

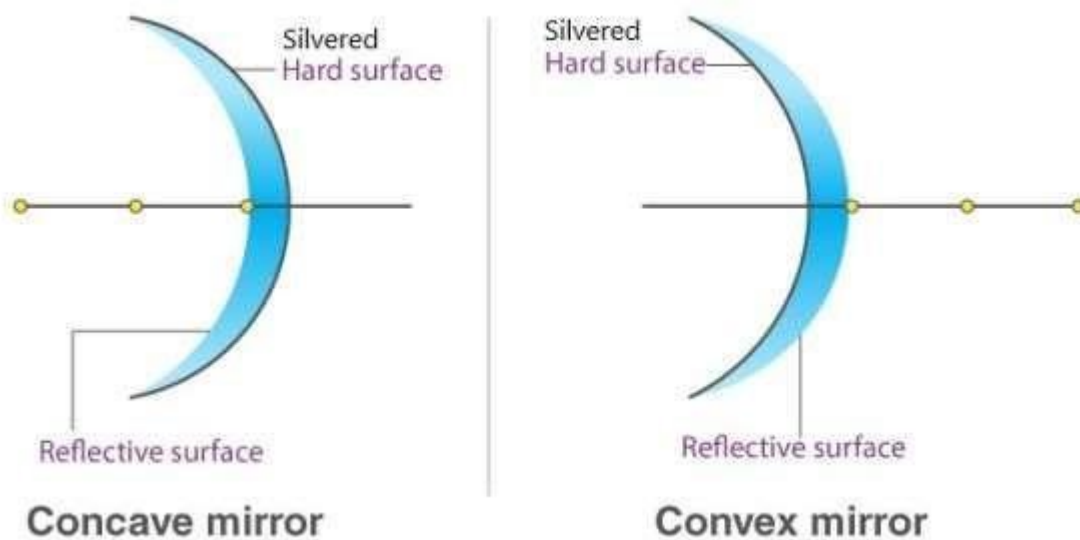
STRAND 3: FORCE AND ENERGY

Concave and Convex Mirrors

-They are also known as spherical mirrors and are formed when a spherical glass is silvered.

-If the inside is silvered a **convex** or **diverging** is formed while

a **concave** or **converging** mirror is formed when the outside is silvered.



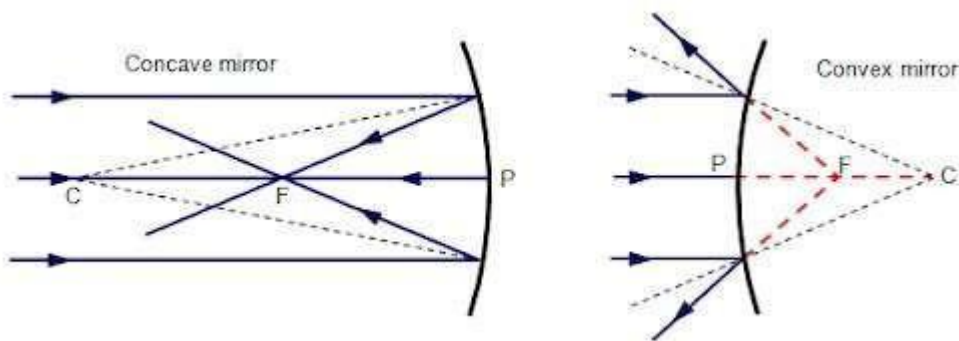
Parts of a Spherical Mirror

1. **Centre of curvature (C)** – this is the centre of the sphere of which the mirror is part of. The centre itself is called the pole (**P**).
2. **Principal axis** – this is the line joining the centre of curvature (**C**) to the pole (**P**).

