


Simple Interest

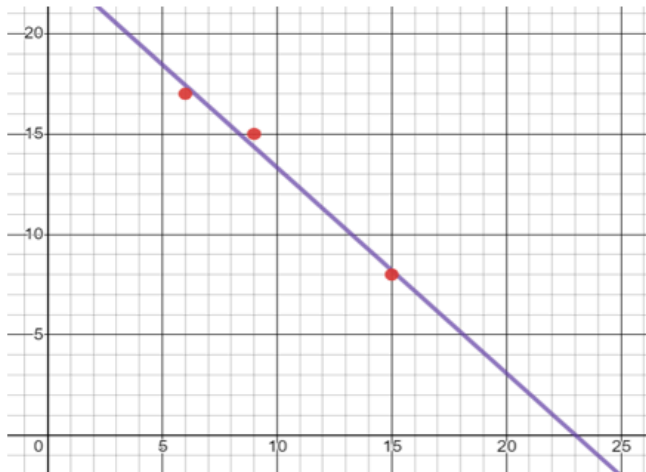
The formula for simple interest is $I = C \times r \times n$, where
 C is the capital [or principal]
 r is the interest rate
 n is the number of interest periods
 I is the interest.

Calculate the simple interest on a loan of:
\$6500 at a rate of 7% pa over 3 years
and 5 months.

Find the amount of money borrowed if after
seven years the simple interest charged is
\$9000 at a rate of 7.5% per annum.

Interpolation vs. Extrapolation

x_1	 y_1
6	17
9	15
15	8



The three data points given in the table have been plotted. Since they are ***nearly*** linear, a linear model is a reasonable model for this data.

The linear model is: $y = -1.02x + 23.6$

domain:

range:

interpolation:

extrapolation:

Problem 1:

In a chemistry experiment, a liquid is heated and the temperature is recorded at different times. Some results are shown in the table.

Time (x minutes)	4	6	8	10
Temperature (y °C)	130.0	209.8	290.3	369.2

- a Plot a graph of this data on your GDC.
- b Choose an appropriate model. Justify your decision.
- c Determine a reasonable domain and range for your model.
- d Find an equation for the model. Plot it on your graph.
- e Comment on your model.
- f Use your model to **estimate**:
 - i the temperature of the water 4.5 minutes after the experiment started
 - ii the temperature of the water 20 minutes after the experiment started.
- g Comment on the predictions made in part f.

Problem 2:

Lucy is researching shipping companies for her business to use. She ships between 200 and 500 kg of products each week. Ted's Transport charges a flat rate of \$15.99 per kg plus a flat fee. She knows that her friend used Ted's Transport and paid about \$2800 to ship 170 kg of belongings.

- 1 Pose a real-world problem:
What question(s) might you ask here?
- 2 Develop a model:
 - a What are the independent and dependent variables in this situation?
 - b Explain why a linear model is appropriate for this situation.
 - c Find an equation for your linear model in gradient–intercept form.
- 3 Test the model:
The following week, Lucy makes her first shipment of 310 kg and pays \$5031.90. Is this consistent with your model? If not, revise the model, giving reasons for how you choose to revise it.
- 4 Apply your model:
The following week, Lucy budgets \$4500 for shipping. What is the maximum weight she can ship, to the nearest kilogram? (When applying a model, we **predict** the value of one variable given a known value for the other. It also allows us to make **decisions**, such as setting budgets.)

5 Reflect on your model:

- a What is $C(0)$, and what is its meaning in the context of the problem?
- b What is a reasonable practical domain and associated range if Lucy uses the model to predict weekly shipping costs?

6 **Conceptual** Why is modelling useful? What does a model allow us to do?