydrograph method, flood frequency studies, statistical analysis, regional flood frequency analysis, design storm & design flood, risk/reliability and safety factor; Flood

Routing: Basic equation, hydrologic storage routing & attenuation, hydrologic channel routing, flood forecasting & control, hydraulic method of flood routing.

### **FLOOD**

A flood is an unusually high stage in a river – normally the level at which the river overflows its banks and inundates the adjoining areas. At a given location in a stream, flood peaks vary from year to year and their magnitude constitutes hydrologic series which enable one to assign a frequency to a given flood-peak value. The magnitude of flood peaks can be estimated by following alternative methods:

(i) Rational method, (ii) Empirical formulae, (iii) Unit hydrograph method, (iv) Flood-Frequency studies.

### **RATIONAL METHOD**

The Rational formula is applicable to small-sized (<50 sq.km.) catchments only and is generally used for the design of storm water drains and other structures like small culverts and bridges handling runoff from small areas. The peak value of runoff is given by the equation:

$$Q_p = (1/3.6)CiA \quad \text{for } t > t_c$$

Where  $Q_p$ =peak discharge in cumec,  $C$ =coefficient of runoff Runoff/Rainfall,  $i$ =mean intensity of precipitation (mm/hour) for a duration equal to  $t_c$  and an exceedence probability  $P$ ,  $A$ =area of the catchment in sq.km.  $t_c$ =time of concentration i.e. time taken for a drop of water from the farthest part of the catchment to reach the outlet.

It may be noted that the word Rational is rather a misnomer as the method involves determination of parameters  $t_c$  and  $C$  in a subjective manner. The three parameters:  $t_c$ ,  $i$ , and  $C$  are described below:

### **Time of Concentration, $t_c$**

For small drainage basins, the practice in USA is to consider the time of concentration approximately equal to the lag time of peak flow,  $t_c = t_p = C_{tL} [LL_{ca}/\sqrt{S}]^n$

For small plots having no defined flow channels, and from which runoff occurs as laminar overland flow, Izzard has suggested overland flow time or inlet time,  $T_o = [111.b.(L_o)^{1/3}]/(K.p)^{2/3}$  where  $L_o$ =Length of overland flow in meters,  $p$ =Rainfall intensity in cm/hour,  $K$ =Runoff coefficient,  $b$ = a coefficient, whose value is given by  $b = (0.000275p + C_r)/(S_o)^{1/3}$  where  $S_o$ =slope of the surface,  $C_r$ =Retardance coefficient (0.007 for smooth asphalt surface, 0.012 for concrete pavement, 0.017 for tar and gravel pavement, 0.046 for closely clipped soil, and 0.060 for dense blue grass turf).

However, for the design of hydraulic structures, Kirpich devised an equation in 1940 as

$t_c = 0.01947 L^{0.77} S^{-0.385}$  where  $t_c$ =time of concentration in minutes, L=maximum length of travel of water in meters, S= slope of the catchment= $\Delta H/L$  in which  $\Delta H$ = difference in elevation between the most remote point on the catchment and the outlet.

For a small drainage basin having flow channels in it, would be equal to the longest combination of overland flow time called Inlet time and Channel flow time which exists anywhere in the basin. Channel flow time is generally taken as the length of the longest channel divided by the average flow velocity in the channel at about bankfull stage.

### **Critical Rainfall Intensity, i**

The critical rainfall intensity in cm/hour is generally taken as the average rate during the time of concentration  $t_c$  and the desired probability of exceedence P (i.e. return period  $T=1/P$ ) and is determined from the rainfall- frequency–duration relationship for the given catchment area. This will usually be a relationship in the form of equation  $i = KT^x / (t_c + a)^m$  in which K, a, x and m are constants. Published rainfall maps exhibiting this form of relationship are consulted to evaluate i. In USA P is generally taken as 0.05 to 0.10.

### **Runoff Coefficient, C**

The coefficient, C represents the integrated effect of the catchment losses and hence depends upon the nature of the surface, surface slope and rainfall intensity. Some typical values of C are given below:for

Sr. No.	Type of Area	Value of C
A.	Urban area (P=0.05 to 0.10)	
	Lawns: Sandy soil, flat, 2%	0.05- 0.10
	Sandy soil, steep, 7%	0.15-0.20

	Heavy soil, average, 2.7%	0.18-0.22
	Residential areas:	
	Single family areas	0.30-0.50
	Multy units, attached	0.60-0.75
	Industrial areas:	
	Light	0.50-0.80
	Heavy	0.60-0.90
	Streets	0.70-0.95
B.	Agricultural Areas	
	Flat:     Tight clay;cultivated	0.50
	Woodland	0.40
	Sandy loam;cultivated	0.20
	Woodland	0.10
	Hilly:     Tight clay;cultivated	0.70
	Woodland	0.60
	Sandy loam;cultivated	0.40
	Woodland	0.30

In determining peak flow rates, most applications of the Rational formula utilize the following steps:

- (i) Estimate the time of concentration of the drainage area.
- (ii) Estimate the runoff coefficient.

(iii) Select a return period,  $T_r$  and find the intensity of rain that will be equaled or exceeded, on an average, over every  $T_r$  years.

(iv) Determine the peak flood flow from the equation  $Q_p = C_i A$ .

Some design situations produce larger peak flows if design storm intensities for durations less than  $t_c$  are used. Substituting intensities for durations less than  $t_c$  is justified only if the contributing area term in the equation is also reduced to accommodate the shortened storm duration.

The above mentioned Rational formula assumes a homogeneous catchment surface. If however, the catchment area is non-homogeneous but can be divided into distinct sub areas each having a different runoff coefficient, then the runoff from each sub area is calculated separately and merged in proper time sequence. Sometimes, a non-homogeneous catchment is so complex that distinct subareas can not be separated. In such cases a weighted equivalent runoff coefficient  $C_e = \sum_{i=1}^N C_i A_i / A$  is used where  $A_i$  is the areal extent of the sub area  $i$  having a runoff coefficient  $C_i$  and  $N$  is number of sub areas in the catchment.

## EMPIRICAL FORMULAE

These are basically regional formulae based on statistical correlation of the observed peak and important catchment properties like area. These are applicable only in the region from which they were developed and when applied to other areas they can at best give approximate values.