3. ***Principal focus (F)*** – is a point on the principal axis through which a ray is reflected when it hits a concave mirror. In a convex mirror the ray is

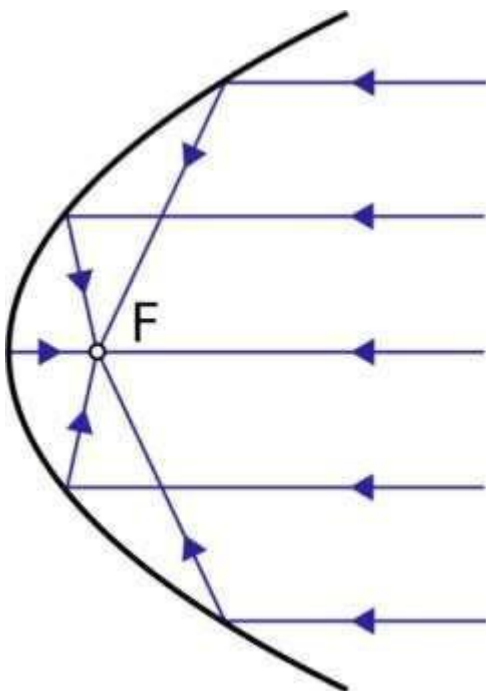
reflected and appears to originate from the point. **F** is virtual for a convex mirror while it is real for a concave mirror.

4. **Radius of curvature (r)** - this is the distance from the pole to the centre of curvature. The distance from the pole to the principal focus is called the focal length (**f**).



Parabolic Mirrors

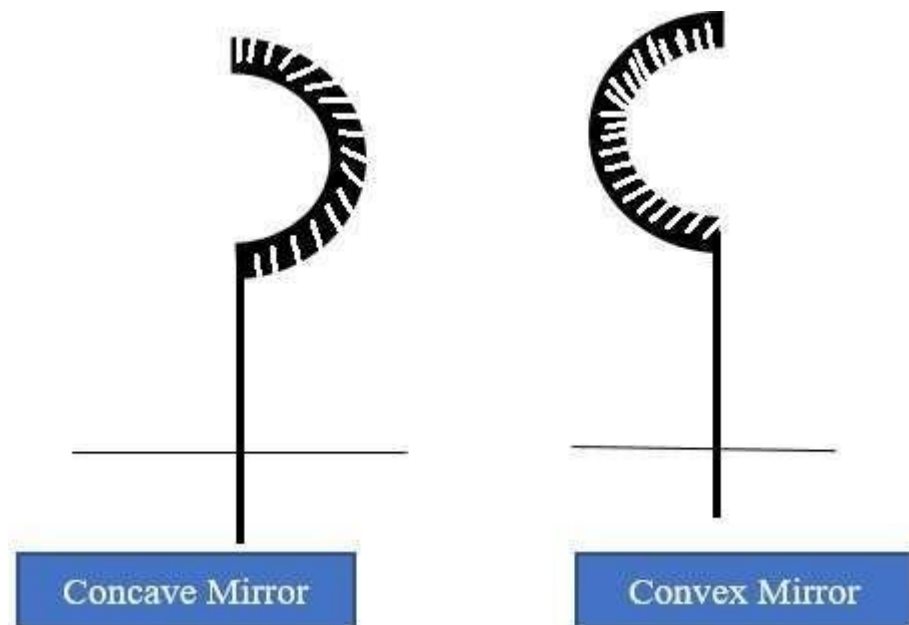
- They produce a wide parallel beam or converge a large beam of light to a point.
- They are widely used in making **car headlights** or in **spotlights**.



Images Formed by Spherical Mirrors

Location of images using ray diagrams

represent the mirrors.



The image is located by drawing any two of the following rays:

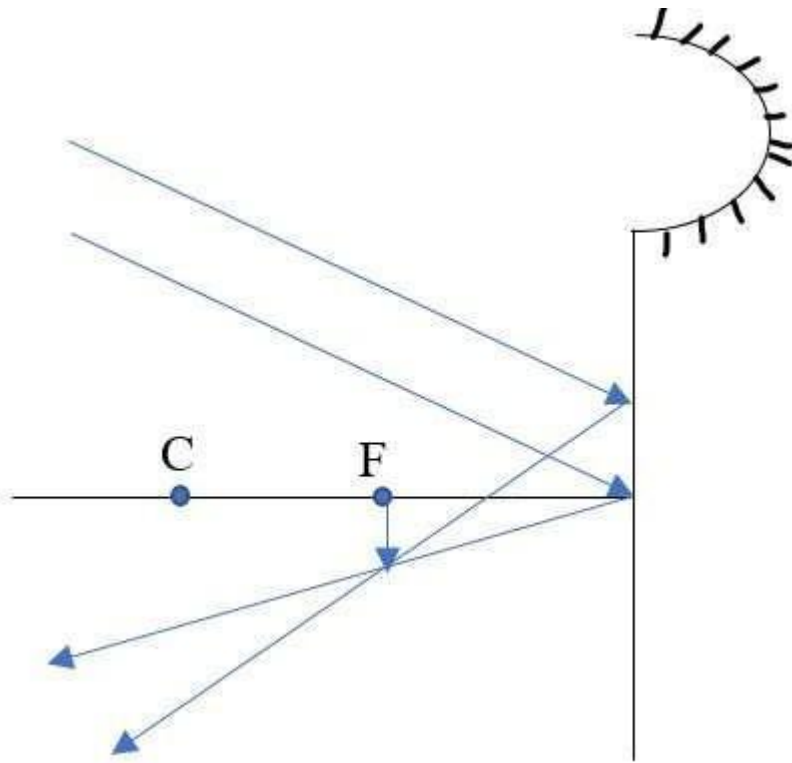
A ray parallel to the principal axis which is reflected through the principal focus.

