

Memorial Middle School Report Card Overview

8th Grade Mathematics Rubric

What is Standards-Based Instruction and Assessment?

- Focuses on children's progress with specific skills
- Skills align to the New Jersey Student Learning Standards
- Instruction is connected to these standards
- Students are assessed in terms of meeting these standards

What does a 1, 2, 3, and 4 mean?

Not Meeting Expectations (NM- 1)	Approaching Grade Level Standards (AS-2)	Meets Grade Level Standards (MS-3)	Exceeds Grade Level Standards (ES-4)
The student does not yet demonstrate progress toward initial foundational skills of the topic	The student demonstrates some proficiency in foundational skills of the topic	The student demonstrates proficiency in <u>all grade level</u> skills of the topic	The student demonstrates understanding and performance <u>beyond</u> proficiency and has exceeded the standard.

Marking Period 1

Geometry

Experiment with transformations using physical models.

Standard: 8.G.A.1 and 8.G.A.2

Marking Period	Not Meeting Expectations (NM- 1)	Approaching Grade Level Standards (AS-2)	Meets Grade Level Standards (MS-3)	Exceeds Grade Level Standards (ES-4)
1	<p>The student is unable to:</p> <ul style="list-style-type: none"> Verify that when a reflection, rotation, and/or translation is performed: <ul style="list-style-type: none"> the same lines have the same length. the same angles have the same measurement. the same line segments have the same length. parallel lines remain the same. Identify that two figures are congruent if one can be obtained from the other by a sequence of rigid transformations. Describe a sequence of transformations in written form of a proof. 	<p>The student sometimes can:</p> <ul style="list-style-type: none"> Verify that when a reflection, rotation, and/or translation is performed: <ul style="list-style-type: none"> the same lines have the same length. the same angles have the same measurement. the same line segments have the same length. parallel lines remain the same. Identify that two figures are congruent if one can be obtained from the other by a sequence of rigid transformations. Describe a sequence of transformations in written form of a proof. 	<p>The student consistently can:</p> <ul style="list-style-type: none"> Verify that when a reflection, rotation, and/or translation is performed: <ul style="list-style-type: none"> the same lines have the same length. the same angles have the same measurement. the same line segments have the same length. parallel lines remain the same. Identify that two figures are congruent if one can be obtained from the other by a sequence of rigid transformations. Describe a sequence of transformations in written form of a proof. 	<p>Student meets all the criteria for “meets standards,” independently challenges him/herself, and makes insightful connections to other ideas and concepts while he/she:</p> <ul style="list-style-type: none"> Verifies when ANY transformation is formed, all the measurements remain the same. Dilates, translates, and reflects two-dimensional figures on a coordinate plane. Identifies that two figures are congruent if one can be obtained from the other by a sequence of rigid transformations. Identifies that two figures are similar if one can be obtained from the other by a sequence of dilations and transformations. Assesses the reasonableness of their answer using mental strategies or conceptual understanding.
2/3/4	<u>Will not be assessed during this time</u>			

Describe the effects of a sequence of transformations.

Standards: 8.G.A.3 and 8.G.A.4

Marking Period	Not Meeting Expectations (NM- 1)	Approaching Grade Level Standards (AS-2)	Meets Grade Level Standards (MS-3)	Exceeds Grade Level Standards (ES-4)
1	<p>The student is unable to:</p> <ul style="list-style-type: none"> Dilate, translate, and reflect two-dimensional figures on a coordinate plane. Describe the effects of dilations, translations, rotations, and reflections using coordinates. Identify that two figures are congruent if one can be obtained from the other by a sequence of rigid transformations. Identify that two figures are similar if one can be obtained from the other by a sequence of dilations and transformations. Describe a sequence of transformations by mapping a two-dimensional figure. 	<p>The student sometimes can:</p> <ul style="list-style-type: none"> Dilate, translate, and reflect two-dimensional figures on a coordinate plane. Describe the effects of dilations, translations, rotations, and reflections using coordinates. Identify that two figures are congruent if one can be obtained from the other by a sequence of rigid transformations. Identify that two figures are similar if one can be obtained from the other by a sequence of dilations and transformations. Describe a sequence of transformations by mapping a two-dimensional figure. 	<p>The student consistently can:</p> <ul style="list-style-type: none"> Dilate, translate, and reflect two-dimensional figures on a coordinate plane. Describe the effects of dilations, translations, rotations, and reflections using coordinates. Identify that two figures are congruent if one can be obtained from the other by a sequence of rigid transformations. Identify that two figures are similar if one can be obtained from the other by a sequence of dilations and transformations. Describe a sequence of transformations by mapping a two-dimensional figure. 	<p>Student meets all the criteria for “meets standards,” independently challenges him/herself, and makes insightful connections to other ideas and concepts while he/she:</p> <ul style="list-style-type: none"> Dilates, translates, and reflects two-dimensional figures on a coordinate plane. Identifies that two figures are congruent and/or similar if one can be obtained from the other by a sequence of rigid transformations. Describes a sequence of transformations by mapping a two-dimensional figure. Assesses the reasonableness of their answer using mental strategies or conceptual understanding.
2/3/4	<u>Will not be assessed during this time</u>			

