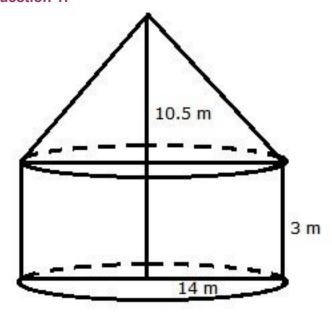
## RS Aggarwal Class 10 Solutions Volume and Surface Areas of Solids

| Name of<br>the<br>solid       | Figure | Volume                 | Laterial/Curved<br>Surface<br>Area | Total<br>Surface<br>Area                                  |
|-------------------------------|--------|------------------------|------------------------------------|---|
| Cuboid                        | b l    | lbh                    | 2lh + 2bh<br>or<br>2h(l+b)         | 2lh+2bh+2lb<br>or<br>2(lh+bh+lb)                          |
| Cube                          | aaa    | a <sup>3</sup>         | $4a^2$                             | 4a <sup>2</sup> +2a <sup>2</sup><br>or<br>6a <sup>2</sup> |
| Right<br>circular<br>cylinder | h      | $\pi r^2 h$            | 2πrh                               | $2\pi rh + \frac{2\pi r^2}{or}$ $2\pi r(h+r)$             |
| Right<br>circular<br>cone     | h      | $\frac{1}{3}\pi r^2 h$ | $\pi$ rl                           | $\pi rl + \pi r^2$ or $\pi r(l+r)$                        |
| Sphere                        | r      | $\frac{4}{3}\pi r^3$   | $4\pi r^2$                         | $4\pi { m r}^2$   |
| Hemisphere                    | r      | $\frac{2}{3}\pi r^3$   | $2\pi { m r}^2$                    | $2\pi r^2 + \pi r^2$ or $3\pi r^2$                        |

## **Question 1:**



Radius of the cylinder = 14 m And its height = 3 m Radius of cone = 14 m And its height = 10.5 m Let I be the slant height

$$I^{2} = (14)^{2} + (10.5)^{2}$$

$$I^{2} = (196 + 110.25) \text{ m}^{2}$$

$$I^{2} = 306.25 \text{ m}^{2}$$

$$I = \sqrt{306.25} \text{ m}$$

$$= 17.5 \text{ m}$$

Curved surface area of tent

= (curved area of cylinder + curved surface area of cone)

$$= 2\pi rh + \pi rl$$

$$= \left[ \left( 2 \times \frac{22}{7} \times 14 \times 3 \right) + \left( \frac{22}{7} \times 14 \times 17.5 \right) \right] m^2$$

$$= (264 + 770) m^2 = 1034 m^2$$

Hence, the curved surface area of the tent = 1034 Cost of canvas = Rs. $(1034 \times 80)$  = Rs. 82720

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