

De Moivre's Theorem

<https://www.aplustopper.com/de-moivres-theorem/>

<https://goo.gl/8fzJJr>

<https://tinyurl.com/ycqp34vz>

<http://tiny.cc/xk9qqy>

<http://bit.ly/2DT85DD>

<http://cutt.us/FJNM1>

<https://goo.gl/11HRn4>

<https://goo.gl/uHZvjF>

<https://sites.google.com/site/aplustoppertnotes/de-moivre-s-theorem>

<https://goo.gl/BFFGNh>

<http://cbsetuts.blogspot.in/2018/02/de-moivres-theorem.html>

<https://goo.gl/M9NKcK>

(1) If n is any rational number, then $(\cos \theta + i \sin \theta)^n = \cos n\theta + i \sin n\theta$.

De Moivre's Theorem

$$(\cos \theta + i \sin \theta)^n = \cos n\theta + i \sin n\theta$$

for all integers n

this extends to;

$$[r(\cos \theta + i \sin \theta)]^n = r^n (\cos n\theta + i \sin n\theta)$$

e.g. $(1-i)^5$

$$|z| = \sqrt{1^2 + (-1)^2}$$

$$= \sqrt{2}$$

$$\arg z = \tan^{-1}\left(\frac{-1}{1}\right)$$

$$= -\frac{\pi}{4}$$

(2) If $z = (\cos \theta_1 + i \sin \theta_1) (\cos \theta_2 + i \sin \theta_2) (\cos \theta_3 + i \sin \theta_3) \dots (\cos \theta_n + i \sin \theta_n)$

then $z = \cos (\theta_1 + \theta_2 + \theta_3 + \dots + \theta_n) + i \sin (\theta_1 + \theta_2 + \theta_3 + \dots + \theta_n)$

where $\theta_1 + \theta_2 + \theta_3 + \dots + \theta_n \in R$.

Read more about [De Moivre's Theorem](#)