Marking Period 2

Expressions and Equations

Analyze and solve linear equations and pairs of simultaneous linear equations.

Standards: 8.EE.C.7 and 8.EE.C.8

Marking Period	Not Meeting Expectations (NM- 1)	Approaching Grade Level Standards (AS-2)	Meets Grade Level Standards (MS-3)	Exceeds Grade Level Standards (ES-4)
2	<p>The student is unable to:</p> <ul style="list-style-type: none"> • Demonstrate points of intersection as one, infinitely many, or no solution(s). • Show which outcomes is the case by writing in the form $x = a$, $a = a$, or $a = b$. • Solve linear equations in one variable with rational number coefficients, including using distributive property and combining like terms. • Solve systems of two linear equations in two variables algebraically. • Estimate solutions of two linear equations in two variables by graphing. • Determine the number of solutions a system of linear equations will have. • Solve a system of linear equations modeling real-world and mathematical problems. 	<p>The student sometimes can:</p> <ul style="list-style-type: none"> • Demonstrate points of intersection as one, infinitely many, or no solution(s). • Show which outcomes is the case by writing in the form $x = a$, $a = a$, or $a = b$. • Solve linear equations in one variable with rational number coefficients, including using distributive property and combining like terms. • Solve systems of two linear equations in two variables algebraically. • Estimate solutions of two linear equations in two variables by graphing. • Determine the number of solutions a system of linear equations will have. • Solve a system of linear equations modeling real-world and mathematical problems. 	<p>The student consistently can:</p> <ul style="list-style-type: none"> • Demonstrate points of intersection as one, infinitely many, or no solution(s). • Show which outcomes is the case by writing in the form $x = a$, $a = a$, or $a = b$. • Solve linear equations in one variable with rational number coefficients, including using distributive property and combining like terms. • Solve systems of two linear equations in two variables algebraically. • Estimate solutions of two linear equations in two variables by graphing. • Determine the number of solutions a system of linear equations will have. • Solve a system of linear equations modeling real-world and mathematical problems. 	<p>Student meets all the criteria for “meets standards,” independently challenges him/herself, and makes insightful connections to other ideas and concepts while he/she:</p> <ul style="list-style-type: none"> • Demonstrates analysis of infinitely many, one or no solution(s). • Shows which outcomes is the case by writing in the form $x = a$, $a = a$, or $a = b$. • Solve systems of two linear equations in two variables algebraically or through estimating by graphing. • Determines the number of solutions with ease. • Solve a system of linear equations modeling real-world and mathematical problems. • Assesses the reasonableness of their answer using mental strategies or conceptual understanding.

Makes connections between proportional relationships, lines, and linear equations.