### DICKENS FORMULA (1865)

$Q_p = C_D A^{3/4}$  where  $Q_p$  = maximum flood discharge in cumec,  $A$  = catchment area in sq.km.,  $C_D$  = Dickens constant (6 for north Indian plains, 11-14 for north Indian hilly regions, 14-28 for central India, and 22-28 for Coastal Andhra and Orissa).

### **RYVES FORMULA (1884)**

$Q_p = C_R A^{2/3}$  where  $Q_p$  = maximum flood discharge in cumec,  $A$  = catchment area in sq.km. and  $C_R$  = Ryves constant (6.8 for areas within 80 km from east coast, 8.5 for areas which are 80-160 km from east coast, and 10.2 for limited areas near hills)

This formula was originally developed for the Tamil Nadu region and is in use in Tamil Nadu, parts of Karnataka and Andhra Pradesh.

### **INGLIS FORMULA (1930)**

$Q_p = 124A / (A + 10.4)^{1/4}$  where  $Q_p$  is flood peak in cumec and  $A$  is catchment area in sq.km. This formula is based on flood data of catchments in western Ghats in Maharashtra.

### **FULLER'S FORMULA (1914)**

$Q_{Tp} = C_f A^{0.8} (1 + 0.8 \log T)$  where  $Q_{Tp}$  is maximum 24-hr flood with a frequency of  $T$  years in cumec,  $A$  is catchment area in sq. km. and  $C_f$  is a constant varying from 0.18 to 1.88.

### **ENVELOPE CURVES**

Kanwarsain and Karpove (1967) have developed enveloping curves on log-log graph paper representing the relationship between the peak- flood discharge and the catchment area for north as well as south Indian conditions for large catchment areas in the range of  $10^3$  to  $10^6$  sq. km. Based on the maximum recorded floods throughout the world, Baird and McIlwraith (1951) have recommended following equation:

$Q_{mp} = 3025A / (278 + A)^{0.78}$  where Discharge is in cumecs and area in sq. km.

### **UNIT HYDROGRAPH METHOD**

The Unit hydrograph technique can be used to predict the peak flood hydrograph if the rainfall producing the flood, infiltration characteristics of the catchment and appropriate unit hydrograph are available. For design purposes, extreme rainfall situations are used to obtain the design storm. The known or derived unit hydrograph of the catchment is then operated upon by the design storm to generate the desired flood hydrograph.

## **FLOOD-FREQUENCY STUDIES**

The values of the annual maximum flood from a given catchment area for large number of successive years constitute a hydrological data series called the annual series. The data are then arranged in decreasing order of magnitude and the probability  $P$  of each event being equalled to or exceeded is calculated by the plotting-position formula

$P = m/N + 1$  where  $m$  = order number of the event and  $N$  = total number of events in the data. The recurrence interval,  $T$  (also called the return period or frequency) is calculated as  $T = 1/P$ .

Chow (1951) has shown that most frequency distribution functions applicable in hydrologic studies can be expressed by the following equation known as general equation of hydrologic frequency analysis:  $x_T = x' + K\sigma$  where  $x_T$  = value of the variate  $x$  of a random hydrological series with a return period  $T$ ,  $x'$  = mean of the variate,  $\sigma$  = standard deviation,  $K$  = frequency factor which depends upon the return period,  $T$  and the assumed frequency distribution.

## **STATISTICAL ANALYSIS**

Statistical distributions are usually demonstrated by use of samples numbering in thousands. No such samples are available for streamflow and it is not possible to state with certainty that a specific distribution applies to flood peaks. Numerous distributions have been suggested on the basis of their ability to fit the plotted data from the streams. Despite much efforts, tests that there is no best distribution for floods. Intuitively atleast, there is no reason to expect that a single distribution will apply to all streams worldwide. Commonly used frequency distribution functions for the prediction of extreme flood values are: (i) Gumbel's extreme-value distribution, (ii) Log-Pearson type III distribution, (iii) Log normal distribution.

## **GUMBEL'S METHOD**

Gumbel was the first to suggest the use of the extreme-value distribution for floods. His argument was that each year of record constituted a sample of a sample of 365 values and the annual flood was the maximum value from the sample. He defined the flood as the largest of the 365 daily flows and the annual series of flood flows constituting a series of the largest values of flows. According to his theory of extreme events, the probability of occurrence of an event equal to or larger than a value  $x_0$  is

$P(X \geq x_0) = 1 - e^{-[e]^{-y}}$  in which  $y$  is a dimensionless variable given by  $y = \alpha(x - a)$ ,  $a = x' - 0.45005\sigma_x$  and  $\alpha = 1.2825 / \sigma_x$

Thus  $y = [1.285(x - x') / \sigma_x] + 0.577$  where  $x'$  = mean and  $\sigma_x$  = standard deviation of the variate  $X$ . In practice it is the value of  $X$  for a given  $P$  that is required and the probability equation is transposed as

$$Y = -\ln[-\ln(1-P)]$$

Noting that the return period  $T=1/P$  and designating  $y_T$ =the value of  $y$ , commonly called the reduced variate, for a given  $T$

$y_T = -[\ln \ln T / (T-1)] = -[0.834 + 2.303 \log \log T / (T-1)]$ . The value of the variate  $X$  with a return period  $T$  is

$$x_T = x' + K\sigma_x \text{ where } K = (y_T - 0.577) / 1.2825$$

For practical use  $y_T = -[0.834 + 2.303 \log \log T / (T-1)]$  and  $K = y_T - y_n / S_n$  where  $y_n$ =reduced mean for  $N \rightarrow \infty$   $y_n \rightarrow 0.577$  and  $S_n$ =reduced standard deviation for  $N \rightarrow \infty$   $S_n \rightarrow 1.2825$ .

These equations are used under the following procedure to estimate the flood magnitude corresponding to a given return period based on an annual flood series.

