

ADOBE UNIVERSITY HACKATHON 2026

Cheat Sheet 2 — Algorithms

Searching, sorting, graphs, recursion, techniques. Know *WHAT* each does and *WHEN* to use it.

A. Searching

Algorithm	How it works	When to use
Linear search	Check each element one by one	Unsorted / small data
Binary search	Halve a sorted range each step	Sorted array, fast lookup
Interpolation	Estimate position by value	Sorted + uniformly spread

Binary search on 1,000 elements ≈ 10 comparisons ($\log_2 1000$). On 1,000,000 ≈ 20 .

B. Sorting — key properties

Algorithm	Idea	Stable / In-place
Bubble	Swap adjacent out-of-order pairs	Stable / In-place
Selection	Pick min, place at front	Not stable / In-place
Insertion	Insert each into sorted left part	Stable / In-place
Merge	Divide, sort halves, merge	Stable / NOT in-place
Quick	Partition around a pivot	Not stable / In-place
Heap	Build heap, extract max repeatedly	Not stable / In-place

Nearly-sorted data $\rightarrow$ insertion sort ($O(n)$ best). Guaranteed $O(n \log n)$ + stable $\rightarrow$ merge sort. Small integer range $\rightarrow$ counting sort.

C. Graph algorithms

Algorithm	Uses	One-line purpose
BFS	Queue	Level-by-level; shortest path in unweighted graph
DFS	Stack / recursion	Go deep; cycle detection, topological sort
Dijkstra	Min-heap (priority queue)	Shortest path, non-negative weights
Bellman-Ford	Edge relaxation $\times (V-1)$	Shortest path, handles negative weights
Kruskal	Union-Find + sort edges	Minimum spanning tree
Prim	Min-heap	Minimum spanning tree
Topological sort	DFS / in-degree (Kahn)	Order a DAG (dependencies)

Tree facts: a tree with n nodes has $n-1$ edges. A binary tree has at most 2^l nodes at level l , and $2^{h+1}-1$ nodes in a perfect tree of height h .

D. Tree traversals

Traversal	Order	Key use
Inorder	Left $\rightarrow$ Root $\rightarrow$ Right	BST $\rightarrow$ sorted output
Preorder	Root $\rightarrow$ Left $\rightarrow$ Right	Copy / serialize a tree
Postorder	Left $\rightarrow$ Right $\rightarrow$ Root	Delete / free a tree
Level-order	Breadth first (by level)	BFS, shortest unweighted

E. Recursion & Dynamic Programming

Recursion needs a base case (stops infinite calls) + a recursive case (shrinks the problem).

Term	Meaning
Memoization	Top-down: recurse + cache results
Tabulation	Bottom-up: fill a table iteratively
Overlapping subproblems	Same sub-answers reused → DP helps
Optimal substructure	Best answer built from best sub-answers

Classic DP: Fibonacci, Longest Common Subsequence, 0/1 Knapsack, Coin Change, Edit Distance.

Naive Fibonacci = $O(2^n)$; with memoization = $O(n)$. Tower of Hanoi n disks = $2^n - 1$ moves.

F. Core techniques

Technique	Spot it when...	Example
Two pointers	Sorted array, pair/target	Pair sum, remove duplicates
Sliding window	Subarray/substring of size k	Max sum window, longest substring
Hashing / frequency	Counting, seen-before checks	Two Sum, anagrams, top-K
Greedy	Local best → global best	Activity selection, Huffman
Divide & conquer	Split, solve, combine	Merge sort, binary search

G. Bit manipulation quick reference

Expression	Result / meaning
$n \& 1 == 0$	n is even
$n \& (n-1) == 0$	n is a power of two
$x \ll 1$	multiply by 2
$x \gg 1$	integer divide by 2
$a \wedge a$	0 (XOR with self)
$a \wedge 0$	a
swap via XOR	$a \wedge = b$; $b \wedge = a$; $a \wedge = b$
count set bits	Brian Kernighan: $n \&= (n-1)$ loop