Standards: 8.EE.B.5 and 8.EE.B.6

Marking Period	Not Meeting Expectations (NM-1)	Approaching Grade Level Standards (AS-2)	Meets Grade Level Standards (MS-3)	Exceeds Grade Level Standards (ES-4)
1/3/4	<i>Will not be assessed during this time.</i>			
2	<p>The student is unable to:</p> <ul style="list-style-type: none"> Recognize proportional relationship's unit rate is the slope of the graph and represented in various models (i.e. ordered pairs, table, equation, phrases, etc.). Explain why the slope is the same between any two distinct points on a non-vertical line by drawing similar right triangles and comparing the ratios of their sides. Derive the equation $y = mx$ for a line through the origin. Derive the equation $y = mx + b$ for a line intersecting the y-axis at b. 	<p>The student sometimes can:</p> <ul style="list-style-type: none"> Recognize proportional relationship's unit rate is the slope of the graph and represented in various models (i.e. ordered pairs, table, equation, phrases, etc.). Explain why the slope is the same between any two distinct points on a non-vertical line by drawing similar right triangles and comparing the ratios of their sides. Derive the equation $y = mx$ for a line through the origin. Derive the equation $y = mx + b$ for a line intersecting the y-axis at b. 	<p>The student consistently can:</p> <ul style="list-style-type: none"> Recognize proportional relationship's unit rate is the slope of the graph and represented in various models (i.e. ordered pairs, table, equation, phrases, etc.). Explain why the slope is the same between any two distinct points on a non-vertical line by drawing similar right triangles and comparing the ratios of their sides. Derive the equation $y = mx$ for a line through the origin. Derive the equation $y = mx + b$ for a line intersecting the y-axis at b. 	<p>Student meets all the criteria for "meets standards," independently challenges him/herself, and makes insightful connections to other ideas and concepts while he/she:</p> <ul style="list-style-type: none"> Recognizes the proportional relationship's unit rate is the slope of the graph and represented in various models (i.e. ordered pairs, table, equation, phrases, etc.). Explains why the slope is the same between any two distinct points on a non-vertical line by drawing similar right triangles and comparing the ratios of their sides. Derives the equation $y = mx$ for a line through the origin and intersecting the y-axis at b. Assesses the reasonableness of their answer using mental strategies or conceptual understanding.

Geometry

Understands congruence and similarity using angle relationships.

Standard: 8.G.A.5

Marking Period	Not Meeting Expectations (NM- 1)	Approaching Grade Level Standards (AS-2)	Meets Grade Level Standards (MS-3)	Exceeds Grade Level Standards (ES-4)
2	<p>The student is unable to:</p> <ul style="list-style-type: none"> Identify that when parallel lines are cut by a transversal, corresponding, alternate interior, and alternate exterior angles are congruent. Use facts about interior angles and exterior angles to construct an informal argument. Show understanding that the sum of three angles in a triangle equals 180 degrees. 	<p>The student sometimes can:</p> <ul style="list-style-type: none"> Identify that when parallel lines are cut by a transversal, corresponding, alternate interior, and alternate exterior angles are congruent. Use facts about interior angles and exterior angles to construct an informal argument. Show understanding that the sum of three angles in a triangle equals 180 degrees. 	<p>The student consistently can:</p> <ul style="list-style-type: none"> Identify that when parallel lines are cut by a transversal, corresponding, alternate interior, and alternate exterior angles are congruent. Use facts about interior angles and exterior angles to construct an informal argument. Show understanding that the sum of three angles in a triangle equals 180 degrees. 	<p>Student meets all the criteria for “meets standards,” independently challenges him/herself, and makes insightful connections to other ideas and concepts while he/she:</p> <ul style="list-style-type: none"> Identifies that when parallel lines are cut by a transversal, corresponding, alternate interior, and alternate exterior angles are congruent. Uses facts about interior angles and exterior angles to construct an informal argument. Understands the sum of three angles in any triangle equals 180 degrees. Assesses the reasonableness of their answer using mental strategies or conceptual understanding.
1/3/4	<i>Will not be assessed during this time</i>			

Functions

Define, evaluate, and compare functions.

Standards: 8.F.A.1 and 8.F.A.2

Marking Period	Not Meeting Expectations (NM- 1)	Approaching Grade Level Standards (AS-2)	Meets Grade Level Standards (MS-3)	Exceeds Grade Level Standards (ES-4)
1/3/4	<i><u>Will not be assessed during this time.</u></i>			
2	<p>The student is unable to:</p> <ul style="list-style-type: none"> Express a function as a rule that assigns to each input exactly one output. Graph of a function is the set of ordered pairs consisting of an input and the corresponding output. Compare properties such as <ul style="list-style-type: none"> rate of change Intercepts domain and range of two functions each represented in a different way. 	<p>The student sometimes can:</p> <ul style="list-style-type: none"> Express a function as a rule that assigns to each input exactly one output. Graph of a function is the set of ordered pairs consisting of an input and the corresponding output. Compare properties such as <ul style="list-style-type: none"> rate of change Intercepts domain and range of two functions each represented in a different way. 	<p>The student consistently can:</p> <ul style="list-style-type: none"> Express a function as a rule that assigns to each input exactly one output. Graph of a function is the set of ordered pairs consisting of an input and the corresponding output. Compare properties such as <ul style="list-style-type: none"> rate of change Intercepts domain and range of two functions each represented in a different way. 	<p>Student meets all the criteria for “meets standards,” independently challenges him/herself, and makes insightful connections to other ideas and concepts while he/she:</p> <ul style="list-style-type: none"> Identifies that the graph of a function is the set of ordered pairs consisting of an input and the corresponding output. Compares properties such as rate of change, intercepts, domain and range of two functions each represented in a different way. Gives any example of nonlinear functions. Assesses the reasonableness of their answer using mental strategies or conceptual understanding.

