



MATH 3

302 COMPOUND PROBABILITIES

EXAMPLE 1: TWO EVENTS

You pick two cards from a standard deck of cards (you pick one card, then a second, without putting the first card back). What is the probability that the first card is a king and the second card is an ace?

MORE COMPLEX SITUATIONS: LOTTERY GAMES

Example 2 - Pick 4: One of the simplest lottery games offered by many states is a “Pick Three” or “Pick Four” game. In the Oregon Lottery’s Pick Four game, you choose four numbers, from 0 to 9; you may repeat the same digit more than once. You may “wager” \$0.50 or \$1.00 per ticket, and prizes are awarded as follows:

	\$0.50 ticket	\$1.00 ticket
all 4 digits match, exact order	\$1000	\$2000
1st 3 digits match, exact order	\$75	\$150
last 3 digits match, exact order	\$75	\$150
1st 2 digits match, exact order	\$3	\$6
middle 2 digits match, exact order	\$3	\$6
last 2 digits match, exact order	\$3	\$6

Compute the following probabilities related to the Pick Four game:

- $p(\text{matching all four digits}) =$
- $p(\text{matching last three digits}) =$
- $p(\text{matching no digits}) =$



Example 3 - Powerball: In Powerball, five white balls are drawn from a set of 69 balls, and a special “powerball” is drawn from a separate set of 26 red balls. Prizes are awarded as follows:

# of white matches	powerball match?	prize
5	y	jackpot (\$10 mil +)
5	n	\$1,000,000
4	y	\$50,000
4	n	\$100
3	y	\$100
3	n	\$7
2	y	\$7
1	y	\$4
0	y	\$4



Find the following probabilities based on the Powerball game:

$p(\text{winning the jackpot}) =$

$p(\text{winning } \$1,000,000) =$

$p(\text{matching only the powerball}) =$

$p(\text{not winning}) =$