

## CSE 414 Section 8

### Cardinality Estimation Practice Solutions

1. You're given the following relations and grocery store stats:

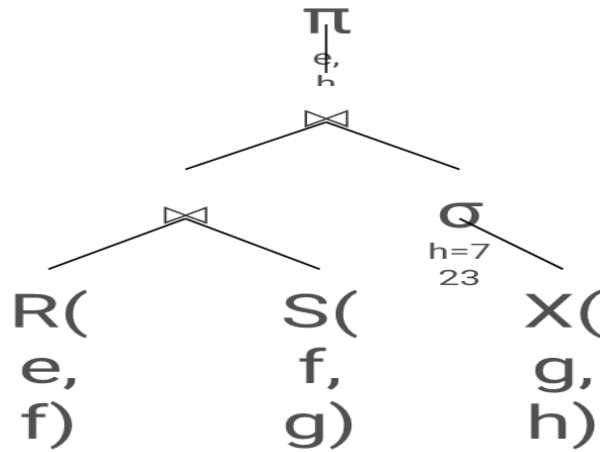
**Safeway**(id, name, category, price),  $T=1000$ ,  $V(\text{name})=900$ ,  $V(\text{category})=10$ ,  $V(\text{price})=200$ ,  
 $\text{Range}(\text{price}) = [1,50)$

**QFC**(id, name, category, price),  $T=2000$ ,  $V(\text{name})=1900$ ,  $V(\text{category})=12$ ,  $V(\text{price})=500$

Estimate the cardinality for the following queries:

- Select \* from Safeway where id = 45 -- **1 tuple**
- Select \* from Safeway where name = 'Milk' -- **10/9 tuples**
- Select \* from Safeway where price < 20 --  **$(20-1)/(50-1) * 1000$  tuples**
- Select \* from Safeway S, Qfc Q where S.id = Q.id -- **1000 tuples**
- Select \* from Safeway S, Qfc Q where S.name = Q.name --  
 **$(1000*2000)/\max\{900,1900\}$  tuples**

2. (Adapted from 414 SP 17 Final)



Consider the relations  $R(e, f)$ ,  $S(f, g)$ , and  $X(g, h)$  in the query plan depicted above.

- Joins are natural joins that perform on matching attributes (e.g.  $R \text{ join } S \text{ on } R.f = S.f$ )
- Every attribute is integer-valued
- Assume uniform distributions on the attributes

Table	#tuples
R	1,000
S	5,000
X	100,000

Attribute	# distinct values	Minimum	Maximum
R.f	100	1	1,000
S.f	1,000	1	2,000
S.g	5,000	1	2,000
X.g	1,000	1	10,000
X.h	1,000	1	500,000

A. Estimate the number of tuples in the selection  $\sigma_{h=723}(X)$ .

We assume a uniform distribution of values for X.h. (Don't be confused—the first X is the selectivity factor, while T(X) is the number of tuples in the “X” table)

$$X = \frac{1}{1000}$$
$$T(X) \cdot X = 100000 \cdot X = 100$$

B. Estimate the number of tuples in the join  $R \bowtie S$ .

This natural join is the same as the equijoin  $R \bowtie (R.f = S.f) S$ :

$$X = \frac{1}{\max(V(R.f), V(S.f))} = \frac{1}{\max(100, 1000)} = \frac{1}{1000}$$
$$T(R) \cdot T(S) \cdot X = 1000 \cdot 5000 \cdot X = 5000$$

C. Estimate the cardinality of the final result.

$$(5000 * 100) / \max(V(S, g), V(X, g)) = (5000 * 100) / \max(5000, 100) = 100$$

**Note:** From Part A, the selection  $\sigma_{h=723}(X)$  results in 100 tuples. We assume the preservation of distinct values as much as possible and, thus, we assume that the 100 tuples from Part A are all distinct, including the values in attribute X.g. Thus, the final equation of  $\max(V(S, g), V(X, g))$  would be (5000, 100). This assumption enables us to simplify our calculations and estimate the cardinality easily.