Interpret the equation $y = mx + b$ (slope of a line).

Standard: 8.F.A.3

Marking Period	Not Meeting Expectations (NM-1)	Approaching Grade Level Standards (AS-2)	Meets Grade Level Standards (MS-3)	Exceeds Grade Level Standards (ES-4)
1/3/4	<i>Will not be assessed during this time.</i>			
2	<p>The student is unable to:</p> <ul style="list-style-type: none"> Graph linear equations in the form of $y = mx + b$. Give examples of nonlinear functions. Interpret a set of points (x, y) that form a straight line on a graph. Determine if a given equation is a linear equation in the form of $y = mx + b$. Solve any real world problem provided. Create linear equations in the form of $y = mx + b$ from a real world problem. Identify the following terms as: <ul style="list-style-type: none"> $m = \text{slope.}$ $b = \text{y-intercept.}$ $y = \text{y coordinate.}$ $x = \text{x coordinate.}$ 	<p>The student sometimes can:</p> <ul style="list-style-type: none"> Graph linear equations in the form of $y = mx + b$. Give examples of nonlinear functions. Interpret a set of points (x, y) that form a straight line on a graph. Determine if a given equation is a linear equation in the form of $y = mx + b$. Solve any real world problem provided. Create linear equations in the form of $y = mx + b$ from a real world problem. Identify the following terms as: <ul style="list-style-type: none"> $m = \text{slope.}$ $b = \text{y-intercept.}$ $y = \text{y coordinate.}$ $x = \text{x coordinate.}$ 	<p>The student consistently can:</p> <ul style="list-style-type: none"> Graph linear equations in the form of $y = mx + b$. Give examples of nonlinear functions. Interpret a set of points (x, y) that form a straight line on a graph. Determine if a given equation is a linear equation in the form of $y = mx + b$. Solve any real world problem provided. Create linear equations in the form of $y = mx + b$ from a real world problem. Identify the following terms as: <ul style="list-style-type: none"> $m = \text{slope.}$ $b = \text{y-intercept.}$ $y = \text{y coordinate.}$ $x = \text{x coordinate.}$ 	<p>Student meets all the criteria for “meets standards,” independently challenges him/herself, and makes insightful connections to other ideas and concepts while he/she:</p> <ul style="list-style-type: none"> Compares properties such as rate of change, intercepts, domain and range of two functions each represented in a different way. Graphs linear equations ($y = mx + b$). Gives any example of nonlinear functions. Assesses the reasonableness of their answer using mental strategies or conceptual understanding.

Marking Period 3

The Number System

Know that there are numbers that are not rational that can be approximated.

Standards: 8.NS.A.1 and 8.NS.A.2

Marking Period	Not Meeting Expectations (NM- 1)	Approaching Grade Level Standards (AS-2)	Meets Grade Level Standards (MS-3)	Exceeds Grade Level Standards (ES-4)
3/4	<p>The student is unable to:</p> <ul style="list-style-type: none"> Distinguish that numbers that are not rational are irrational. Demonstrate that every number has a decimal expansion, and rational numbers either terminate in zeros or repeats. Convert a repeating decimal to a rational number. Estimate the value of irrational numbers using rational approximations. Use rational approximations of irrational numbers to compare size. Use rational approximations of irrational numbers to locate on a number line. 	<p>The student sometimes can:</p> <ul style="list-style-type: none"> Distinguish that numbers that are not rational are irrational. Demonstrate that every number has a decimal expansion, and rational numbers either terminate in zeros or repeats. Convert a repeating decimal to a rational number. Estimate the value of irrational numbers using rational approximations. Use rational approximations of irrational numbers to compare size. Use rational approximations of irrational numbers to locate on a number line. 	<p>The student consistently can:</p> <ul style="list-style-type: none"> Distinguish that numbers that are not rational are irrational. Demonstrate that every number has a decimal expansion, and rational numbers either terminate in zeros or repeats. Convert a repeating decimal to a rational number. Estimate the value of irrational numbers using rational approximations. Use rational approximations of irrational numbers to compare size. Use rational approximations of irrational numbers to locate on a number line. 	<p>Student meets all the criteria for “meets standards,” independently challenges him/herself, and makes insightful connections to other ideas and concepts while he/she:</p> <ul style="list-style-type: none"> Distinguishes between rational and irrational through decimal expansion or termination in zeros. Converts a repeating decimal to a rational number. Estimates the value of irrational numbers using rational approximations. Uses rational approximations of irrational numbers to compare size and locate on a number line. Assesses the reasonableness of their answer using mental strategies or conceptual understanding.