1. Assemble the discharge data and note the sample size  $N$ . Here the annual flood value is the variance  $X$ . Find  $x'$  and  $\sigma_{n-1}$  for the given data.
2. Determine  $y_n$  and  $S_n$ .
3. Find  $y_T$  for a given  $T$
4. Find  $K = y_T - y_n / S_n$
5. Determine the required  $x_T$  by equation  $x_T = x' + K\sigma_{n-1}$

To verify whether the given data follow the assumed Gumbel's distribution, the following procedure may be adopted:

The value of  $x_T$  for some return periods  $T < N$  are calculated by using Gumbel's formula and plotted as a semi-log, log-log, or Gumbel probability paper. The use of Gumbel probability paper results in a

straight line for  $x_T$  vs  $T$  plot. Gumbel's distribution has the property which gives  $T=2.33$  years for the average of the annual series when  $N$  is very large. Thus the value of a flood with  $T=2.33$  years is called the mean annual flood. In graphical plot this gives a mandatory point through which the line showing variation of  $x_T$  with  $T$  must pass. For the given data, values of return periods for various recorded values,  $x$  of the variate are obtained by the relation  $T = (N+1)/m$  and plotted on the graph described above.

### LOG-PEARSON TYPE III DISTRIBUTION

This distribution is extensively used in USA. In this the variate is first transformed into logarithmic base 10 and the transformed data is then analysed. If  $X$  is the variate of a random hydrologic series, then the series of  $Z$  variates where  $z = \log x$  are first obtained. For this  $Z$  series, for any recurrence interval  $T$  the general equation of hydrologic frequency analysis :  $x_T = x' + K\sigma$  gives  $z_T = z' + K_z \sigma_z$  where  $K_z$  = a frequency factor which is a function of recurrence interval  $T$  and the coefficient of skew  $C_s$ , and  $\sigma_z$  = standard deviation of the  $Z$  variate sample =  $\sqrt{\sum (z - z')^2 / (N-1)}$  and  $C_s$  = coefficient of skew of variate  $Z = [N \sum (z - z')^3] / (N-1)(N-2)(\sigma_z)^3$

The variations of  $K_z = f(C_s, T)$  can be obtained from table. After finding  $z_T$ , the corresponding  $x_T$  is obtained by equation  $z = \log x$  as  $x_T = \text{antilog}(z_T)$ .

When the skew is zero i.e.  $C_s = 0$ , the log-pearson Type III distribution reduces to log normal distribution which plots as a straight line on logarithmic probability paper.

## REGIONAL FLOOD FREQUENCY ANALYSIS

When the available data at a catchment is too short to conduct frequency analysis, a regional analysis is adopted. In this a hydrologically homogenous region from the statistical point of view is considered. Available long time data from neighbouring catchments are tested for homogeneity and a group of stations satisfying the test are identified. This group of stations constitutes a region and all the station data of this region are pooled and analysed as a group to find the frequency characteristics of the region. The mean annual flood  $Q_{ma}$ , which corresponds to a recurrence interval of 2.33 years is used for non-dimensionalising the results. The variation of  $Q_{ma}$  with drainage area and the variation of  $Q_T/Q_{ma}$  with  $T$  where  $Q_T$  is the discharge for any  $T$ , are the basic plots prepared in this analysis. An independent relation defining the mean annual flood in terms of basin characteristics is the required. Often this is a simple relation between mean annual flood and drainage area, although other parameters such as basin slope, mean elevation, percentage of area of area in lakes, and mean precipitation over the catchment may be employed.

A probability curve for an ungauged basin is then constructed by first determining the mean annual flood and then converting the ratio scale of the regional –frequency curve to flow by multiplying the ratios by the estimated mean annual flood. The weakness of this approach lies in the assumption that all the streams will show the same variance of  $Q_T/Q_{ma}$  (slope of the cumulative frequency function). Statistical tests may indicate that several streams could have the same function, but they can never prove the functions are identical. Differences between frequency curves of small streams may be real differences arising from different regimes. They may, on the other hand be apparent differences arising from the variability of short samples.

If the regional approach is used, considerable care should be taken to select streams as nearly similar in hydrologic characteristics as possible. They should have similar vegetal cover, land use, topographic conditions, and geologic characteristics, and the range of the drainage area should not be excessive. They should also have similar rainfall and evapotranspiration characteristics.

## **DESIGN STORM**

To estimate the design flood for a project by the use of a unit hydrograph, one needs the design storm. This can be the storm-producing PMP for deriving PMF or a standard project storm (SPS) for calculation of standard project flood (SPF). The following procedure is adopted in India:

(i) The duration of the critical rainfall is first selected. This will be the basin lag if the flood peak is of interest. If the flood volume is of interest, the duration of the longest storm experienced in the basin is selected.

(ii) Past major storms in the region which conceivably could have occurred in the basin under study are selected. DAD analysis is performed and the enveloping curve representing the maximum depth-duration relation for the study basin is obtained.

(iii) Rainfall depth for convenient time intervals are scaled from the enveloping curve. These increments are to be arranged to get a critical sequence which produces the maximum flood peak when applied to the relevant unit hydrograph of the basin. The critical sequence of rainfall increments can be obtained by trial and error. Alternatively, increments of precipitation are first arranged in a table of unit hydrograph ordinates, such that (a) the maximum rainfall increment is against the maximum unit hydrograph ordinate, (b) the second highest rainfall increment is against the second highest unit

hydrograph ordinate and so on, and (c) the sequence of rainfall increments arranged above is now reversed, with the last item first and first item last. The new sequence gives the design storm.

(iv) The design storm is then combined with hydrologic abstractions most conducive to high runoff, viz. low initial loss and lowest infiltration rate to get the hyetograph of rainfall excess to operate upon the unit hydrograph.

## DESIGN FLOOD

The PMF is used in situations where the failure of structure would result in loss of life and catastrophic damage and as such complete security from potential floods is sought. On the other hand, SPF is often used where the failure of structure would cause less severe damage. Typically the SPF is about 40% to 60% of the PMF for the same drainage area. The CWC has recommended as follows:

Sr. No.	Structure	Recommended Design Flood
1.	Spillways for major and medium projects with storages more than 60MCM	(a) PMF determined by unit hydrograph and PMP (b) If (a) is not applicable or possible, adopt Flood-Frequency method with $T=1000$ years
2.	Permanent Barrages and minor dams with capacity less than 60MCM	(a) SPF determined by unit hydrograph and SPS which is usually the largest recorded storm in the region (b) Flood with a return period of 100 years Adopt (a) or (b) whichever gives higher value.
3.	Pick-up Weirs	Flood with a return period of 100 or 50 years depending on the importance of the project.
4.	Aqueducts	Flood with $T=50$ years for waterways and Flood with $T=100$ years for foundations and freeboard

5.	Project with very scanty or inadequate data	Empirical Formulae
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IS:11223-1985: Guidelines for fixing spillway capacity have made following recommendations:

Class	Gross Storage(MCM)	Hydraulic Head (m)	Inflow Design Flood
Small	0.5 to 10.0	7.5 to 12.0	100-year flood
Intermediate	10.0 to 60.0	12.0 to 30.0	SPF
Large	>60.0	>30.0	PMF

## RISK, RELIABILITY & SAFETY FACTOR

The designer of a hydraulic structure always faces a nagging doubt about the risk of failure of his structure. This is because the estimation of the hydraulic design values, (such as the design flood discharge and the river stage during the design flood) involve a natural or inbuilt uncertainty and as such a hydrological risk of failure. As an example, consider a weir with an expected life of 50 years and designed for a flood magnitude of return period  $T=100$  years. This weir may fail if a flood magnitude greater than the design flood occurs within the life period (50 years) of the weir.