1. A ray through the centre of curvature which is reflected along its own path since it hits the mirror normally.
2. A ray through the principal focus which is reflected parallel to the principal axis.

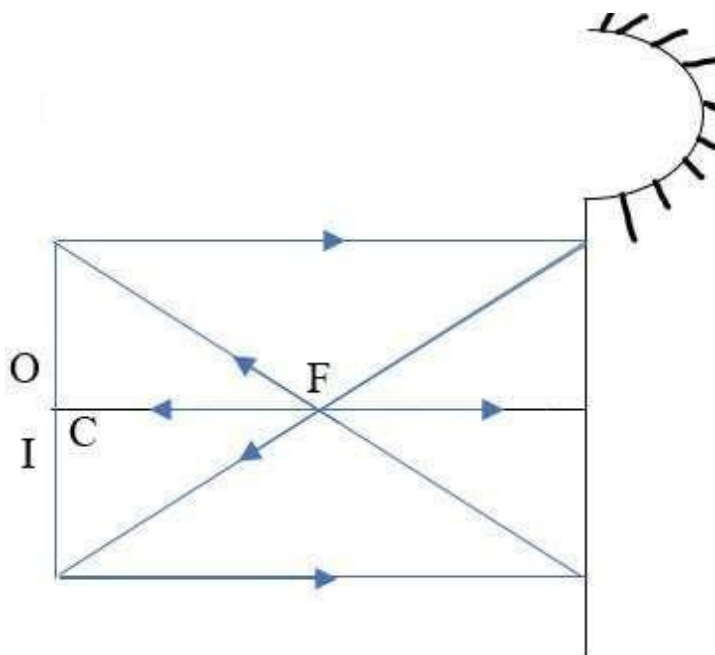
- Virtual images are formed when rays diverge and as such the rays are extended backwards using dotted line till they meet.
- A real image is formed by intersection of real rays.

a) Concave mirror

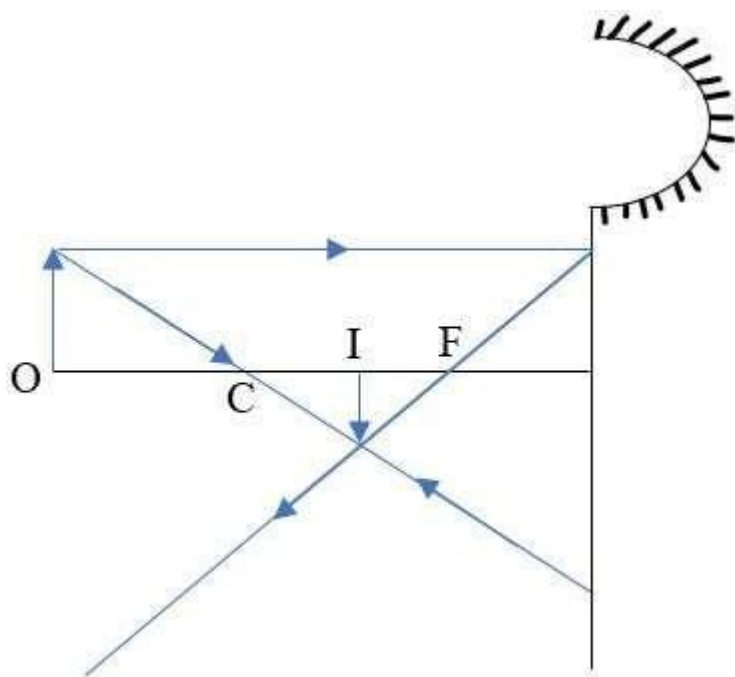
a) Object at infinity: image is formed at F. It is real, inverted and diminished.