Grade 8 expectations for this standard are considered supportive clusters.

Expressions and Equations

Work with radicals and integer exponents. |

Standards: 8.EE.A.1 and 8.EE.A.2

Marking Period	Not Meeting Expectations (NM- 1)	Approaching Grade Level Standards (AS-2)	Meets Grade Level Standards (MS-3)	Exceeds Grade Level Standards (ES-4)
1/2	<i><u>Will not be assessed during this time.</u></i>			
3/4	<p>The student is unable to:</p> <ul style="list-style-type: none"> Define and express the properties of integer exponents. Determine two numerical expressions involving integer exponents are equivalent. Generate equivalent expressions using properties of exponents. Evaluate square roots of perfect squares and cube roots of perfect cubes, and irrational. Use square root and cube root symbols to represent solutions to equations in the form $x^2 = p$ and $x^3 = p$. 	<p>The student sometimes can:</p> <ul style="list-style-type: none"> Define and express the properties of integer exponents. Determine two numerical expressions involving integer exponents are equivalent. Generate equivalent expressions using properties of exponents. Evaluate square roots of perfect squares and cube roots of perfect cubes, and irrational. Use square root and cube root symbols to represent solutions to equations in the form $x^2 = p$ and $x^3 = p$. 	<p>The student consistently can:</p> <ul style="list-style-type: none"> Define and express the properties of integer exponents. Determine two numerical expressions involving integer exponents are equivalent. Generate equivalent expressions using properties of exponents. Evaluate square roots of perfect squares and cube roots of perfect cubes, and irrational. Use square root and cube root symbols to represent solutions to equations in the form $x^2 = p$ and $x^3 = p$. 	<p>Student meets all the criteria for “meets standards,” independently challenges him/herself, and makes insightful connections to other ideas and concepts while he/she:</p> <ul style="list-style-type: none"> Defines and expresses the properties of integer exponents. Determines two numerical expressions involving integer exponents are equivalent. Generates equivalent expressions using properties of exponents. Evaluates square roots of perfect squares and cube roots of perfect cubes, and irrational. Uses square root and cube root symbols to represent solutions to equations in the form $x^2 = p$ and $x^3 = p$. Assesses the reasonableness of their answer using mental strategies or conceptual understanding.

Express numbers in scientific notation.

Standards: 8.EE.A.3 and 8.EE.A.4

Marking Period	Not Meeting Expectations (NM-1)	Approaching Grade Level Standards (AS-2)	Meets Grade Level Standards (MS-3)	Exceeds Grade Level Standards (ES-4)
1/2/4	<i>Will not be assessed during this time.</i>			
3	<p>The student is unable to:</p> <ul style="list-style-type: none"> Estimate a very large or very small number as a single digit times an integer power of ten. Express how many times larger a quantity is compared to another (single digit times an integer power of ten). Add, subtract, multiply, and divide numbers expressed in scientific notation and/or is in decimal notation. Choose appropriate units to represent measurements. 	<p>The student sometimes can:</p> <ul style="list-style-type: none"> Estimate a very large or very small number as a single digit times an integer power of ten. Express how many times larger a quantity is compared to another (single digit times an integer power of ten). Add, subtract, multiply, and divide numbers expressed in scientific notation and/or is in decimal notation. Choose appropriate units to represent measurements. 	<p>The student consistently can:</p> <ul style="list-style-type: none"> Estimate a very large or very small number as a single digit times an integer power of ten. Express how many times larger a quantity is compared to another (single digit times an integer power of ten). Add, subtract, multiply, and divide numbers expressed in scientific notation and/or is in decimal notation. Choose appropriate units to represent measurements. 	<p>Student meets all the criteria for “meets standards,” independently challenges him/herself, and makes insightful connections to other ideas and concepts while he/she:</p> <ul style="list-style-type: none"> Estimates a very large or very small number as a single digit times an integer power of ten. Expresses how many times larger a quantity is compared to another (single digit times an integer power of ten). Adds, subtracts, multiplies, and divides numbers expressed in scientific notation and/or is in decimal notation. Chooses appropriate units to represent measurements. Assesses the reasonableness of their answer using mental strategies or conceptual understanding.

