Using Corresponding Parts of Congruent Triangles

SOL G.6 (2016)

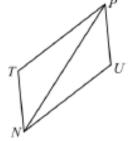
Corresponding parts of congruent triangles are congruent

Corresponding parts of $\cong \Delta's$ are \cong .

Example 1:

Given: $\overline{PT} \parallel \overline{UN}; \overline{TN} \mid |\overline{PU}|$

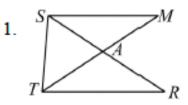
Prove: $\overline{PT} \cong \overline{UN}$



Statements	Reasons
1. <i>PT</i> ∥ <i>ŪN</i> ;	1. Given
TN PU	
 ∠TPN ≅ ∠UNP; 	2. Alternate Interior Angles
$\angle TNP \cong \angle UPN$	Theorem
 7N ≅ 7N 	3. Reflexive
 △TNP ≅△UPN 	4. ASA
 <u>PT</u> ≅ <u>UN</u> 	Corresponding parts of
	$\cong \Delta'$ s are \cong .

Practice

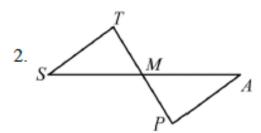
Write a two-column proof.



Given: A is the midpoint of

 \overline{SR} and \overline{TM}

Prove: $\overline{SM} \cong \overline{TR}$



Given: \overline{TP} bisects \overline{SA} and

ST PA

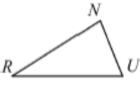
Prove: M is the midpoint of

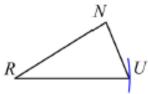
 \overline{TP}

Congruent parts can also be used to construct congruent triangles.

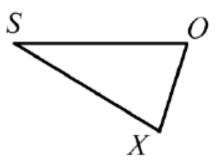
 Construct ΔRED ≅ ΔSOX

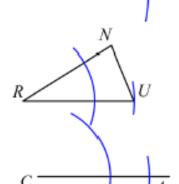
Example 2: Construct ΔCAT such that $\Delta CAT \cong \Delta RUN$.



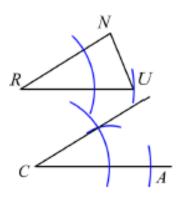


 Use the compass to measure RU. Use this same setting to mark the segment that will become CA. This creates a pair of congruent sides.

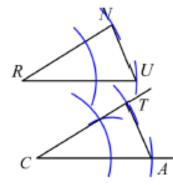




 Construct ∠C congruent to ∠R by drawing an arc through the angle from point R and drawing the same arc from C.



 On ∠R, use the compass to measure the distance across the arc. Mark the same distance on ∠C and use that point to complete the angle. This creates a pair of congruent angles.



 Use the compass to measure RN. Use this same setting to mark the segment that will become CT. This creates a pair of congruent sides.

$$\Delta CAT \cong \Delta RUN$$

by SAS