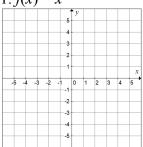
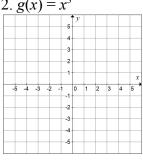
## 2.5 Worksheet B | Transformations of Functions

Graph the parent functions. Make sure they pass through all "key points."

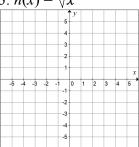
$$1. f(x) = x^2$$



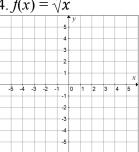
$$2. g(x) = x^3$$



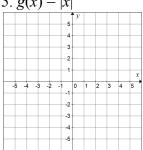
3. 
$$h(x) = \sqrt{x}$$



$$4. f(x) = \sqrt[3]{x}$$



5. 
$$g(x) = |x|$$



Describe what the given transformations do to the coordinates of the function. Answer in complete sentences. 6. f(2x) - 5

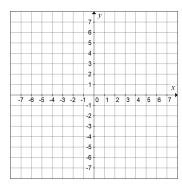
7. 
$$-g(\frac{x}{5})$$

8. 
$$\frac{1}{2}h(-x) + 3$$

Identify the function's parent function. Graph the functions using transformations, and draw the "key points" with its graphs.

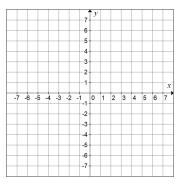
9. 
$$y = \sqrt{-x} + 5$$

Parent:



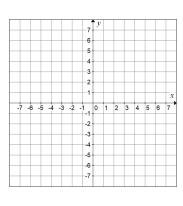
10. 
$$y = \left(\frac{x}{3}\right)^2 - 4$$

Parent:



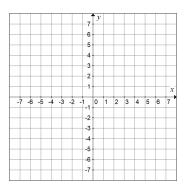
11. 
$$y = 4(x+5)^2 + 1$$

Parent:



12. 
$$y = -\sqrt[3]{x - 2} - 5$$

Parent:

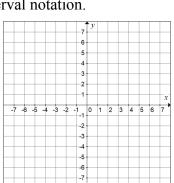


Graph the functions using transformations, and draw the "key points" with its graphs. Give the function's domain and range in interval notation.

13. 
$$y = 4\sqrt{x - 3}$$

D:

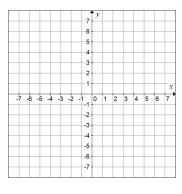
R:



14. 
$$y = (-x)^3 - 3$$

D:

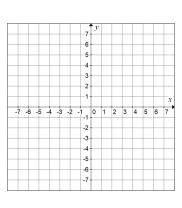
R:



15. 
$$y = 5 + \sqrt[3]{\frac{x}{4}}$$

D:

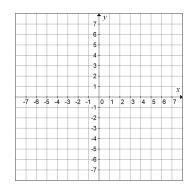
R:



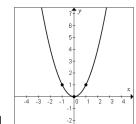
16. 
$$y = -2|x-2| + 6$$

D:

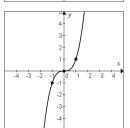
R:



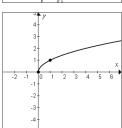
## Answer Key



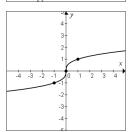
1.



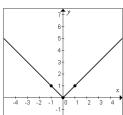
2.



3.



4.

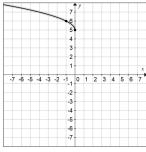


5.

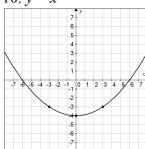
- 6. The *x*-coordinates will be divided by 2, and the y-coordinates will decrease by 5.
- 7. The *x*-coordinates will be multiplied by 5. The y-coordinates will become their opposite.

8. The *x*-coordinates will become their opposite. The y-coordinates will get divided by 2 and increased by 3.

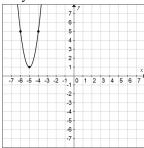
9. 
$$y = \sqrt{x}$$



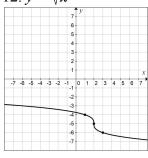
10.  $y = x^2$ 



11.  $y = x^2$ 

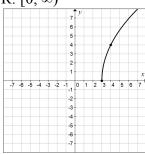


12.  $y = \sqrt[3]{x}$ 



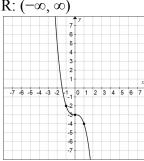
13. D: [3, ∞)

 $R:[0,\infty)$ 



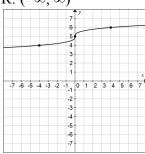
14. D:  $(-\infty, \infty)$ 

R:  $(-\infty, \infty)$ 



15. D:  $(-\infty, \infty)$ 

R:  $(-\infty, \infty)$ 



16. D:  $(-\infty, \infty)$ 

R:  $(-\infty, 6]$ 