Functions

Use functions to model relationships between quantities.

Standards: 8.F.B.4 and 8.F.B.5

Marking Period	Not Meeting Expectations (NM- 1)	Approaching Grade Level Standards (AS-2)	Meets Grade Level Standards (MS-3)	Exceeds Grade Level Standards (ES-4)
1/2/4	<i>Will not be assessed during this time.</i>			
3	<p>The student is unable to:</p> <ul style="list-style-type: none"> Construct a function to model a linear relationship between two quantities. Determine the rate of change and initial value of a function from a description of a relationship or from two (x, y) values, including reading these from a table or from a graph. Interpret the rate of change and initial value of a function in terms of the situation it models. Describe qualitatively the functional relationships between two quantities by analyzing a graph. Sketch a graph that represents a real world problem in verbal form. 	<p>The student sometimes can:</p> <ul style="list-style-type: none"> Construct a function to model a linear relationship between two quantities. Determine the rate of change and initial value of a function from a description of a relationship or from two (x, y) values, including reading these from a table or from a graph. Interpret the rate of change and initial value of a function in terms of the situation it models. Describe qualitatively the functional relationships between two quantities by analyzing a graph. Sketch a graph that represents a real world problem in verbal form. 	<p>The student consistently can:</p> <ul style="list-style-type: none"> Construct a function to model a linear relationship between two quantities. Determine the rate of change and initial value of a function from a description of a relationship or from two (x, y) values, including reading these from a table or from a graph. Interpret the rate of change and initial value of a function in terms of the situation it models. Describe qualitatively the functional relationships between two quantities by analyzing a graph. Sketch a graph that represents a real world problem in verbal form. 	<p>Student meets all the criteria for “meets standards,” independently challenges him/herself, and makes insightful connections to other ideas and concepts while he/she:</p> <ul style="list-style-type: none"> Constructs a function to model a linear relationship between two quantities. Determines the rate of change and initial value of a function from a description of a relationship or from two (x, y) values, including reading these from a table or from a graph. Interprets the rate of change and initial value of a function in terms of the situation it models. Describes qualitatively the functional relationships between two quantities by graph analysis. Assesses the reasonableness of their answer using mental strategies or conceptual understanding.

Marking Period 4

The Number System

Know that there are numbers that are not rational that can be approximated.

Standards: 8.NS.A.1 and 8.NS.A.2

Marking Period	Not Meeting Expectations (NM- 1)	Approaching Grade Level Standards (AS-2)	Meets Grade Level Standards (MS-3)	Exceeds Grade Level Standards (ES-4)
3/4	<p>The student is unable to:</p> <ul style="list-style-type: none"> Distinguish that numbers that are not rational are irrational. Demonstrate that every number has a decimal expansion, and rational numbers either terminate in zeros or repeats. Convert a repeating decimal to a rational number. Estimate the value of irrational numbers using rational approximations. Use rational approximations of irrational numbers to compare size. Use rational approximations of irrational numbers to locate on a number line. 	<p>The student sometimes can:</p> <ul style="list-style-type: none"> Distinguish that numbers that are not rational are irrational. Demonstrate that every number has a decimal expansion, and rational numbers either terminate in zeros or repeats. Convert a repeating decimal to a rational number. Estimate the value of irrational numbers using rational approximations. Use rational approximations of irrational numbers to compare size. Use rational approximations of irrational numbers to locate on a number line. 	<p>The student consistently can:</p> <ul style="list-style-type: none"> Distinguish that numbers that are not rational are irrational. Demonstrate that every number has a decimal expansion, and rational numbers either terminate in zeros or repeats. Convert a repeating decimal to a rational number. Estimate the value of irrational numbers using rational approximations. Use rational approximations of irrational numbers to compare size. Use rational approximations of irrational numbers to locate on a number line. 	<p>Student meets all the criteria for “meets standards,” independently challenges him/herself, and makes insightful connections to other ideas and concepts while he/she:</p> <ul style="list-style-type: none"> Distinguishes between rational and irrational through decimal expansion or termination in zeros. Converts a repeating decimal to a rational number. Estimates the value of irrational numbers using rational approximations. Uses rational approximations of irrational numbers to compare size and locate on a number line. Assesses the reasonableness of their answer using mental strategies or conceptual understanding.