The probability of occurrence of an event ( $x \geq x_T$ ) at least once over a period of  $n$  successive years is called the risk,  $R$ . Thus the risk is given by  $R = 1 - (\text{probability of non-occurrence of the event } x \geq x_T \text{ in } n \text{ years}) = 1 - (1 - P)^n = 1 - [1 - 1/T]^n$  where  $P = \text{probability } P(x \geq x_T) = 1/T$  and  $T = \text{return period}$

The reliability  $R_e$  is defined as  $R_e = 1 - R = [1 - 1/T]^n$

It can be seen that the return period for which a structure should be designed depends upon the acceptable level of risk. In practice, the acceptable risk is governed by economic and policy considerations.

## **SAFETY FACTOR**

In addition to the hydrological uncertainty, as mentioned above, a water resource development project will have many other uncertainties. These may arise out of structural, constructional, operational and environmental causes as well as from non-technological considerations such as economic, sociological and political causes. As such, any water resource development project will have safety factor for a given hydrological parameter M as defined below:

$(SF)_m = (\text{actual value of parameter adopted in the design of the project}) / (\text{Value of the parameter M obtained from hydrological considerations only}) = C_{am} / C_{hm}$

The parameter M includes such items as flood discharge magnitude, maximum river stage, reservoir capacity and free board. The difference  $(C_{am} - C_{hm})$  is known as safety margin. The concept of risk, reliability and safety factor form the building blocks of the emerging field of reliability based design.

## **FLOOD ROUTING**

Flood routing is a process of predicting the temporal and spatial variations of a hydrograph as the flood wave traverses a river reach or reservoir. Given the flow at an upstream point, routing can be

used to compute the flow at a downstream point. The principle of routing applies also to computation of the effect of a reservoir on the shape of a flood wave.

### **TYPES OF FLOOD ROUTING**

**(i) Reservoir Routing:** In reservoir routing the effect of a flood wave entering a reservoir is studied. Knowing the volume-elevation characteristics of the reservoir and the outflow-elevation relationship for the spillways and other outlet structures in the reservoir, the effect of a flood wave entering a reservoir is studied to predict the variations of reservoir elevation and outflow discharge with time. This type of reservoir routing is essential (i) in the design of capacity of spillways and other reservoir outlet structures, and (ii) in the location and sizing of capacity of reservoirs to meet specific requirements.

**(ii) Channel Routing:** In this type the change in the shape of a hydrograph as it travels down a channel is studied. By considering a channel reach and an input hydrograph at the upstream end, this form of routing aims to predict the flood hydrograph at various sections of the reach. Information on the flood-peak attenuation and the duration of the highwater levels obtained by channel routing is of utmost importance in flood forecasting operations and flood protection works.

### **METHODS OF FLOOD ROUTING**

**(i) Hydrological Routing:** Flood wave movement in natural channels traditionally has been treated in design and prediction by applying hydrologic routing procedures. Such procedures solve the continuity equation (or storage equation) for an extended reach of the river, usually bounded by selected gauged points.

**(ii)Hydraulic Routing:** Routing of unusual events such as a reversal of flow, complex channel systems as in a delta,flood waves due to failure of dam,or by the probable maximumflood and situations with variable backwater are the special cases where hydrologic routing methods may not suffice.Hydraulic routing based on a solution of the energy or momentum equations is an alternate to the hydrologic methods.This method deal directly with the hydraulic characteristics of the channel and, in some cases, also take dynamic effects into account.

## BASIC EQUATIONS

The passage of a flood hydrograph through a reservoir or a channel reach can be classified as gradually varied unsteady flow.The equation of continuety used in all hydrologic routing as the primary equation states that the difference between the inflow and outflow rates is equal to the rate of

change of storage, i.e.  $I-O=dS/dt$  Or  $\Delta S=S_2-S_1=\int_{t_1}^{t_2} I dt - \int_{t_1}^{t_2} O dt$

Alternatively, to provide a form more convenient for hydrologic routing, it is commonly assumed that in a small time interval of routing period  $\Delta t$  the difference between the total inflow volume and total outflow volume in a reach is equal to the change in storage in that reach  $I'\Delta t-O'\Delta t=\Delta S$ , where  $I'$ = average inflow in time  $\Delta t$ ,  $O'$ =average outflow in time  $\Delta t$  and  $\Delta S$ =change in storage.By taking  $I'=(I_1+I_2)/2$ ,  $O'=(O_1+O_2)/2$  and  $\Delta S=S_2-S_1$  with suffixes 1 and 2 to denote the beginning and end of time interval  $\Delta t$ ,an equation can be expressed as  $[(I_1+I_2)/2]\Delta t-[(O_1+O_2)/2] \Delta t=S_2-S_1$ .

The time interval  $\Delta t$  should be sufficiently short so that inflow and outflow hydrographs can be assumed to be straight lines in that time interval.Further  $\Delta t$  must be shorter than the time of transit of the flood wave through the reach.The routing period should never be greater than the time of travel

through the reach, for if it were, it would be possible for the wave crest to pass completely through the reach during a routing period. Generally a routing period between  $\frac{1}{2}$  to  $\frac{1}{3}$  of the time of travel will work quite well.