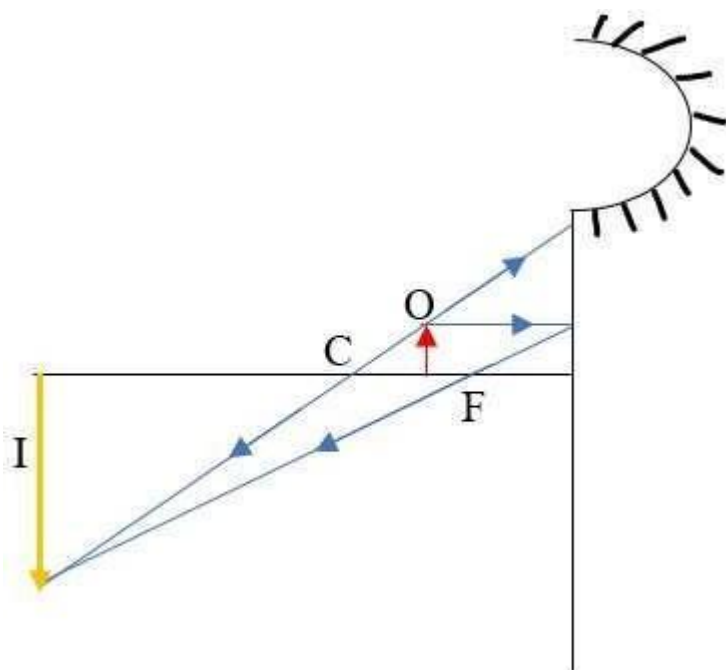
b) Object at C: image formed at C. It is real, inverted and the same size as the object.



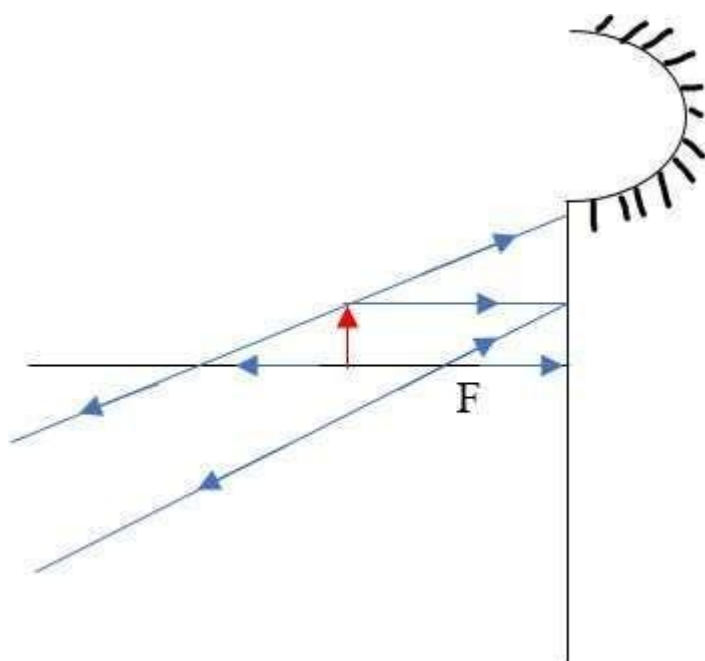
- c) Object behind C: image is formed between C and F. It is real, inverted and diminished.