Grade 8 expectations for this standard are considered supportive clusters.

Expressions and Equations

Work with radicals and integer exponents. |

Standards: 8.EE.A.1 and 8.EE.A.2

Marking Period	Not Meeting Expectations (NM- 1)	Approaching Grade Level Standards (AS-2)	Meets Grade Level Standards (MS-3)	Exceeds Grade Level Standards (ES-4)
1/2	<i><u>Will not be assessed during this time.</u></i>			
3/4	<p>The student is unable to:</p> <ul style="list-style-type: none"> Define and express the properties of integer exponents. Determine two numerical expressions involving integer exponents are equivalent. Generate equivalent expressions using properties of exponents. Evaluate square roots of perfect squares and cube roots of perfect cubes, and irrational. Use square root and cube root symbols to represent solutions to equations in the form $x^2 = p$ and $x^3 = p$. 	<p>The student sometimes can:</p> <ul style="list-style-type: none"> Define and express the properties of integer exponents. Determine two numerical expressions involving integer exponents are equivalent. Generate equivalent expressions using properties of exponents. Evaluate square roots of perfect squares and cube roots of perfect cubes, and irrational. Use square root and cube root symbols to represent solutions to equations in the form $x^2 = p$ and $x^3 = p$. 	<p>The student consistently can:</p> <ul style="list-style-type: none"> Define and express the properties of integer exponents. Determine two numerical expressions involving integer exponents are equivalent. Generate equivalent expressions using properties of exponents. Evaluate square roots of perfect squares and cube roots of perfect cubes, and irrational. Use square root and cube root symbols to represent solutions to equations in the form $x^2 = p$ and $x^3 = p$. 	<p>Student meets all the criteria for “meets standards,” independently challenges him/herself, and makes insightful connections to other ideas and concepts while he/she:</p> <ul style="list-style-type: none"> Defines and expresses the properties of integer exponents. Determines two numerical expressions involving integer exponents are equivalent. Generates equivalent expressions using properties of exponents. Evaluates square roots of perfect squares and cube roots of perfect cubes, and irrational. Uses square root and cube root symbols to represent solutions to equations in the form $x^2 = p$ and $x^3 = p$. Assesses the reasonableness of their answer using mental strategies or conceptual understanding.

Geometry

Understand and apply the Pythagorean Theorem.

Standard: 8.G.B.6, 8.G.B.7 and 8.G.B.8

Marking Period	Not Meeting Expectations (NM- 1)	Approaching Grade Level Standards (AS-2)	Meets Grade Level Standards (MS-3)	Exceeds Grade Level Standards (ES-4)
1/2/3	<i><u>Will not be assessed during this time</u></i>			
4	<p>The student is unable to:</p> <ul style="list-style-type: none"> Identify that the Pythagorean Theorem states that the square of the hypotenuse of a right triangle is equal to the sum of the squares of the other two sides. Apply the Pythagorean Theorem to determine unknown side lengths in right triangles in real-world problems. Apply the Pythagorean Theorem to find the distance between two points in a coordinate system. Generate written proof explaining the Pythagorean Theorem and its converse. 	<p>The student sometimes can:</p> <ul style="list-style-type: none"> Identify that the Pythagorean Theorem states that the square of the hypotenuse of a right triangle is equal to the sum of the squares of the other two sides. Apply the Pythagorean Theorem to determine unknown side lengths in right triangles in real-world problems. Apply the Pythagorean Theorem to find the distance between two points in a coordinate system. Generate written proof explaining the Pythagorean Theorem and its converse. 	<p>The student consistently can:</p> <ul style="list-style-type: none"> Identify that the Pythagorean Theorem states that the square of the hypotenuse of a right triangle is equal to the sum of the squares of the other two sides. Apply the Pythagorean Theorem to determine unknown side lengths in right triangles in real-world problems. Apply the Pythagorean Theorem to find the distance between two points in a coordinate system. Generate written proof explaining the Pythagorean Theorem and its converse. 	<p>Student meets all the criteria for “meets standards,” independently challenges him/herself, and makes insightful connections to other ideas and concepts while he/she:</p> <ul style="list-style-type: none"> Identifies that the Pythagorean Theorem states that the square of the hypotenuse of a right triangle is equal to the sum of the squares of the other two sides. Applies the Pythagorean Theorem to determine unknown side lengths in right triangles in real-world problems. Applies the Pythagorean Theorem to find the distance between two points in a coordinate system. Assesses the reasonableness of their answer using mental strategies or conceptual understanding.