In the differential form, the equation of continuity for unsteady flow in a reach with no lateral flow is given by  $\frac{\partial Q}{\partial x} + T \frac{\partial y}{\partial t} = 0$  where  $T$  = top width of the section and  $y$  = depth of flow

The equation of motion for a flood wave is derived from the application of the momentum equation as

$\frac{\partial y}{\partial x} + \frac{V}{g} \frac{\partial V}{\partial x} + \frac{1}{g} \frac{\partial V}{\partial t} = S_0 - S_f$  where  $V$  = velocity of flow at any section,  $S_0$  = channel bed slope and  $S_f$  = slope of energy line. These above two equations were first developed by A.J.C. Barre de Saint Venant and therefore are commonly known as St. Venant equations. Hydraulic-flood routing involves the numerical solution of St. Venant equations.

## **HYDROLOGIC STORAGE ROUTING**

A flood wave  $I(t)$  enters a reservoir provided with an outlet such as a spillway. The outflow is a function of the reservoir elevation only, i.e.  $Q = Q(h)$ . The storage in the reservoir is a function of reservoir elevation,  $S = S(h)$ . Further, due to the passage of the flood wave through the reservoir, the water level in the reservoir changes with time,  $h = h(t)$  and hence the storage and discharge change with time. It is required to find the variations of  $S$ ,  $h$  and  $Q$  with time, i.e. find  $S = S(t)$ ,  $Q = Q(t)$  and  $h = h(t)$  given  $I = I(t)$ .

If an uncontrolled spillway is provided in a reservoir, typically  $Q = \frac{2}{3} C_d \sqrt{2g} L_e H^{3/2} = Q(h)$  where  $H$  = head over spillway,  $L_e$  = effective length of spillway crest and  $C_d$  = coefficient of discharge.

For reservoir routing, the following data have to be known:

- (i) Storage volume vs elevation for the reservoir;
- (ii) Water-surface elevation vs outflow and hence storage vs outflow discharge;
- (iii) Inflow hydrograph,  $I=I(t)$ ; and
- (iv) Initial values of  $S, I$  and  $Q$  at time  $t=0$ .

As the horizontal water surface is used in the reservoir, the storage routing is also known as Level Pool Routing. Two commonly used semi-graphical methods and a numerical method are described below:

### **MODIFIED PUL'S METHOD**

The equation  $[(I_1+I_2)/2] \Delta t - [(O_1+O_2)/2] \Delta t = S_2 - S_1$  can be re-arranged as

$[(I_1+I_2)/2] \Delta t + [S_1 - O_1 \Delta t/2] = [S_2 + O_2 \Delta t/2]$ . At the start of flood routing, the initial storage and outflow discharges are known. In the above equation all the terms in the left hand side are known at the beginning of a time step  $\Delta t$ . Hence the value of the function  $[S_2 + O_2 \Delta t/2]$  at the end of the time step can be calculated by above equation. Since the relation  $S=S(h)$  and  $Q=Q(h)$  are known,  $[S + O \Delta t/2]_2$  will enable one to determine the reservoir elevation and hence the discharge at the end of the time step. The procedure is repeated to cover the full inflow hydrograph.

### **GOODRICH METHOD**

The equation  $[(I_1+I_2)/2] \Delta t - [(O_1+O_2)/2] \Delta t = S_2 - S_1$  can be re-arranged as

$$I_1 + I_2 + (2S_1/t - O_1) = 2S_2/t + O_2$$

The solution of above equation requires a routing curve showing  $(2S/t + O)$  versus  $O$ . All the terms on left hand side of the equation are known, and a value of  $(2S_2/t + O_2)$  can be computed. The corresponding values of  $O_2$  can be determined from the routing curve. The computation is then repeated for succeeding routing periods. It may be noted that  $(2S/t - O)$  is easily computed as  $(2S/t + O) - 2O$ .

### STANDARD FOURTH-ORDER RUNGE-KUTTA (SRK) METHOD

$dS = A(H).dH$  where  $S$  = storage at a water surface elevation  $H$  in the reservoir =  $S(H)$

$A$  = area of the reservoir at elevation  $H$  = function of  $H = A(H)$

$O$  = outflow from the reservoir = function of  $H = O(H)$

By continuity equation

$$\frac{dS}{dt} = I(t) - O(H) = A(H) \frac{dH}{dt}$$

$$\frac{dH}{dt} = \frac{I(t) - O(H)}{A(H)} = \text{Function of } (t, H)$$

If the routing is conducted from the initial condition, ( at  $t=t_0$  and  $I=I_0; O=O_0, H=H_0, S=S_0$ ) in time steps  $\Delta t$ , the water surface elevation  $H$  at  $(i+1)$ th step is given by SRK method as

$$H_{i+1} = H_i + \frac{1}{6}(K_1 + 2K_2 + 2K_3 + K_4)\Delta t$$

where  $K_1 = F(t_i, H_i)$

$$K_2 = F\left[\left(t_i + \frac{\Delta t}{2}\right), H_i + \frac{1}{2}K_1\Delta t\right]$$

$$K_3 = F\left[\left(t_i + \frac{\Delta t}{2}\right), H_i + \frac{1}{2}K_2\Delta t\right]$$

$$K_4 = F\left[t_i + \Delta t, H_i + K_3\Delta t\right]$$

Starting from the known initial conditions and knowing O vs H and A vs H relationships, a given hydrograph  $I=I_t$  is routed by selecting a time step  $\Delta t$ . At any time  $t=(t_o+i\Delta t)$ , the value of  $H_i$  is known and the coefficients  $K_1, K_2, K_3, K_4$  are determined by repeated appropriate evaluation of the function  $F(t, H)$ . It is seen that SRK method directly determines  $H_{i+1}$  by four evaluations of the function  $F(t, H)$ . Knowing the values of H at various time intervals, i.e.  $H=H(t)$ , the other variables  $O(H)$  and  $S(H)$  can be calculated to complete the routing operation.

## ATTENUATION

Owing to the storage effect, the peak of outflow hydrograph will be smaller than that of the inflow hydrograph. This reduction in the peak value is called Attenuation. Further, the peak of the outflow occurs after the peak of the inflow; the time difference between the two peaks is known as lag.