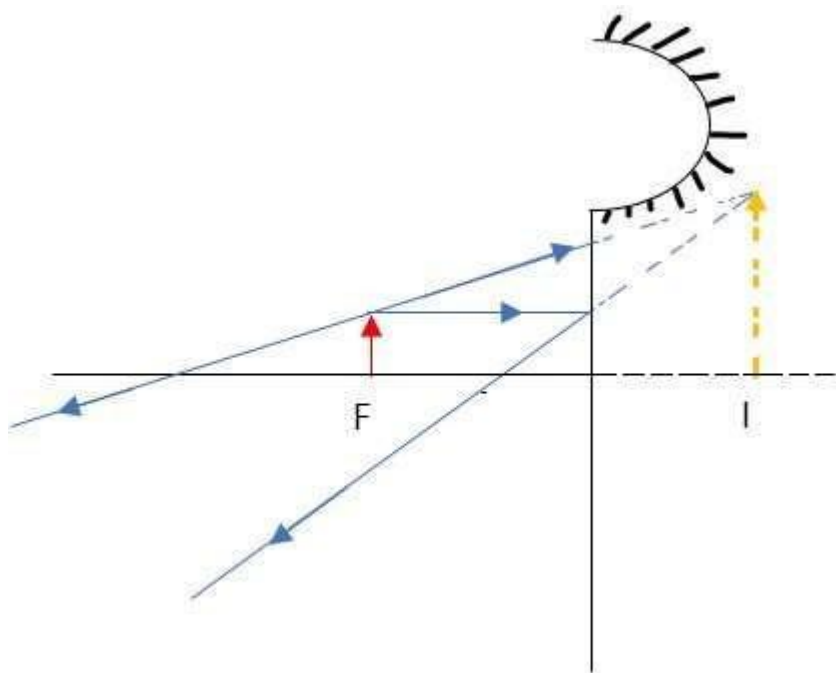
- d) Object between F and C: Image is formed behind C. It is real, inverted and magnified.



e) Object at F: Image formed is at infinity.

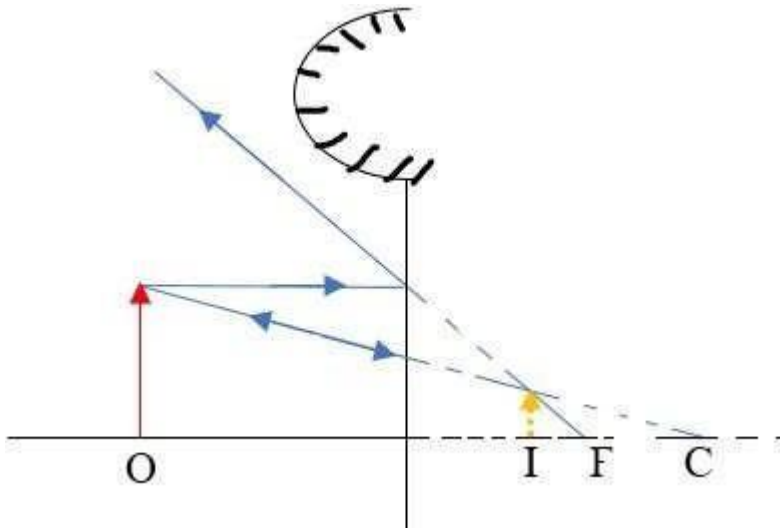


f) Object between F and P: Image is formed behind the mirror. It is virtual, erect and magnified.



b) Convex mirror

erect and **always** diminished.



Applications of curved reflectors

- a) They are used in satellite dishes.
- b) They are used in making shaving mirrors.
- c) They are used in telescopes.
- d) They are used in driving mirrors.

Magnification

- Magnification is the ratio of the image size to the object size.

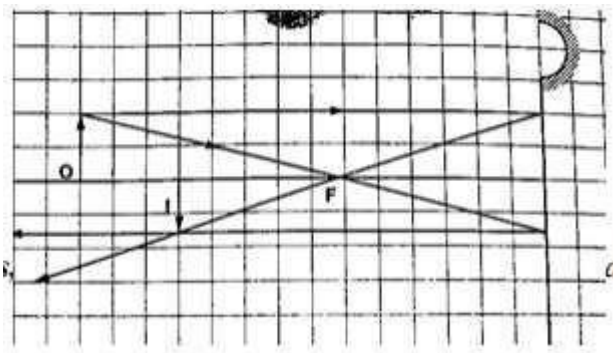
- **Magnification (M) = height of the image / height of the object.**

- When the ratio is greater than one we say the image is magnified and when less than one we say it is diminished.

- **Also magnification = image distance from the mirror / object distance from the mirror.**

Practice Example 1

1. Determine the size, position and nature of the image of an object 5.0 cm tall, placed on the principal axis of a concave mirror of focal length 15 cm, at a distance 35 cm from the mirror.



Solution

Let 1 cm represent 5 cm. Then the focal length is 3 cm.

Object distance = 7 cm, object height = 1 cm.

From the scale drawing,

Image position = 5.4 cm $\times$ 5 = 27 cm in front of the mirror.

