

Unit Number and Name	Unit 4 Congruence		
Unit Question	What does it mean for geometric figures to be congruent?		
Essential Questions:	<ol style="list-style-type: none"> 1. How do we know when two geometric figures are congruent? 2. How do we prove a statement is true? 3. How do different properties define a quadrilateral? What relationships form different classifications within the class of quadrilaterals? 		
Initial Task--1 day	Students will engage in various problem solving strategies in this Same Size. Same Shape Task .		
Big Ideas	Objectives Reached	EQs Addressed	Evidence of Understandings
Big Idea 1: Polygons are comprised of triangles.	G.2D.1.3 G.2D.1.6	EQ 2	<ul style="list-style-type: none"> ● Explore and prove relationships about interior and exterior angles of polygons <ul style="list-style-type: none"> ○ Apply knowledge about triangles to generate and test conjectures polygons <ul style="list-style-type: none"> ■ Use diagonals to partition figures into triangles to determine the the sum of the interior angles of a polygon ○ Find the value of missing interior and exterior angles in a polygon ● Explore and prove relationships about polygons <ul style="list-style-type: none"> ○ Find the area and perimeter of polygons ● Explore and prove relationships of regular polygons

			<ul style="list-style-type: none"> ○ Apply knowledge about triangles to generate and test conjectures about regular polygons ○ Find the value of missing interior and exterior angles in a regular polygon ○ Find the area and perimeter of a regular polygon
		Big Idea 1 should take about 4-5 fifty minute class periods.	Core Resource 1
Big Idea 2: Congruent polygons are defined by their congruent angles and sides.	G.2D.1.7	EQ1 EQ 2	<ul style="list-style-type: none"> ● Describe qualities that make two polygons congruent or incongruent <ul style="list-style-type: none"> ○ Identify corresponding parts (angles and sides) of polygons by annotating <ul style="list-style-type: none"> ■ Use notation to signify congruence ○ Use examples and non-examples to justify that corresponding parts of congruent polygons congruent ○ Explore whether equal perimeters or areas mean figures are congruent (or vice versa: if figures are congruent then decide if their perimeters or areas are equal)
		Big Idea 2 should take about 4-5 fifty minute class periods.	Big Idea 2 Core Resource
Big Idea 3: Congruent	G.2D.1.8	EQ1	<ul style="list-style-type: none"> ● Prove two triangles are congruent

<p>corresponding angles and sides are used to prove triangles are congruent.</p>			<ul style="list-style-type: none"> ○ Identify corresponding congruent parts and apply the criteria of SSS, SAS, ASA, or AAS ○ Prove two right triangles are congruent when corresponding Hypotenuse-Leg (HL) are congruent ● Justify the minimum requirements that show two triangles are congruent <ul style="list-style-type: none"> ○ Make conjectures about the minimum corresponding parts of the triangle needed to construct a congruent triangle <ul style="list-style-type: none"> ■ Experiment with constructions to support these claims ■ Give examples, non examples, or counterexamples about these claims ○ Justify that when all corresponding sides of two triangles are congruent (SSS) there is sufficient evidence to show that these two triangles are congruent ○ Justify that when two corresponding sides and the included angle are congruent (SAS) there is sufficient evidence to show that these two triangles are congruent <ul style="list-style-type: none"> ■ Justify why the angle <u>has to be</u> the included angle of the corresponding sides (SSA does not work) ■ Establish the the minimum criteria necessary to prove two right triangles are congruent using the hypotenuse and a leg (HL) ○ Justify that when two corresponding angles and the included side of two triangles are congruent (ASA) there is sufficient evidence to show that these two triangles are congruent
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		Big Idea should take about 4-5 fifty minute class periods.	Big Idea 3 Core Resource
Formative Assessment		After big ideas 1, 2, and 3 the formative assessment should take about one fifty minute class period.	Analyzing Conditions for Congruency
Big idea 4: Quadrilaterals can be classified by their sides, diagonals and angle measures.	G.2D.1.4	EQ3	<ul style="list-style-type: none"> ● Distinguish trapezoids, parallelograms, rectangles, kites, rhombuses, and squares using properties of their sides and angles <ul style="list-style-type: none"> ○ Identify and use properties that result in quadrilaterals being part of the same “family” ○ Examples: rectangle, square, and rhombus are all parallelograms ● Explore and prove relationships about interior and exterior angles of quadrilaterals <ul style="list-style-type: none"> ○ Justify that interior angles of a quadrilateral always add up to 360° using examples and non-examples ● Explore and prove relationships about angles and sides of a parallelogram <ul style="list-style-type: none"> ○ Identify and justify congruent angles and sides of a parallelogram ○ Prove opposite sides and angles of a parallelogram are congruent <ul style="list-style-type: none"> ■ Apply properties of parallel lines cut by a transversal

			<ul style="list-style-type: none"> ○ Prove same side/consecutive interior angles of a parallelogram are supplementary ○ Prove a given figure is a square, rectangle, or rhombus <ul style="list-style-type: none"> ■ Apply properties of parallelograms, parallel lines, and triangle congruence criteria ○ Find the measure of a missing value or measurements ● Investigate the relationship between the diagonals of a quadrilateral and its other characteristics <ul style="list-style-type: none"> ○ Prove diagonals of parallelograms bisect each other <ul style="list-style-type: none"> ■ Prove the converse statement (if diagonals bisect each other then it is a parallelogram) ○ Prove diagonals of rectangles are congruent <ul style="list-style-type: none"> ■ Investigate diagonals of an isosceles trapezoid and use them show the converse statement is false (if diagonals are congruent, then it is a rectangle) ○ Prove diagonals of a rhombus perpendicularly bisect one another <ul style="list-style-type: none"> ■ Demonstrate perpendicular diagonals do not necessarily bisect one another (ex: kites) ○ Find the measure of the missing length of a diagonal
		Big Idea 4 should take about 3-4 fifty minute class periods.	Big Idea 4 Core Resource
Reengagement		Take a day or two to revisit concepts students struggled	

		with in the formative assessments.	
Summative Assessment			Unit 4 Summative Assessment
Essential Terms:	<p>Polygon</p> <p>Regular Polygon</p> <p>Interior Angle Sum</p> <p>Exterior Angle Sum</p> <p>Corresponding Parts</p> <p>Congruence</p> <p>Perimeter</p> <p>Area</p> <p>SSS- (Side, Side, Side)</p> <p>SAS- (Side, Angle, Side)</p> <p>ASA- (Angle, Side, Angle)</p> <p>AAS- (Angle, Angle, Side)</p> <p>Quadrilateral</p> <p>Kite</p> <p>Rhombus</p> <p>Square</p> <p>Parallelogram</p> <p>Trapezoid</p> <p>Parallel Lines</p> <p>Transversal</p> <p>Diagonal</p> <p>Perpendicular Bisector</p>		