## HYDROLOGIC CHANNEL ROUTING

Routing in natural river channels is complicated by the fact that storage is not a function of outflow alone. The resulting curve in storage vs simultaneous outflow plot is usually a wide loop indicating greater storage for a given outflow during rising stages than during falling. The storage beneath a line parallel to the streambed is called prism storage; between this line and the actual profile, wedge storage. During rising stages a considerable volume of wedge storage may exist before any large

increase in outflow occurs. During falling stages, inflow drops more rapidly than outflow, and the wedge-storage volume becomes negative. Routing in streams requires a storage relationship which adequately represents the wedge storage. This is usually done by including inflow as a parameter in the storage equation.

## **ANALYTICAL METHOD OF CHANNEL ROUTING**

One expression for storage in a reach of a stream is  $S = \frac{b}{a} [x I^{m/n} + (1-x) O^{m/n}]$  where  $a$  and  $n$  are constants from the mean stage–discharge relation for the reach,  $q = ag^n$ , and  $b$  and  $m$  are constants in the mean stage-storage relation for the reach,  $S = bg^m$ . In a uniform rectangular channel, storage would vary with the first power of stage ( $m=1$ ) and discharge would vary as the  $\frac{5}{3}$  power (Manning formula). In natural channel with overbank floodplains the exponent  $n$  may approach or become less than unity. The constant  $x$  expresses the relative importance of inflow and outflow in determining storage. For a simple reservoir,  $x=0$  (inflow has no effect), while if inflow and outflow were equally effective,  $x$  would be 0.5. For most streams,  $x$  is between 0 and 0.3 with a mean value near 0.2.

## **MUSKINGUM METHOD**

Here '**Muskingum**' is the name of a river in North America on which a related flood routing method was first developed by McCarthy, G.T. vide his paper "The Unit Hydrograph and Flood Routing" presented at conference of North Atlantic Division, U.S. Corps of Engineers in June 1938. Muskingum method assumes that  $m/n=1$  and lets  $b/a=K$ . The above general equation then becomes  $S = K[x I + (1-x)O]$  where constant  $K$ , known as the storage constant, is the ratio of storage to discharge and has the dimension of time. It is approximately equal to the travel time through the reach

and in the absence of better data is sometimes estimated in this way. If the flow data on previous floods are available,  $K$  and  $x$  are determined by plotting  $S$  vs  $[xI + (1-x)O]$  for various values of  $x$ . The best value of  $x$  is that which causes the data to plot most nearly as a single valued curve. The Muskingum method assumes that this curve is a straight line with slope  $K$ . The units of  $K$  depend upon the units of flow and storage.

If equation  $S = K[xI + (1-x)O]$  is substituted for  $S$  in equation  $[(I_1 + I_2)/2] \Delta t - [(O_1 + O_2)/2] \Delta t = S_2 - S_1$  and the like terms are collected, the resulting equation reduces to

$$O_2 = c_0 I_2 + c_1 I_1 + c_2 O_1$$

$$\text{Where } c_0 = -\frac{Kx - 0.5t}{K - Kx + 0.5t}, \quad c_1 = \frac{Kx + 0.5t}{K - Kx + 0.5t}, \quad c_2 = \frac{K - Kx - 0.5t}{K - Kx + 0.5t}$$

Combining above,  $c_0 + c_1 + c_2 = 1$ . In these equations  $t$  is the routing period in the same time units as  $K$ . With  $K, x$ , and  $t$  established, values of  $c_0, c_1$ , and  $c_2$  can be computed. The routing operation is simply a solution of equation  $O_2 = c_0 I_2 + c_1 I_1 + c_2 O_1$  with  $O_2$  of one routing period becoming the  $O_1$  of the succeeding period.

## FLOOD FORECASTING & CONTROL

Flood control is commonly used to denote all the measures adopted to reduce damages to life and property by floods. Presently many people prefer to use the term flood management instead of flood control as it reflects the activity more realistically. Following measures are adopted for flood mitigation:

### 1. Structural measures:

Storage and detention reservoirs

Levees(flood embankments)

Flood ways (new channels)

Channel Improvement

Water management

## **2. Non-structural measures:**

Flood plain zoning

Flood forecasting and warning

Evacuation and relocation

Flood insurance

## **HYDRAULIC METHOD OF FLOOD ROUTING**

The hydraulic method of flood routing is essentially a solution of the basic St. Venants equations which are simultaneous, quasi-linear, first order partial differential equations of the hyperbolic type and are not amenable to general analytical solutions. Only for highly simplified cases can one obtain the analytical solution of these equations. The various numerical methods for solving St. Venant equations can be classified broadly into two categories (i) Approximate method, (ii) Complete numerical methods.

## **APPROXIMATE METHODS**

These are based on the equation of continuity only or on a drastically curtailed equation of motion. The hydrological method of storage routing and Muskingum channel routing belong to this category. Other methods in this category are diffusion analogy and kinematic wave models.

## **COMPLETE NUMERICAL METHODS**

These are the essence of the hydraulic method of routing and are classified into many categories as mentioned below each further classified into (i) Implicit method and (ii) Explicit method:

1. Direct method

2. Method of characteristics: (i) Characteristic Nodes, (ii) Rectangular Grid

3. Finite element method

In the direct method, the partial derivatives are replaced by finite differences and the resulting algebraic equations are then solved. In the method of characteristics St. Venant equations are converted into a pair of ordinary differential equations and then solved by finite difference techniques. In the finite element method the system is divided into a number of elements and partial differential equations are integrated at the nodal points of the elements.

The numerical schemes are further classified into implicit method and explicit method. In the implicit method the dependent variables occur implicitly and the equations are non-linear. In the explicit method the algebraic equations are linear and the dependent variables are extracted explicitly at the end of each time step. Each of these two methods have a host of finite difference schemes to choose.

## **UNIT-5**

Groundwater: Introduction, forms of subsurface water, aquifers & its properties, Compressibility of aquifers, flow equations for confined and unconfined aquifers, well hydraulics- steady and unsteady flow to a well in confined aquifer, well losses, specific capacity, ground water irrigation, rain water harvesting.

### **GROUNDWATER**

About 30% of the world's fresh water resources exist in the form of groundwater. It is relatively free of pollution and is especially useful for domestic use in villages and small towns. In arid regions groundwater is often the only reliable source of water for irrigation. Aside from its direct use, groundwater is also an important phase of the hydrologic cycle. Most of the flow of perennial streams originates from subsurface water as base flow, while a large part of the flow of ephemeral streams may percolate beneath the surface.