Image size = 0.75 cm $\times$ 5 = 3.75 cm.

Image is real and inverted.

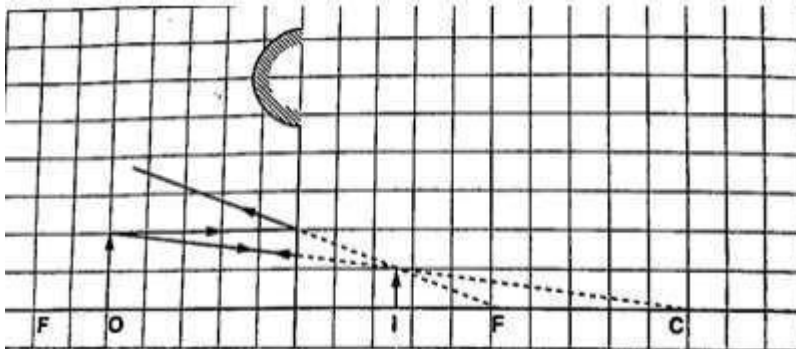
Practice Example 2

GRADE 9 INTEGRATED SCIENCE

2. A vertical object 5 cm high is placed 10 cm in front of a convex mirror of focal length 15 cm. find the position, size and nature of image formed.

Determine the

magnification of the image.



Solution

Let 1 cm represent 5 cm, then the focal length = 3 cm, object size = 1 cm

Object distance = 2 cm.

From the scale drawing,

Image position = $1.2 \text{ cm} \times 5 = 6.0 \text{ cm}$ behind the mirror.

Image size = $0.6 \text{ cm} \times 5 = 3.0 \text{ cm}$.

The image is virtual and erect.

Magnification = image distance / object distance. Hence $6 / 10 = 0.6$ (diminished).

Waves

Introduction

- A wave is simply a disturbance that moves through a medium. Other waves do not require a medium to travel i.e. they can travel in a vacuum, are known

as **electromagnetic waves** e.g. radio, X-rays, gamma rays UV rays etc.

- Other waves require a material medium to be transferred and are called **mechanical waves** i.e. water, sound waves etc.

Transverse and Longitudinal Pulses and Waves

1. Transverse waves

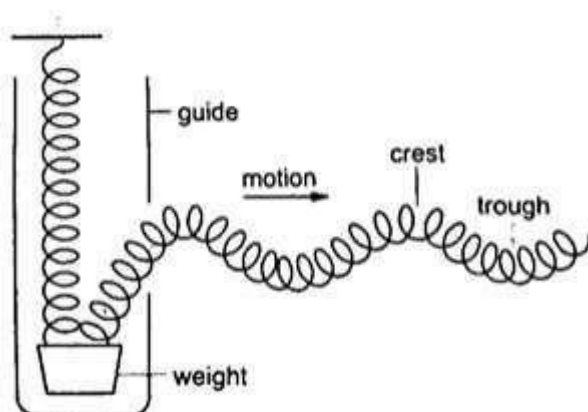
- They consist of a crest and a trough.

- In this case the displacement of the medium caused by these pulses are perpendicular to the direction in which the wave (disturbance) travels.

- A pulse is a single non-repeated disturbance.

- If the pulses are repeated periodically (regularly) they produce a series of waves called periodic transverse wave train.

- They can be produced as shown below.



2. Longitudinal waves

- These are waves whereby the particles of the medium vibrate parallel to the direction of movement of the disturbance.

- When several turns of a spring are pulled together (**compression**) and then released they tend to spread out to their original position.
- When pulled apart (**rarefaction**) they also turn to their original position.
- In this case the displacement of the spring is parallel to the motion of the wave and this is known as longitudinal.

Characteristics of waves

1. All waves have **speed** which depends on the nature of disturbance.
2. All waves have **wavelength** (distance between two successive points in a wave). Represented by the symbol λ and is measured in **metres**.
3. All waves have **frequency - 'f'** which is the number of waves passing a point in one second. It is measured in cycles per second or **hertz (Hz)**.

The period of a wave is the time required for a complete wave to pass a given point.

Therefore $T = 1 / f$ or $f = 1 / T$ (period is measured in **seconds**).