Solve real-world and mathematical problems involving volume of cylinders, cones, and spheres. Standard: 8.G.C.9

Marking Period	Not Meeting Expectations (NM- 1)	Approaching Grade Level Standards (AS-2)	Meets Grade Level Standards (MS-3)	Exceeds Grade Level Standards (ES-4)
1/2/3	<i>Will not be assessed during this time</i>			
4	<p>The student is unable to:</p> <ul style="list-style-type: none"> • Apply the formulas for volume of a cone, cylinder, or sphere in a real-world context. • Calculate the volume of a cone, cylinder, or sphere. • Find a missing dimension of a cone, cylinder or sphere given its volume. 	<p>The student sometimes can:</p> <ul style="list-style-type: none"> • Apply the formulas for volume of a cone, cylinder, or sphere in a real-world context. • Calculate the volume of a cone, cylinder, or sphere. • Find a missing dimension of a cone, cylinder or sphere given its volume. 	<p>The student consistently can:</p> <ul style="list-style-type: none"> • Apply the formulas for volume of a cone, cylinder, or sphere in a real-world context. • Calculate the volume of a cone, cylinder, or sphere. • Find a missing dimension of a cone, cylinder or sphere given its volume. 	<p>Student meets all the criteria for “meets standards,” independently challenges him/herself, and makes insightful connections to other ideas and concepts while he/she:</p> <ul style="list-style-type: none"> • Applies the formulas for volume of a cone, cylinder, or sphere in a real-world context. • Calculates the volume of a cone, cylinder, or sphere. • Finds a missing dimension of a cone, cylinder or sphere given its volume. • Assesses the reasonableness of their answer using mental strategies or conceptual understanding.

Grade 8 expectations for these standards are considered additional clusters.

Statistics and Probability

Investigate patterns of association in bivariate data in two-way tables.

Standards: 8.SP.A.3 and 8.SP.A.4

Marking Period	Not Meeting Expectations (NM- 1)	Approaching Grade Level Standards (AS-2)	Meets Grade Level Standards (MS-3)	Exceeds Grade Level Standards (ES-4)
1/2/3	<i><u>Will not be assessed during this time</u></i>			
4	<p>The student is unable to:</p> <ul style="list-style-type: none"> Interpret the slope and intercept in the context of bivariate measurement data using the equation of a linear model. Identify that two-way tables can be used to show patterns of association in categorical data. Construct a two-way table summarizing data on two categorical variables collected from the same subjects. Interpret a two-way table by identifying joint frequencies and calculating marginal frequencies. Use relative frequencies calculated for rows or columns to describe possible association between the two variables. 	<p>The student sometimes can:</p> <ul style="list-style-type: none"> Interpret the slope and intercept in the context of bivariate measurement data using the equation of a linear model. Identify that two-way tables can be used to show patterns of association in categorical data. Construct a two-way table summarizing data on two categorical variables collected from the same subjects. Interpret a two-way table by identifying joint frequencies and calculating marginal frequencies. Use relative frequencies calculated for rows or columns to describe possible association between the two variables. 	<p>The student consistently can:</p> <ul style="list-style-type: none"> Interpret the slope and intercept in the context of bivariate measurement data using the equation of a linear model. Identify that two-way tables can be used to show patterns of association in categorical data. Construct a two-way table summarizing data on two categorical variables collected from the same subjects. Interpret a two-way table by identifying joint frequencies and calculating marginal frequencies. Use relative frequencies calculated for rows or columns to describe possible association between the two variables. 	<p>Student meets all the criteria for “meets standards,” independently challenges him/herself, and makes insightful connections to other ideas and concepts while he/she:</p> <ul style="list-style-type: none"> Interprets the slope and intercept in the context of bivariate measurement data using the equation of a linear model. Identifies and constructs that two-way tables can be used to show patterns of association in categorical data collected. Interprets a two-way table by identifying joint frequencies and calculating marginal frequencies between two variables. Assesses the reasonableness of their answer using mental strategies or conceptual understanding.

Grade 8 expectations for these standards are considered supportive clusters.