## **FORMS OF SUBSURFACE WATER**

The two major subsurface zones are divided by an irregular surface called the **water table**. The water table is the locus of points (in unconfined material) where hydrostatic pressure equals atmospheric pressure. Above the water table, in the **vadose zone**, soil pores may contain either air or water; hence it is sometimes called **zone of aeration**. In the **phreatic zone**, below the water table, interstices are filled with water; sometimes this is called the **zone of saturation**.

## **ZONE OF AERATION**

In this zone the soil pores are only partially saturated with water. The space between the land surface and the water table marks the extent of this zone. It has three subzones:

**SOIL WATER ZONE:** This lies close to the ground surface in the major root band of the vegetation from which the water is lost to the atmosphere by evapotranspiration.

**CAPILLARY FRINGE:** In this zone the water is held by capillary action. This zone extends from the water table upwards to the limit of capillary rise.

**INTERMEDIATE ZONE:** This lies between the soil water zone and the capillary fringe.

The thickness of the zone of aeration and its constituent subzones depend upon the soil structure and moisture content and vary from region to region. If the water table is close to the ground surface, the capillary fringe and the soil moisture region may overlap, but where the water table is deep, an intermediate region exists where moisture levels remain constant at the field capacity of the soil and rock of the region.

### **SATURATED OR PHREATIC ZONE**

This zone, also known as groundwater zone, is the space in which all the pores are filled with water. The water table forms its upper limit and marks a free surface i.e. a surface having atmospheric pressure. The saturated formations are classified into four categories:

(i) Aquifer, (ii) Aquitard, (iii) Aquiclude, and (iv) Aquifuge.

### **AQUIFER**

A geologic formation of earth material which not only stores water but transmits it from one point to another and yields it in quantities sufficient to permit economic development is called an aquifer. It transmits water relatively easily due to its high permeability. Unconsolidated deposits of sand and gravel form good aquifers.

### **AQUITARD**

It is a formation through which only seepage is possible and thus the yield is insignificant compared to an aquifer. It is partly permeable. A sandy clay unit is an example of aquitard. Through an aquitard appreciable quantities of water may leak into an aquifer below it.

### **AQUICLUDE**

It is a geological formation which is essentially impermeable to the flow of water, though it may contain large amounts of water due to its high porosity. Clay is an example of an aquiclude.

### **AQUIFUGE**

It is a geological formation which is neither porous nor permeable i.e. it has no interconnected openings and can not hold or transmit water. Massive compact rock without any fractures is an aquifuge.

### **AQUIFERS & ITS PROPERTIES**

The availability of groundwater from an aquifer at a place depends upon the rates of withdrawal and replenishment (recharge). Aquifers play the roles of both a transmission conduit and a storage. Aquifers are classified as unconfined aquifers and confined aquifers on the basis of their occurrence and field situation.

### **UNCONFINED AQUIFERS**

An unconfined aquifer (also known as water table aquifer) is one in which a free water surface, i.e. a water table exists. Only the saturated zone of this aquifer is of importance in groundwater studies. Recharge of this aquifer takes place through infiltration of precipitation from the ground

surface. A well driven into an unconfined aquifer will indicate a static water level corresponding to the water table at that station.

## **CONFINED AQUIFER**

A confined aquifer, also known as **artesian** aquifer, is an aquifer which is confined between two impervious beds such as aquiclude or aquifuges. Recharge of this aquifer takes place only in the area where it is exposed at the ground surface. The water in the confined aquifer will be under pressure and hence the piezometric level will be much higher than the top level of the aquifer. At some locations, the piezometric level can attain a level higher than the land surface and a well driven into the aquifer at such a location will flow freely without the aid of any pump. In fact, the term **artesian** is derived from the fact that a large number of such freeflow wells were found in **Artois**, a former province in north France. A confined aquifer is called **leaky aquifer** if either or both of its confining beds are aquitards.

## **PROPERTIES OF AQUIFERS**

The important properties of an aquifer are its capacity to release the water held in its pores and its ability to transmit the flow easily. These properties essentially depend upon the composition of the aquifer.

**POROSITY:** The amount of pore space per unit volume of the aquifer material is called porosity. In an unconsolidated material the size distribution, packing and shape of particles determine the porosity. In quantitative terms porosity greater than 20% is considered as large, between 5 and 20% as medium and less than 5% as small.

**SPECIFIC YIELD:** While porosity gives a measure of the water-storage capability of a formation, not all the water held in the pores is available for extraction by pumping or draining by gravity. The pores hold back some water by molecular attraction and surface tension. The actual volume of water that can be extracted by the force of gravity from a unit volume of aquifer material is known as specific yield,  $S_y$ . The fraction of water held back in the aquifer is known as specific retention,  $S_r$ . Thus porosity,  $n = S_y + S_r$ . The representative values of porosity and specific yield of some common earth materials are given below:

Formation	Porosity, %	Specific Yield, %
Clay	40-55	1-10
Sand	35-40	10-30
Gravel	30-40	15-30
Sand stone	10-20	5-15
Shale	1-10	0.5-5
Lime stone	1-10	0.5-5

It may be seen from above table that although both clay and sand have high porosity the specific yield of clay is very small compared to that of sand.

**DARCEY'S LAW:**  $Q = K_i A = K A \left[ -\frac{\Delta H}{\Delta s} \right]$  where  $(-\Delta H)$  is the drop in the hydraulic grade line in a length of  $\Delta s$  of the porous medium. Darcey's law is a particular case of the general viscous fluid flow. It has been

shown valid for laminar flows only. For practical purposes, the limit of the validity of Darcy's law can be taken as Reynold's number of unity i.e.  $R_e = \frac{v d_a}{\nu} = 1$  where  $R_e$  = Reynold's number,  $d_a$  = representative particle size, usually  $d_a = d_{10}$  where  $d_{10}$  represents a size such that 10% of the aquifer material is of smaller size.  $\nu$  = kinematic viscosity of water. Except for flow in fissures and caverns, to a large extent ground water flow in nature obeys Darcy's law.

It may be noted that the apparent velocity  $V$  used in Darcy's law is not the actual velocity of flow through the pores. Owing to irregular pore geometry the actual velocity of flow varies from point to point and the bulk pore velocity ( $v_a$ ) which represents actual speed of travel of water in the porous media is expressed as  $v_a = \frac{V}{n}$  where  $n$  = porosity. The bulk pore velocity  $v_a$  is the velocity that is obtained by tracking a tracer added to the ground water.