The speed '**v**' is given as: $v = \lambda / T$, since $f = 1 / T$ then $v = (1 / T) \times \lambda = f \lambda$ or $v = f \lambda$. This is the wave equation.

4. All waves have **amplitude** which is the maximum displacement of the particles of the medium as the wave passes.

Practice Example 1

1. A rope is displaced at a frequency of 3 Hz. If the distance between two successive crests of the wave train is 0.8 m, calculate the speed of the waves

along the rope.

Solution

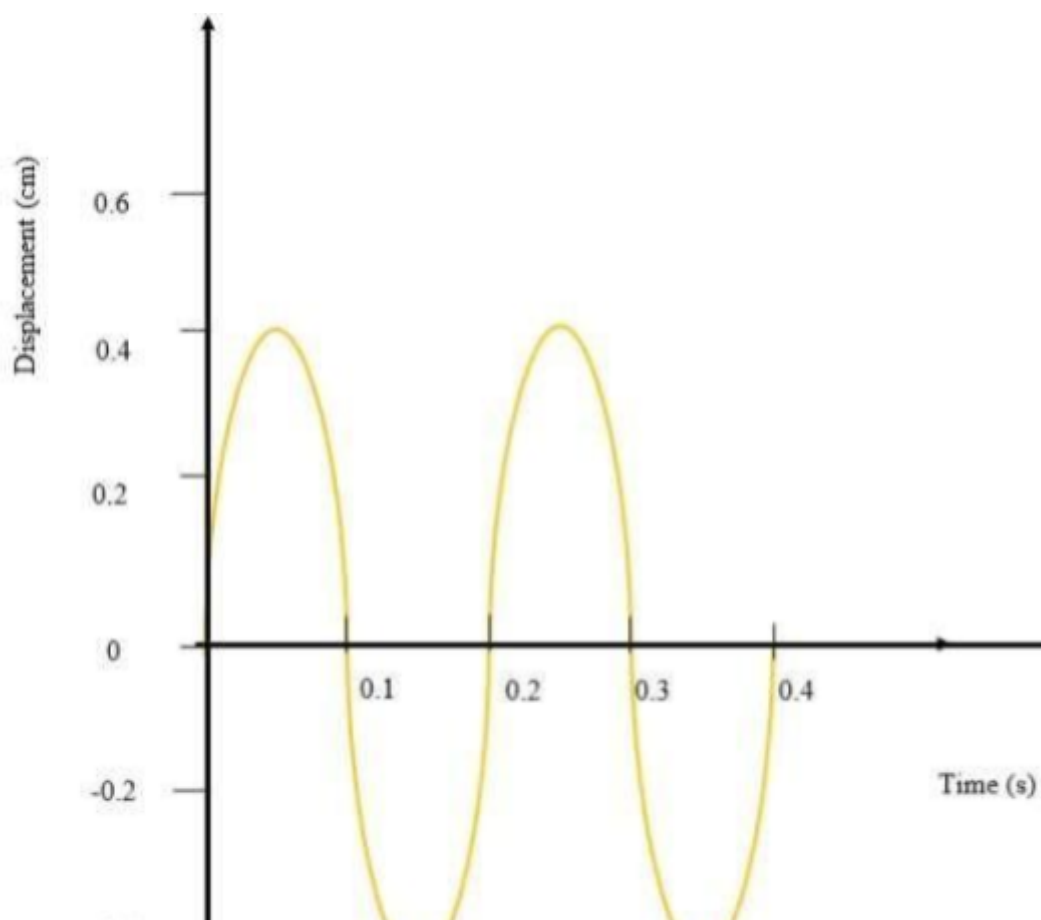
$$v = f \lambda = 3 \times 0.8 = 2.4 \text{ m}$$

$$\text{Hz} = 2.4 \text{ m/s.}$$

Practice Example 2

2. The figure below illustrates part of the displacement-time graph of a wave travelling across water at a particular place with a velocity of 2 ms^{-1} . Calculate the wave's:

- a) Amplitude
- b) Frequency (f)
- c) Wavelength (λ)



Solution

a) From the graph, maximum displacement

(a) = 0.4
cm.

Page | 62

b) From the graph, period T = time for one cycle = 0.20 seconds.

So $f = 1 / T = 1 / 0.20 = 5 \text{ Hz}$.

c) Velocity = $f \lambda$ hence $\lambda = 2 / 5 = 0.4 \text{ m}$.