**COEFFICIENT OF PERMEABILITY:** It reflects combined effect of porous medium and fluid properties.  $K = K_o \frac{\gamma}{\mu} = K_o \frac{\rho g}{\nu}$  where  $K_o = C d_m^2$ . The parameter  $K_o$  is called specific or intrinsic permeability which is a function of medium only.

## STRATIFICATION

Sometimes aquifers may be stratified, with different permeabilities in each strata. Two kinds of flow situations are possible in each case.

(i) When the flow is parallel to the stratification, the equivalent permeability  $K_e$  of the entire aquifer of

$$\text{thickness } B = \sum_{i=1}^n B_i \quad K_e = \frac{\sum_{i=1}^n K B_i}{\sum_{i=1}^n B_i}.$$

The transmissivity of the formation is  $T = K_e \sum_{i=1}^n B_i = \sum_{i=1}^n K_i B_i$

(ii) When the flow is normal to the stratification, the equivalent permeability  $K_e$  of the aquifer of length

$$L = \sum_{i=1}^n L_i \text{ is } K_e = \frac{\sum_{i=1}^n L_i}{\sum_{i=1}^n \left( \frac{L_i}{K_i} \right)}$$

The transmissivity of the aquifer is  $T = K_e \cdot B$

## COMPRESSIBILITY OF AQUIFERS

In confined aquifers the total pressure at any point due to overburden is borne by the combined action of the pore pressure and intergranular pressure. The compressibility of the aquifer and also that of the pore pressure causes a readjustment of these pressures whenever there is a change in storage and thus have an important bearing on the storage characteristics of the aquifer.

Consider an elemental volume  $\Delta V = (\Delta x \Delta y) \Delta Z = \Delta A \Delta Z$  of a compressible aquifer. Adopt following assumptions: (i) the elemental volume is constrained in lateral directions and undergoes change of length in the z-direction only i.e.  $\Delta A$  is constant, (ii) the pore pressure is compressible, and (iii) the solid grains of the aquifer are incompressible but the pore structure is compressible.

By defining the reciprocal of the bulk modulus of elasticity of water as compressibility of water  $\beta$ , it is written as  $\beta = -\frac{(d\Delta V_w)}{\Delta V_w} / dp$  where  $\Delta V_w$  = volume of water in the chosen element of the aquifer, and  $p$  = pressure. By conservation of mass  $\rho \cdot \Delta V_w = \text{constant}$ , where  $\rho$  = density of water.

Thus  $\rho d(\Delta V_w) + \Delta V_w d\rho = 0$  and  $\beta = dp / (\rho dp)$  or  $dp = \rho \beta dp$

Similarly by considering the reciprocal of the bulk modulus of elasticity of the pore–space skeleton as the compressibility of the pores,  $\alpha$ , is expressed as  $\alpha = \frac{d\left(\frac{\Delta V}{\Delta}\right) V}{d\delta z}$  in which  $\delta z$ =intergranular pressure.

Since  $\Delta V = \Delta A \cdot \Delta Z$  with  $\Delta A = \text{constant}$ ,  $\alpha = \frac{-d\left(\frac{\Delta Z}{\Delta}\right) \cdot Z}{d\delta z}$

The total overburden pressure  $w = p + \delta z = \text{constant}$ .

Thus  $dp = -d\delta z$ , which when substituted in above equation gives  $d(\Delta Z) = \alpha(\Delta Z)dp$

As the volume of solids  $\Delta V_s$  in the elemental volume is constant,  $\Delta V_s = (1-n)\Delta A = \text{constant}$

$d(\Delta V_s) = (1-n)d(\Delta Z) - \Delta Z \cdot dn = 0$  where  $n$ =porosity of the aquifer.

$dn = \alpha(1-n)dp$

Now, the mass of water in the element of volume  $\Delta V$ , is  $\Delta M = \rho n \Delta A \Delta Z$

Or  $d(\Delta M) = \Delta V \left[ n dp + \rho dn + \rho n \frac{d(\Delta Z)}{\Delta Z} \right]$

$\frac{d(\Delta M)}{\rho \Delta V} = n \frac{d\rho}{\rho} + dn + n \frac{\Delta Z}{\Delta Z} d$

$\frac{d(\Delta M)}{\rho \Delta V} = n\beta dp + \alpha(1-n) dp + n\alpha dp = (n\beta + \alpha)dp = \gamma(n\beta + \alpha)dh = S_s dh$  where  $S_s = \gamma(n\beta + \alpha)$  and  $h$ =piezometric

head  $= z + \frac{\rho}{\gamma}$  and  $\gamma = \rho g$ =weight of unit volume of water.

The term  $S_s$  is called specific storage. It has the dimensions of  $[L^{-1}]$  and represents the volume of water released from a unit volume of aquifer due to a unit decrease in the piezometric head. The numerical value of  $S_s$  is very small being of the order of  $1 \times 10^{-4} \text{ m}^{-1}$ .

By integration of above equation for a confined aquifer of thickness  $B$ , a dimensionless storage coefficient  $S$  can be expressed as  $S = \gamma(n\beta + \alpha)B$ . The storage coefficient  $S$  (also known as Storativity) represents the volume of water released by a column of a confined aquifer of unit cross sectional area under a unit decrease in the piezometric head. The storage coefficient  $S$  and the transmissibility coefficient  $T$  are known as the formation constants of an aquifer and play very important role in the unsteady flow through the porous media.

For an unconfined aquifer, the coefficient of storage is given by  $S = S_y + \gamma(\alpha + n\beta)B_s$  where  $B_s$  = saturated thickness of the aquifer. However, the second term on the right hand side is so small relative to  $S_y$  that for practical purposes  $S$  is considered equal to  $S_y$  i.e. the coefficient of storage is assumed to have the same value as the specific yield for the unconfined aquifers.

## **FLOW EQUATIONS FOR CONFINED AND UNCONFINED AQUIFERS**

### **WELL HYDRAULICS**

**STEADY FLOW INTO A WELL IN CONFINED AQUIFER**

**UNSTEADY FLOW INTO A WELL IN CONFINED AQUIFER**

**WELL LOSSES**

**SPECIFIC CAPACITY**

**GROUND WATER IRRIGATION**

**RAIN WATER HARVESTING**